

$\left(\frac{\partial P}{\partial V}\right)_T$  is discontinuous.

$v \equiv \left(\frac{V}{N}\right)$  discontinuous (order parameter)

$$\frac{N \mu}{e}$$

$$dN$$

$$\mu_A = \mu_B$$

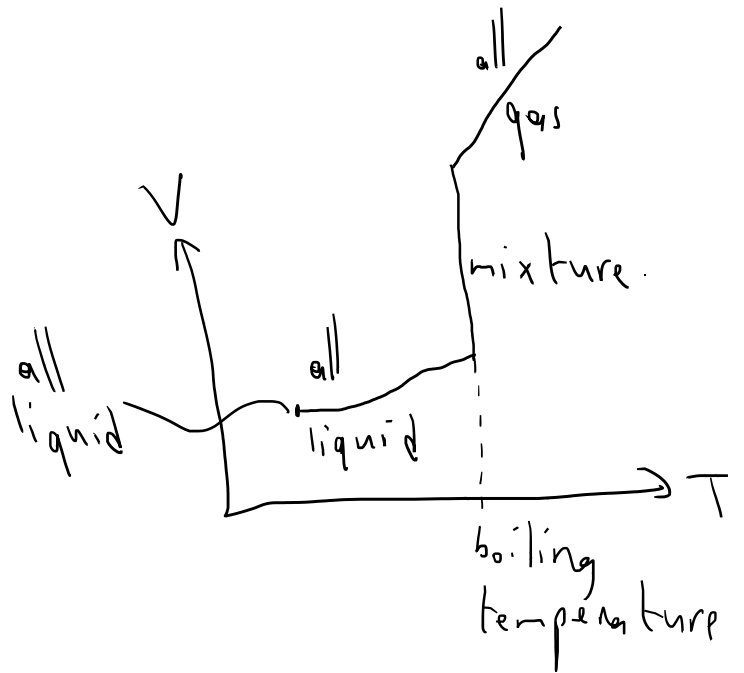


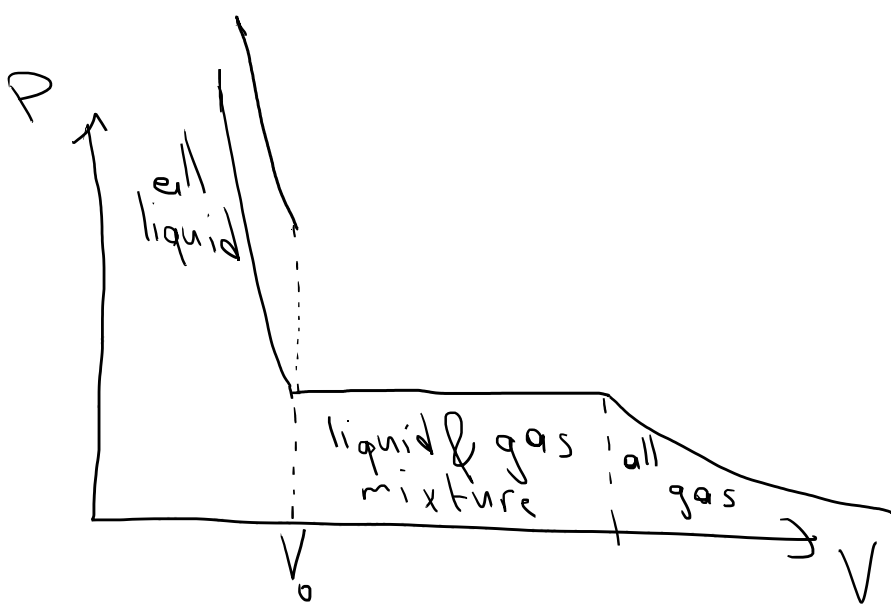
$$PV = NkT$$

$$V = \text{const}$$

$$P \downarrow, N \downarrow \not\Rightarrow T \downarrow$$

$$= NkT$$



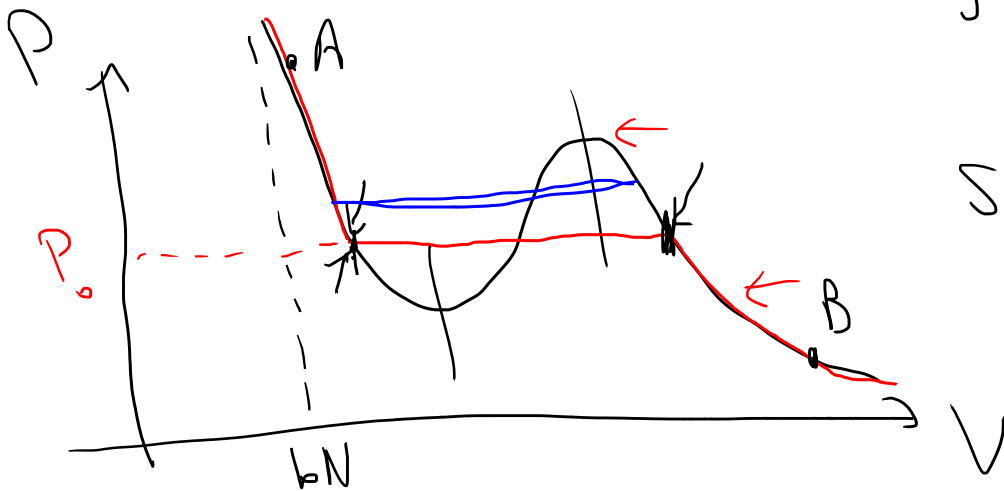


Van der Waals Gas

$$\left(P + a \frac{N^2}{V^2}\right) (V - bN) = NkT$$

$$\kappa_T = -\frac{1}{V} \left( \frac{\partial V}{\partial P} \right)_T$$

S is maximum  
 $\Rightarrow \kappa_T > 0$



$$\left( \frac{\partial P}{\partial V} \right)_T < 0$$

Maxwell's Construction

$$\mu(P, T) \quad d\mu = 0$$

S, A, q

$$dq = -s dT - P dV - N d\mu$$

$$q(T, \frac{V}{N}, \mu) = V f(T, \mu)$$

$$P = - \left( \frac{\partial g}{\partial V} \right)_{T, \mu} = f(T, \mu)$$

$$g = -PV$$

$$dg = -s dT - P dV - N d\mu$$

$$-P dV - V dP = -s dT - P dV - N d\mu$$

$$d\mu = \left( \frac{V}{N} \right) dP + \left( \frac{s}{N} \right) dT$$

$$\boxed{d\mu = v dP - s dT}$$

$d\mu = 0$  during transition.

$$\text{if } dT = 0 \Rightarrow d\mu = v dP$$

$$\Delta\mu = \int_{P_1}^{P_2} v dP = 0$$

solids

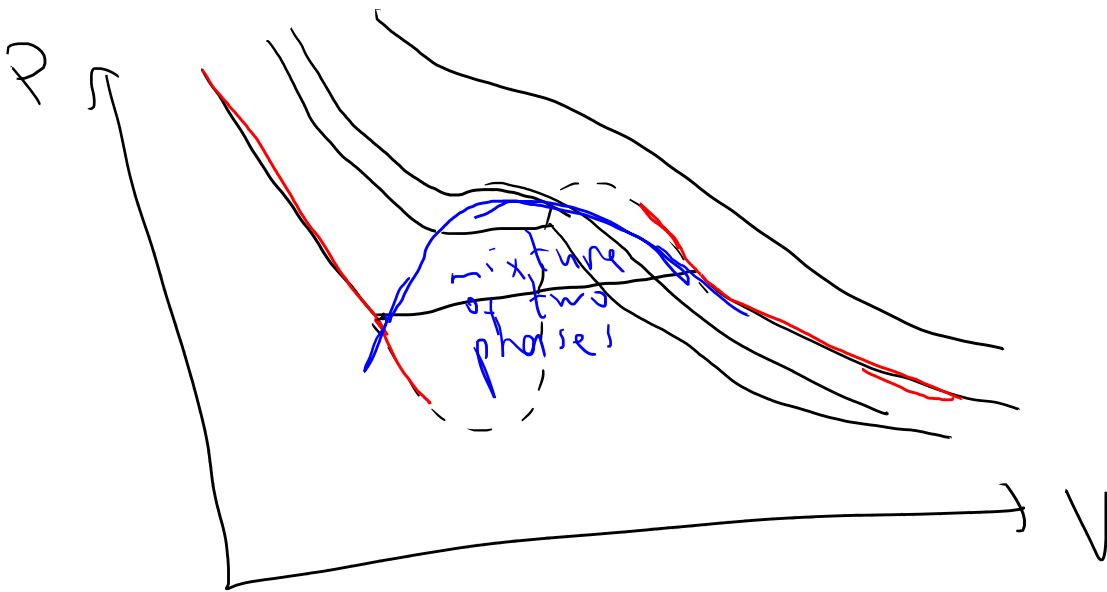
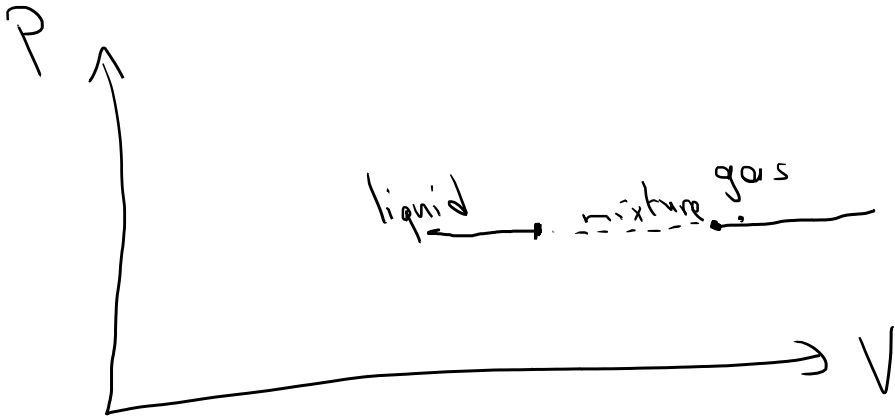
liquids

gases

tar - liquid in "normal conditions"

$$PV = NkT$$

$$\left(\frac{V}{N}\right) = \frac{kT}{P}$$



supercooled  
superheated systems  
nucleation sites

$$\frac{\partial P}{\partial V} > 0$$

if  $T > T_c$

