PREDICTING MULTIPLE TYPES OF BIOLOGICAL RELATIONSHIPS WITH INTEGRATIVE NON-NEGATIVE MATRIX FACTORIZATION

A THESIS SUBMITTED TO THE GRADUATE SCHOOL OF INFORMATICS OF THE MIDDLE EAST TECHNICAL UNIVERSITY BY

ONUR SAVAŞ KARTLI

IN PARTIAL FULFILLMENT OF THE REQUIREMENTS FOR THE DEGREE OF MASTER OF SCIENCE

IN
BIOINFORMATICS

MAY 2022

# PREDICTING MULTIPLE TYPES OF BIOLOGICAL RELATIONSHIPS WITH INTEGRATIVE NON-NEGATIVE MATRIX FACTORIZATION 

Submitted by Onur Savaş Kartl1 in partial fulfillment of the requirements for the degree of Master of Science in Health Informatics Department, Middle East Technical University by,

Prof. Dr. Deniz Zeyrek Bozşahin
Dean, Graduate School of Informatics
Assoc. Prof Dr. Yeșim Aydın Son
Head of Department, Health Informatics, METU
Assoc. Prof Dr. Yeşim Aydın Son
Supervisor, Health Informatics, METU

Assoc. Prof. Dr. Tunca Doğan
Co-Supervisor, Computer Engineering Dept., Hacettepe University

## Examining Committee Members:

Assist. Prof Dr. Aybar Can Acar
Health Informatics Dept., METU
Assoc. Prof Dr. Yeşim Aydın Son
Health Informatics Dept., METU
Assist. Prof Dr. İdil Yet
Bioinformatics Dept., Hacettepe University

Date:
09.05.2022

I hereby declare that all information in this document has been obtained and presented in accordance with academic rules and ethical conduct. I also declare that, as required by these rules and conduct, I have fully cited and referenced all material and results that are not original to this work.

Name, Last name : ONUR SAVAŞ KARTLI

## Signature

:

# ABSTRACT <br> PREDICTING MULTIPLE TYPES OF BIOLOGICAL RELATIONSHIPS WITH INTEGRATIVE NON-NEGATIVE MATRIX FACTORIZATION 

Kartll, Onur Savaş<br>MSc., Department of Bioinformatics<br>Supervisor: Assoc. Prof Dr. Yeşim Aydın Son<br>Co-Supervisor: Assoc. Prof Dr. Tunca Doğan

May 2022, 111 pages

Integrative research on multi-modal biological data is difficult due to their complexity and diverse structure. A critical issue in bioinformatics and computational biology is that many of the associations/relationships between biological components and concepts (i.e., genes, proteins, drugs, diseases, etc.) are still unknown due to the high costs and temporal requirements of wet-lab experiments that uncover them. This thesis aims to predict unknown relationships in biological data by leveraging documented protein-protein, drugtarget, gene-disease, and drug-side effect associations. To accomplish this task, first, biological datasets are obtained from UniProt, String, Stitch, Sider, Drugbank, Drugcentral, DisGENET, and KEGG databases, and their relationships are extracted and re-formatted as multiple pairwise relationship matrices. Some of these matrices contain continuous values to be used as association weights. We obtain highly sparse matrices mainly due to the high amount of missing data in biological databases. Second, we predicted missing relationships via integrative matrix factorization, using the nonnegative matrix tri-factorization algorithm which is shown to successfully solve similar problems in the literature. For this, a prediction model is trained and evaluated using both classification and regression-based metrics. Subsequently, large-scale prediction of pairwise relationships between proteins, drugs, diseases, and side effects is accomplished using the optimized model. We obtained new predictions for drug-side effect, drugdisease, drug-target protein, and gene/protein-disease interactions. We evaluated the top 250 predictions with the highest scores and validated selected ones from the literature. We hope that the results of this thesis study will help life scientists in planning experimental work by providing preliminary sets of biological associations.

Keywords: Non-negative matrix factorization, multi-relational data, drug-target interactions, drug-side effects relationships, gene-disease associations

## ÖZ

# BÜTÜNCÜL NEGATİF OLMAYAN MATRİS FAKTÖRİZASYONU İLE ÇOKLU BİYOLOJİK İLİŞKİ TÜRLERİNİN ÖNGÖRÜLMESİ 

Kartlı, Onur Savaş<br>Yüksek Lisans, Biyoenformatik Bölümü<br>Tez Yöneticisi: Doç. Dr. Yeşim Aydın Son<br>Ortak Tez Yöneticisi: Doç. Dr. Tunca Doğan

Mayis 2022, 111 sayfa
Yüksek seviyedeki karmaşıklığı ve çeşitliliği nedeniyle çok modlu biyolojik veri üzerinde bütünleştirici araştırmalar gerçekleştirmek zorludur. Biyolojik bileşenler ve kavramlar (genler, proteinler, ilaçlar, hastalıklar, vb.) arasındaki ilişkileri ortaya çıkarmak için kullanılan laboratuvar deneylerinin yüksek maliyetleri ve zamansal gereksinimleri nedeniyle bahsi geçen ilişkilerin birçoğu halen bilinmemektedir. Bu tez, bilinen proteinprotein, ilaç-hedef, gen-hastalık ve ilaç-yan etki ilişkilerinden yararlanarak bilinmeyen ilişkileri tahmin etmeyi amaçlamaktadır. Bu görevi gerçekleştirmek için öncelikle UniProt, String, Stitch, Sider, Drugbank, Drugcentral, DisGENET ve KEGG veri tabanlarından biyolojik veri kümeleri elde edilmiş ve ikili ilişki matrisleri olarak yeniden biçimlendirilmiştir. Bu matrislerden bazıları ilişki ağırlıkları olarak kullanılacak sürekli değerler içermektedir. Biyolojik veri tabanlarındaki mevcut verinin yüksek seviyede eksik olması nedeniyle seyrek matrisler elde edilmiştir. Daha sonra, literatürde benzer problemleri başarılı bir şekilde çözebildiği gösterilen "negatif olmayan matris üçlü faktörizasyon" algoritması kullanılarak, matris çarpanlarına ayırma yaklaşımıyla biyolojik ilişkileri tahmin eden bir model geliştrillmiştir. Bu model hem sınıflandırma hem de regresyona dayalı metrikler kullanılarak eğitilmiş ve değerlendirilmiştir. Çalışmanın devamında, optimize edilmiş model kullanılarak proteinler, ilaçlar, hastalıklar ve yan etkiler arasındaki ikili ilişkilerin büyük ölçekli tahmini gerçekleştirilmiştir ve bu sayede yeni ilaç-yan etki, ilaç-hastalık, ilaç-hedef ve gen/protein-hastalık etkileşimleri elde edilmiştir. Her bir ilişki tipi için en yüksek skora sahip ilk 250 tahmin değerlendirilmiştir ve seçilenler literatüre başvurularak doğrulanmıştır. Bu tez çalışmasından elde edilen biyolojik etkileşim odaklı tahmin sonuçlarının yaşam bilimleri araştırmacılarının deneysel çalışmalarını planlamalarına yardımcı olacağını umuyoruz.

Anahtar Sözcükler: Negatif olmayan matris faktörizasyonu, çoklu ilişkisel veriler, ilaçhedef etkileşimleri, ilaç-yan etki etkileşimleri, gen-hastalık etkileşimleri

To my dear son and father who motivated me with their presence and memories...

## ACKNOWLEDGMENTS

First of all, I would like to thank my supervisor, Assoc. Prof Dr. Yeşim Aydın Son, for her guidance, invaluable advice, continuous support, and patience during this work.

Besides my supervisor, I am deeply grateful to my co-supervisor, Assoc. Prof Dr. Tunca Doğan for his support, insightful comments, and suggestions.

I show deepest gratitude and love to my son and wife, who showed endless understanding that the precious time they deserved was taken away from them during the creation of this thesis.

Finally, I would like to thank my whole family for the opportunity to thank my father, who has always guided me throughout his life, albeit a little late, for their support during the writing of this thesis.

## TABLE OF CONTENTS

ABSTRACT ..... iv
ÖZ. ..... v
DEDICATION ..... vi
ACKNOWLEDGMENTS ..... vii
TABLE OF CONTENTS ..... viii
LIST OF TABLES ..... x
CHAPTERS

1. INTRODUCTION .....  1
1.1 Motivation ..... 1
1.2 Biological Definitions. .....  .1
1.3 Mathematical Model of the Prediction Problems in the Biological Data ..... 2
1.4 Matrix Factorization .....  .7
1.5 Aim of the Thesis .....  .7
1.6 Outline of the Thesis .....  8
2. LITERATURE REVIEW ..... 9
2.1 Nonnegative Matrix Factorization Method .....  .9
2.2 Drug-Target Relationship Prediction Problem ..... 10
2.3 Drug-Side Effect Prediction Problem ..... 12
2.3.1 Docking Based Studies ..... 12
2.3.2 Graph-based Studies ..... 12
2.3.3 Machine Learning-based Studies ..... 13
2.3.4 Various Approaches ..... 13
2.4 Biological Databases ..... 13
2.4.1 Protein-Protein Interaction Databases ..... 14
2.4.2 Drug-Target Protein Interactions ..... 16
2.4.3 Drug-Side Effect Interactions ..... 18
2.4.4 Protein-Disease Interactions. ..... 19
2.4.5 Drug-Disease Interactions ..... 21
2.5 Matrix Factorization Method. ..... 22
2.6 Non-Negative Matrix Tri-Factorization Method ..... 25
3. MATERIALS AND METHODS ..... 27
3.1 Acquisition of PPI Data ..... 27
3.2 Acquisition of DTI Data ..... 28
3.3 Acquisition of DSI Data ..... 29
3.4 Acquisition of PDI Data ..... 31
3.5 Acquisition of DDI Data ..... 34
3.6 Proposed Model ..... 36
4. RESULTS ..... 39
4.1. Application of Non-Negative Tri Matrix Factorization Algorithm. ..... 43
4.2. Interaction Matrices, Masking the Data Matrices and Initialization ..... 44
4.3. Analysis of Parameters (Latent Factor Tests) and Stop Criterion ..... 51
4.4. Improvements of Scenario Models and Comparison of APS ..... 61
4.5. Prediction Results (Novel Interactions) ..... 65
5. DISCUSSION AND CONCLUSION ..... 69
REFERENCES ..... 73
APPENDIX ..... 81
APPENDIX A ..... 81

## LIST OF TABLES

Table 3.1 The distribution of data and number of interactions within the scope of EI ..... 33
Table 3.2 Traditional Drugs on KEGG ..... 35
Table 3.3 Examples of KEGG Drug Names ..... 35
Table 4.1 Characteristics of All Raw Data Frame ..... 39
Table 4.2 Characteristics of Final Data Frame After Eliminations ..... 40
Table 4.3 Test Scenarios for Optimum Iterations ..... 48
Table 4.4 Optimum Iteration Numbers per Scenario ..... 51
Table 4.5 Determining of the $k_{1}$ value of Scenario 1 ..... 53
Table 4.6 Determining of the $k_{2}$ value of Scenario 1 ..... 53
Table 4.7 Determining of the $k_{3}$ value of Scenario 1 ..... 54
Table 4.8 Determining of the $k_{4}$ value of Scenario 1 ..... 54
Table 4.9 Determining of the $k_{1}, k_{2}, k_{3}, k_{4}$ values of Scenario 2 ..... 56
Table 4.10 Determining of the $k_{1}, k_{2}, k_{3}, k_{4}$ values of Scenario 3 ..... 57
Table 4.11 Determining of the $k_{1}, k_{2}, k_{3}, k_{4}$ values of Scenario 4 ..... 58
Table 4.12 All Scenarios Tried for K Value Determination and Minimum Latent Factors ..... 59
Table 4.13 Comparison of APS's regarding Test Scheme Variations ..... 62
Table 4.14. Top 27 Scored Novel Drug / Side Effect Predictions regarding $R_{12}$ matrix ..... 65
Table 4.15. Top 34 Scored Novel Drug / Protein Predictions regarding $R_{23}$ matrix ..... 66
Table 4.16 Top 27 Scored Novel Drug / Disease Predictions regarding $\boldsymbol{R}_{24}$ matrix ..... 67
Table 4.17 Top 34 Scored Novel Protein / Disease Predictions regarding $R_{34}$ matrix . ..... 68
Table 5.1. Sparsity and Density Rates of Relation Matrices. ..... 70

## LIST OF FIGURES

Figure 1.1. Example of a directed graph ..... 3
Figure 1.2. Example of an undirected graph ..... 4
Figure 1.3. Example of a weighted graph ..... 4
Figure 1.4. Example of a bipartite graph ..... 5
Figure 1.5. Drug-side effect prediction problem as a bipartite graph ..... 6
Figure 1.6. Example of a weighted bipartite graph ..... 7
Figure 2.1. Sources of annotation for the UniProt Knowledgebase ..... 15
Figure 2.2. Data sources of interactions in STRING ..... 16
Figure 2.3. Summary for DrugCentral database ..... 17
Figure 2.4. KEGG data summary ..... 22
Figure 2.5. DSE prediction example given by a bipartite graph ..... 23
Figure 2.6. A graph for explanation of MFM ..... 24
Figure 4.1. Side effects are ranked according to their degree against drugs ..... 41
Figure 4.2. Drugs are ranked according to their degree against proteins ..... 41
Figure 4.3. Drugs are ranked according to their degree against diseases ..... 42
Figure 4.4. Proteins are ranked according to their degree against diseases ..... 42
Figure 4.5. Proteins are ranked according to their degree ..... 43
Figure 4.6. Representative nodes and connections on graph G ..... 45
Figure 4.7. Relations matrices of data ..... 45
Figure 4.8. Average precision scores of initialization methods ..... 47
Figure 4.9. Test scenario 1: APS-Loss with initial values ..... 49
Figure 4.10. Test scenario 2: APS-Loss with initial values ..... 49
Figure 4.11. Test scenario 3: APS-Loss with initial values ..... 50
Figure 4.12. Test scenario 4: APS-Loss with initial values ..... 50
Figure 4.13. Test scenario 5: APS-Loss with initial values ..... 51
Figure 4.14. Test scenario 1: APS-Loss with values after k tests ..... 59
Figure 4.15. Test scenario 2: APS-Loss with values after k tests ..... 60
Figure 4.16. Test scenario 3: APS-Loss with values after $k$ tests ..... 60
Figure 4.17. Test scenario 4: APS-Loss with values after $k$ tests ..... 61
Figure 4.18. Maximum APS and precision-recall graph of test scenario 1 ..... 63
Figure 4.19. Maximum APS and precision-recall graph of test scenario 2 ..... 63
Figure 4.20. Maximum APS and precision-recall graph of test scenario 3 ..... 64
Figure 4.21. Maximum APS and precision-recall graph of test scenario 4 ..... 64

# LIST OF ABBREVIATIONS 

| MFM | Matrix Factorization Method |
| :--- | :--- |
| NMFM | Nonnegative matrix factorization method |
| DTI | Drug Target Interaction |
| DSE | Drug Side Effect |
| NMTFM | Nonnegative matrix tri-factorization method |
| DTI | Drug Target Interaction |
| DSI | Drug Side Effect Interaction |
| GDI | Gene Disease Interaction |
| PPI | Protein Protein Interaction |
| DDI | Drug Disease Interaction |

## CHAPTER 1

## 1. INTRODUCTION

### 1.1 Motivation

The integrative study of multimodal biological data is challenging because of its complexity and diversity. A critical issue in bioinformatics and computational biology is that many relationships between biological components and concepts (i.e., genes, proteins, drugs, diseases, etc.) are still unknown due to high costs and time requirements. There are not enough financial budgets to carry out all the laboratory experiments that can reveal these relationships. Even if such a budget exists, experiments take a long time to yield results. Sometimes it is necessary to make a decision very quickly. During the Covid19 pandemic between 2019 and 2022, drugs such as favipiravir, which are known to be effective for other viruses, were tested on humans, and it was observed that they were not effective for Covid19. An essential part of the systematic analysis of these data is integrating the different components of biological data and revealing the relationships between these components through computational biology methods. All this increases the importance of computational biology day by day and motivates researchers to investigate biological data with different computational biology methods. In this thesis, drug-side effect relationships, drug-disease relationships, drug-protein relationships, protein-protein relationships, and protein-disease relationships obtained from different biological databases were integrated into a model. The nonnegative matrix tri factorization (NMTF) was performed algorithm determined new relationships between these components.

### 1.2 Biological Definitions

The first dataset discussed in this thesis is the dataset that expresses drug-side effect relationships. A drug is a chemical preparation that makes it possible to treat a disease, reduce its symptoms or prevent it by affecting living cells. The drug consists of 2 components called "active substance" and "carrier." An active substance is a substance or mixture of substances that act on a living cell. A carrier is a chemical or mixture of substances that allow the active substance to be taken easily by the patient and does not have a separate effect.

The "side effect" of the drug is that the patient is harmed by the drug he is taking. This side effect can occur when used in a single dose or for a long time or when taken at the same time as another drug.

The second dataset is the drug-protein (target) interactions dataset. In the literature, these two problems have generally been investigated independently. Biologically speaking, these problems are two different problems; different experiments need to be done. When considered in terms of calculation, the situation is slightly different. Both problems can be expressed with similar mathematical models, and the result can be reached by applying the same methods to these models.

The target may be, for example, a receptor. A receptor is a component of the body or cell. This component can receive different stimuli and can be a particular cell, a nerve ending, a protein that carries a signal from outside the cell to the inside, or a molecule in the cell membrane where an extracellular protein binds to enter the cell. The receptor concept was introduced into science due to the independent studies of Langley(1905) and Ehrlich, and Ehrlich(1877) was the first to use this notation.

A "ligand" is a molecule that binds to a macromolecule, a protein, or a nucleic acid and has a functional role.

When the receptor structure is known, the method of designing molecules that can affect this receptor is called "docking." Thanks to docking, the interaction of proteins and drugs can be observed.

### 1.3 Mathematical Model of the Prediction Problems in the Biological Data

Definition 1. Let V be a non-empty finite set, and let E be a relation from V to $\mathrm{V} . \mathrm{G}=(\mathrm{V}$, E) pair is called a graph.

For instance, let there be $\mathrm{V}=\{\mathrm{a}, \mathrm{b}, \mathrm{c}, \mathrm{d}\}, \mathrm{E}=\{(\mathrm{a}, \mathrm{b}),(\mathrm{b}, \mathrm{c}),(\mathrm{b}, \mathrm{a}),(\mathrm{c}, \mathrm{c}),(\mathrm{c}, \mathrm{d}),(\mathrm{d}, \mathrm{a}),(\mathrm{d}, \mathrm{b})\}$ In this case, the pair $\mathrm{G}=(\mathrm{V}, \mathrm{E})$ is a graph. We can visualize the graph in this example as follows. (Figure 1.1)


Figure 1.1. Example of a directed graph

Each element of set V is called "vertex," and set E is called "edge."
In the above example, it can be seen that there are both $(a, b)$ and $(b, a)$ edges between a and $b$. Instead of drawing two-directional edges from $a$ to $b$ and $b$ to $a$, it is sufficient to draw an undirected edge between $a$ and $b$. Instead of $(a, b)$, it is used ab to represent the edge between vertices $a$ and $b$ in the graph.

Example. Let the set of vertices V is $\mathrm{V}=\{\mathrm{a}, \mathrm{b}, \mathrm{c}, \mathrm{d}, \mathrm{e}\}$ and the set of edges E is $\mathrm{E}=\{\mathrm{ab}, \mathrm{bc}$, $\mathrm{ac}, \mathrm{bd}, \mathrm{de}, \mathrm{ea}, \mathrm{be}, \mathrm{cd}\}$. So the graph $\mathrm{G}=(\mathrm{V}, \mathrm{E})$ can be visualized as follows.


Figure 1.2. Example of an undirected graph

Definition 2. Let the graph $\mathrm{G}=(\mathrm{V}, \mathrm{E})$ be given. If the $\mathrm{w}: \mathrm{E} \rightarrow \mathrm{R}$ function is defined, the (G, W) pair is called a "weighted graph."

An example of a weighted graph is shown below.


Figure 1.3. Example of a weighted graph

Definition 3. Let the graph $\mathrm{G}=(\mathrm{V}, \mathrm{E})$ be given. A G graph is called a bipartite graph if there are sets V1 and V2, both of which are non-empty sets and also satisfy the following conditions:

1. $\mathrm{V}_{1} \cup \mathrm{~V}_{2}=\mathrm{V}$
2. $V_{1} \cap V_{2}=\varnothing$
3. If $(u, v) \in E$ is either $u \in V_{1}$ and $v \in V_{2}$ or $u \in V_{2}$ and $v \in V_{1}$.

The drug-target interaction prediction problem can be modeled with the help of bipartite graphs as follows.


Figure 1.4. Example of a bipartite graph

Here, V1=\{D1, D2, D3, D4 $\}$ is the set of drugs, and V2=\{T1, T2, T3, T4 $\}$ is the set of targets. If a drug acts on a target, it is a match between the drug and its target; in other words, this drug has been combined with this target line. For example, it can be seen in the figure that it is known that the drug D1 acts on T1 and T3 targets. It is unknown whether the D1 drug acts on the T2 target, which may need to be investigated. We have experienced this problem together during the Covid-19 pandemic process. For example, hydroxychloroquine is a malaria drug, but it has been used for a long time against Covid19 disease, with the thought that it can be effective against the virus.

Similarly, the favipiravir drug is an antiviral developed against the influenza virus, but it was thought that this drug could also successfully treat Covid-19. Remdesivir, on the other hand, was a drug used against Marburg and Ebola viruses, but this drug was found to have an antiviral effect against coronaviruses. As can be seen from these examples, when faced with a new disease, the effects of existing drugs are investigated before developing a new drug.

Developing a new drug is both costly and impossible to prepare in a short enough time. In addition, it is necessary to investigate the effects of existing drugs not only against new diseases but also against known diseases.

Another similar problem is the problem of predicting the side effects of drugs. This problem is modeled with the help of the following graph.


Figure 1.5. Drug-side effect prediction problem as a bipartite graph

Here, $\mathrm{V} 1=\{\mathrm{D} 1, \mathrm{D} 2, \mathrm{D} 3, \mathrm{D} 4\}$ is the set of drugs, and $\mathrm{V} 2=\{\mathrm{S} 1, \mathrm{~S} 2, \mathrm{~S} 3, \mathrm{~S} 4\}$ is the set of side effects of these drugs. Each drug has been paired with the side effects seen in people who have taken this drug, so lines link drugs with the side effects. For example, in the figure, the drug D3 is combined with S1 only, which means that only the S1 side effect has been seen as a D3 drug. However, it is not known whether the D3 drug has any other side effects and whether other side effects for each drug are the subject of constant research. In real life, drugs do not cause the same side effects in every person, and not every side effect is necessarily seen. Side effects are generally written under the headings of common and rarely seen side effects in drug package inserts. In other words, there is an incidence of side effects for each drug, so it would be more accurate to model the DSE prediction problem with a weighted two-cluster graph.


Figure 1.6. Example of a weighted bipartite graph

In the diagram shown in Figure 1.6, it is seen that the D1 drug has three side effects such as $S 1, S 3$, and $S 4$. It is known that among these side effects, the rate of $S 1$ is $40 \%$, the rate of S3 is $30 \%$, and the rate of S 4 is $20 \%$.

### 1.4 Matrix Factorization

In numerical analysis problems, writing a given matrix as the product of two matrices with specific properties has been known as the decomposition terminus for a long time. For example, the Lower-Upper (LU) decomposition method, which is a method of solving the system by writing the matrix of a linear system of equations as the product of the lower and upper triangular matrices, was proposed by Banachiewicz in 1938 (SchwarzenbergCzerny (1995)). In recent years, the importance of the recommender systems problem has led to the development of the non-negative matrix factorization (NMF) algorithm. Later, this algorithm was also used for estimating biological data interactions. In both problems, we have a sparse matrix, and we are trying to predict the unfilled cells of this matrix. We try to approximate this matrix by the product of two non-negative matrices. In biological data, the sparse matrix we mentioned above is the adjacency matrix of a bipartite graph. However, it is challenging to model the integrated data with a bipartite graph. In general, the proposed models consist of a union of bipartite graphs.

### 1.5 Aim of the Thesis

Investigation of integrated biological data is essential for diagnosing and treating diseases and predicting new side effects of the drugs. In addition, these studies can help predict connections between biomolecules such as drug-protein and protein-target. Performing
these studies in laboratories is costly and may not always be reliable due to the limited number of experiments. For this reason, computational estimation methods for drug-target relationships have become more prevalent in recent years. Drug-side effect prediction can reveal some side effects that may not be possible to detect in clinical trials, as some side effects occur under certain conditions.

This thesis aims to predict unknown interactions in biological data by utilizing documented protein-protein, drug-target, gene-disease, and drug-side-effect relationships. To accomplish this task, firstly, biological datasets are obtained from UniProt, String, Stitch, Sider, Drugbank, Drugcentral, DisGENET, and KEGG databases, and their binary relationships are extracted and reformatted as multiple binary relationship matrices. These matrices contain values to be used as relationship weights whenever possible. We aim to obtain relatively sparse matrices due to the high amount of missing data in biological databases. Second, we aim to predict/predict these missing relationships through integrative matrix factorization using the NMTF method. This algorithm has been shown in the literature to solve similar problems successfully. A prediction model is trained and evaluated using classification and regression-based metrics such as precision, recall, average precision accuracy, and mean absolute error. Finally, large-scale estimation of the bilateral relationships between proteins, drugs, diseases, and adverse events are performed using the optimized model. We hope that the results of this thesis will help life scientists efficiently plan their experimental work by providing a preliminary set of biological institutions.

### 1.6 Outline of the Thesis

Within the scope of the second chapter, the literature review carried out has been conveyed. First of all, Non-Negative Matrix Factorization is discussed, and then the prediction problems between biological elements and their solution approaches are mentioned.

In chapter 3, first, the biological elements and their database source and the stages of the database assembly are explained in detail. Next, the mathematical model within the scope of the prediction problem, the model proposed by the thesis, and the solution method are given.

Chapter 4 presents a survey of the data obtained for testing, parameter tests applied within the scope of NMTF, error measurements regarding these tests, and tests performed within the designed scenarios. The results of the performances were compared, and new interaction estimates made with the most appropriate one among them were explained.

The fifth and last chapter revisits the results and their discussion and proposes potential future studies.

## CHAPTER 2

## 2. LITERATURE REVIEW

### 2.1 Nonnegative Matrix Factorization Method

The development of data science towards the end of the 20th century led to the need to use the matrix factorization method in different ways for different problems. Paatero and Tapper (1994) suggested non-negative matrix factorization. The authors expressed the problem as the bilinear matrix equation in this study, but this study can be considered a starting point for further studies. Li et al. (2001) propose a local non-negative matrix factorization (LNMF) method for the problem of visual patterns. They add a term representing localized features to the objective function.

Based on the fact that the matrix given in many problems is very sparse (that is, the value in only a few cells of the matrix is known), Hoyer (2004) examined this proposed method by adding a sparsity condition.

The Matrix factorization method was first explained by Simon Funk in 2006 in a blog post about the recommendation systems competition organized by Netflix. (Funk(2006)). After this competition, researchers' interest in this algorithm has increased considerably. The first serious scientific study describing this method for recommender systems is done by Salakhutdinov and Mnih (2008). The success of this method is highly dependent on the choice of initial matrices. The dimensions of these matrices are often called latent vectors (variables) or hyperparameters. In recent years, studies on the choosing of latent vectors and initial matrices have increased. Langville et al. (2006) compare the various initialization methods and show that the success of results depends on the choosing initial matrices and latent vectors. Ar (2020) proposes a new method for the initial matrices that uses the distribution of the non-empty cells of the given input matrix. Hassani et al. (2021) modify the initialization if the K-spherical Means method chooses the initial matrices.

The NMF method has also been applied to biological data and computational biology problems. Devarajan (2008) discovered molecular patterns such as protein-gene microarray relationships and expression profiles, cross-platform and cross-species analysis, function-gene relationship, and drug-target interaction. Pehkonen et al. (2005) used this method to identify and visualize gene clusters through functional classes. They obtained different grouping results for a different number of clusters, that is, for a different number of latent factors. They separated these clusters using a developed tool called

GENERATOR, differentiating between clusters as the number of clusters changes. They also reported comparing their tools and other computational tools to demonstrate the performance of their algorithm. Zhang et al. (2020) propose a computational method to predict circRNA-disease interactions for integrated biological data. For this, they use the NMF algorithm. Before applying the algorithm, they try various approaches to create more reliable networks. First, circRNA annotation, sequence, and functional similarity networks are determined, and disease-related genes and semantics are used to construct disease functional and semantic similarity networks. Second, metapath2vec++ is used in an integrated network to examine built-in features and initial prediction evaluation. Finally, they use NMF by taking the similarity as a constraint and optimizing it to produce final predictions. Yang and Michailidis(2016) propose a new multimodal data analysis method designed for heterogeneous data based on the NMF method. They provide an algorithm for collaborative decomposition of related data matrices, including a sparsity parameter for multivariate settings. The NMF method was used by Gönen (2012) for the drug-target interaction (DTI) prediction problem. He formulates the problem, which combines binary classification, size reduction, and matrix factorization. He uses in calculations drug similarities and genomic similarity between targets.

The NMTF algorithm, which we used in this thesis and think is suitable for integrated biological data, was first proposed by Ding et al. (2006). Zitnik et al. (2013) use the NMTF algorithm to discover diseases-diseases interactions. Zitnik et al. (2015) apply the algorithm to the gene prioritization problem. Dissez et al. (2019 propose a drug repositioning algorithm based on the NMTF method for the integrated biological data. They demonstrate how to build a general-purpose graph covering the most critical drug discovery aspects. They explore how initiation and termination can significantly affect the quality of outcomes for re-administration of a drug. Ceddia et al. (2020) modify the NMTF algorithm by taking the shortest paths to extract more connections between nodes than those explicitly included in integrated networks. With this modification, the shortest path NMTF method leads to discoveries of drug-protein interactions, new drug annotations, and new drug-disease relationships. The method concludes that drugs target proteins not directly related to known drugs. Pinoli et al. (2021) consider the problem of predicting synergistic drug pairings in several cell lines. To solve the problem, they propose an NMTF-based approach that uses the integration of different data types. The proposed computational framework is based on a networked representation of existing data on drug synergy, allowing for the integration of genomic information into cell lines. They computerize the performance of his method in finding missing relationships between synergistic drug pairs and cell lines, calculate synergy scores between drug pairs in a given cell line, and evaluate the benefits of adding cell line genomic data to the network.

### 2.2 Drug-Target Relationship Prediction Problem

Studies investigating the problem of drug-target relationship estimation can be classified into two groups. Studies in the first group have addressed this problem as the "binary
classification problem." The binary classification problem investigates whether there is a relationship between a drug and a target.

Among the studies in this group, Gao et al. (2018) made predictions using artificial neural networks. In this study, the authors used "long short term memory recurrent neural networks and graph-based convolutional neural networks" to transform protein and drug structures into dense vector spaces. They made the classification with the help of the sigmoid function. The dataset used in this work is the open BindingDB [Gilson et al., 2016]. This dataset contains data that includes the relationship of drug or drug candidate molecules with the target or target candidate proteins. According to their determined criteria, the authors took 1.3 million snapshots from this dataset and created a binary classification set containing 39747 positive and 31218 negative data.

One of the studies that deal with the drug-target relationship estimation problem as a binary classification problem is the study of Wen et al. (2017). This study applied a deep learning algorithm to predict new drug-target associations. The drug and target data used in the study are from the DrugBank database (http://www.drugbank.ca), and the drugtarget interactions protein identifiers section of the DrugBank database is from the "drug target identifier" category ((https://www.drugbank.ca/releases/latest\#protein-identifiers) has been downloaded. In addition, approved drug constructs and approved target sequences were obtained from https://www.drugbank.ca/releases/latest\#structures and https://www.drugbank.ca/releases/latest\#target-sequences, respectively.

Wang et al. 2018, is one of the works classified as binary. This article is based on a hypothesis. This hypothesis is that the interactions between drugs and target proteins are closely related to the sequence of target proteins and the molecular structure of drug compounds. The authors proposed a new 3-step computational method based on this hypothesis to reveal an unknown large-scale drug-target interaction. In the first step of the proposed method, the target protein sequence is converted into a matrix containing biological evolutionary information. In the second step, a deep learning algorithm is applied to reveal hidden high-level features. In the third step, firstly, these features are combined with drug information, the decision tree is created, and finally, the rotation forest classifier is applied to obtain the most probable targets.

One of the studies that deal with the drug-target relationship estimation problem as a binary classification problem is the study of Wen et al. (2017). This study applied a deep learning algorithm to predict new drug-target associations. The drug and target data used in the study are from the DrugBank database (http://www.drugbank.ca), and the drugtarget interactions protein identifiers section of the DrugBank database is from the "drug target identifier" category ((https://www.drugbank.ca/releases/latest\#protein-identifiers) has been downloaded. In addition, approved drug constructs and approved target sequences were obtained from https://www.drugbank.ca/releases/latest\#structures and https://www.drugbank.ca/releases/latest\#target-sequences, respectively.

When the drug-target relationship prediction problem is considered a binary classification problem, it is assumed that the drug acts on a target completely or has no effect. In real life, this is not always the case. A drug can have a specific effect on a target at a certain level. Studies in the second group try to estimate the degree of this effect.

Recently, deep neural networks have been used for DTI prediction problems. Deep models are created either through graph representation (Nguyen et al. (2020), Wang et al. (2020) or sequence representation of the data(Özgur et al. (2018), Zhao et al. (2020), Zeng et al. (2021)).

### 2.3 Drug-Side Effect Prediction Problem

Related studies of these problems can be divided into four groups, including dockingbased, network-based, machine learning-based, and various approaches that differ from these three approaches.

### 2.3.1 Docking Based Studies

Since docking is done directly on the drug target and is not dependent on experimental data, this method is more likely than other methods to reveal new, unexpected associations. However, a long processing time requires the 3D structure of drugs and targets.

Chen and $\operatorname{Ung}(2001)$ performed the docking using a procedure that includes multiple coupling of the shape of the conformer of the molecule with the gap, followed by molecular-mechanical optimization of bending and minimization of energy on both the molecule and protein residues in the binding site. They selected potential protein targets by evaluating the energy of molecular mechanics. They also analyzed the binding competitiveness with other ligands that bind at least one PDB entry to the same receptor site.

### 2.3.2 Graph-based Studies

In this method, the DSE problem is modeled with the help of graphs. These graphs are often bipartite graphs. The notation of a graph is also used as a network in the literature. For this reason, the concept of network-based is sometimes used instead of graph-based. This method requires much less processing time than the docking method and does not require the 3D structure of drugs and proteins, but the success performance is very dependent on the model created. For example, the network neighborhood model only considers direct neighborhoods, which reduces the success performance. Zhao et al. (2021) developed a new drug side effects prediction model that uses a graph attention network to integrate similarity information, known drug-side effects information and word embedding. Luo et al. (2014), Ye et al. (2014), Zhao et al. (2019), and Zhao et al. (2020) are examples of studies published in this group in recent years.

### 2.3.3 Machine Learning-based Studies

If we evaluate these studies in general, we can observe that this method has the following advantageous features: 1) It does not need data in a 3D structure to reach the result 2) The applied algorithms do not work too much in the processing time 3) It requires relatively little supervision. 4) The data need not be very comprehensive.

Besides, this method has the following disadvantages: 1) This method involves uncertainty, and 2) The successful performance of the method depends on the diversity and distribution of the compounds in the dataset.

These studies used machine learning methods such as support vector machine, logistic regression, naive Bayes, k-nearest neighbor, and random forest methods.

Liu et al. (2012) use several machine learning classification methods to integrate different data types into a single model.

Jahid and Ruan (2013) show how similar drugs cause similar side effects and use a machine learning approach to predict them. However, they cannot identify the mechanisms underlying the side effects.

Zhang et al. (2015) propose a multi-label k nearest neighbor algorithm based on feature selection to predict drug side effects.

Dmitri and Lio (2017) developed a new tool based on machine learning to solve the drug side effects problem. They first grouped the drugs according to their properties and then made side-effect estimates based on scores. Biological validation of the resulting clusters is performed using enrichment analysis, another feature implemented in the methodology.

### 2.3.4 Various Approaches

Few studies applied sparse canonical correlation analysis (SCCA; Hardoon \& ShaweTaylor, 2011) or various scoring-based algorithms. Pauwels(2011) and Yamanishi et al. (2012) can be given as examples of such studies.

### 2.4 Biological Databases

This thesis collected Protein-Protein Interactions, Drug-Target Protein Interactions, DrugSide Effect Interactions, Gene-Disease Interactions, Gene-Protein Interactions, and DrugDisease Interactions from certain data banks. These collected interactions were integrated, classified as described in the following subsections, and related matrices were prepared for testing with the Non-Negative Matrix Tri-Factorization algorithm. In line with the purpose of the thesis, a study was conducted to estimate unreviewed or unrecorded potential relationships based on the relationships present in these matrices. Our goal was to improve the accurate selection of samples in labor-time-intensive laboratory
experiments currently being carried out with limited resources. The databases from which data are obtained are as follows;

1. UniProt (UniProt Consortium, T. (2018) and STRING (Protein-Protein Interactions)
2. Drugbank and Drugcentral (Drug-Target Protein Interactions)
3. Sider and STITCH (Drug-Side Effect Interactions)
4. UniProt, HGNC, and NCBI-NIH(Gene-Protein Interactions)
5. Disgenet (Piñero et al. (2019) (Gene-Disease Interactions)
6. KEGG (Kanehisa et al. (2010)), Disgenet and Drugbank (Drug-Disease Interactions)

The databases used and their features, data acquisition, and processing stages are detailed in the following sections. The numerical characteristics of the collected raw data are also given in the same sections. The necessary elimination and editing processes performed on the raw data, the test data obtained as a result, and the characteristics of this data are discussed in the results section.

### 2.4.1 Protein-Protein Interaction Databases

The following databases were administrated for retrieval of the current protein list and protein-protein interactions.

### 2.4.1.1 UniProt (The Universal Protein Resource)

The Universal Protein Resource (UniProt) is a comprehensive protein sequence and annotation data. The UniProt databases are the UniProt Knowledgebase (UniProtKB), the UniProt Reference Clusters (UniRef), and the UniProt Archive (UniParc). The UniProt consortium and host institutions EMBL-EBI, SIB, and PIR, are committed to long-term preserving the UniProt databases.

UniProt collaborates with the European Bioinformatics Institute (EMBL-EBI), the SIB Swiss Institute of Bioinformatics, and the Protein Information Resource (PIR). Across the three institutes, more than 100 people are involved in different tasks such as database curation, software development, and support.

EMBL-EBI and SIB together used to produce Swiss-Prot and TrEMBL, while PIR produced the Protein Sequence Database (PIR-PSD). These two data sets coexisted with
different protein sequence coverage and annotation priorities. Translated EMBL Nucleotide Sequence Data Library ( TrEMBL) was created because sequence data was generated at a pace exceeding Swiss-Prot's ability to keep up. Meanwhile, PIR maintained the PIR-PSD and related databases, including iProClass, a database of protein sequences and curated families. In 2002 the three institutes decided to pool their resources and expertise and formed the UniProt consortium, now headed by Alex Bateman, Alan Bridge, and Cathy Wu.

UniProt is a database that contains many different data classes regarding many existing organisms and can present these data to users holistically. Here are some examples of data classes: names and taxonomy, sequences, function, interaction, expression, gene ontology, structure, subcellular location, family, and domains.

In this thesis, protein entries were used in the acquisition of members of Homo sapiens, which were specified as reviewed proteins (SwissProt) and the subsequent conversion of protein-protein relationships to this format.


Figure 2.1. Sources of annotation for the UniProt Knowledgebase
(https://www.uniprot.org/docs/uniprot_flyer.pdf)

### 2.4.1.2 STRING

It is the data bank within STRING where the interaction data of human proteins are obtained. Thanks to its scoring data feature, it has enabled the creation of matrices that can yield more efficient results in the NTMF algorithm. The definition of the database, according to the website, is as follows; STRING is a database of known and predicted protein-protein interactions. The interactions include direct (physical) and indirect (functional) associations; they stem from computational prediction, knowledge transfer between organisms, and interactions aggregated from other (primary) databases. The STRING database currently covers 24.584 .628 proteins from 5.090 organisms.


Figure 2.2. Data sources of interactions in STRING (https://string-db.org/cgi/about)

### 2.4.2 Drug-Target Protein Interactions

Drug-Target Protein interactions were collected and integrated from two different sources, DrugCentral and Drugbank. In this context, the dataset was prepared by considering the interactions in both databases as commons and separate unique records while separating the duplicated records. General information about the relevant data banks and the method of obtaining data are presented in the following sections.

### 2.4.2.1 DrugCentral

Drugcentral is an online drug information resource created and maintained by the Division of Translational Informatics at the University of New Mexico in collaboration with the IDG (Illuminating the Druggable Genome), according to their introductory page website.

DrugCentral provides information on active ingredients, chemical entities, pharmaceutical products, drug mode of action, indications, and pharmacologic action. They are monitoring FDA, EMA, and PMDA for new drug approval regularly to ensure the currency of the resource. Limited information on discontinued and drugs approved outside the US is also available; however, regulatory approval information can't be verified. The database was developed and maintained by Oleg Ursu, Sorin Avram, Cristian Bologa,

Liliana Halip, Alina Bora, Giovanni Bocci, and Tudor Oprea. Web application developed by Jayme and Holmes.

| Entity | Count |
| :--- | ---: |
| Active Ingredients | 4,714 |
| Small molecule | 3,916 |
| Biologic | 341 |
| Other | 457 |
| FDA drug labels | 105,785 |
| Rx drug labels | 37,089 |
| OTC drug labels | 65,276 |
| Pharmaceutical formulations in FDA drug labels | 129,975 |

Figure 2.3. Summary for DrugCentral database. (https://drugcentral.org/about)

### 2.4.2.2 DrugBank Online

DrugBank Online is a comprehensive, free-to-access online database containing information on drugs and drug targets. They combine detailed drug (i.e., chemical, pharmacological, and pharmaceutical) data with comprehensive drug target (i.e., sequence, structure, and pathway) information as both a bioinformatics and a cheminformatics resource.

DrugBank started in 2006 in Dr. David Wishart's lab at the University of Alberta. It began as a project to help academic researchers get detailed structured information about drugs. In 2011 it became a part of The Metabolomics Innovation Center (TMIC). The project continued to grow in scope and popularity and was spun out into OMx Personal Health Analytics Inc in 2015.

The latest release of DrugBank Online (version 5.1.9, released 2022-01-03) contains 14,595 drug entries, including 2,719 approved small molecule drugs and 1,511 approved biologics (proteins, peptides, vaccines, and allergenic), 132 nutraceuticals and over 6,657 experimental (discovery-phase) drugs. Additionally, 5,269 non-redundant protein (i.e. drug target/enzyme/transporter/carrier) sequences are linked to these drug entries. Each entry contains more than 200 data fields, with half of the information being devoted to drug/chemical data and the other half devoted to drug target or protein data.

### 2.4.3 Drug-Side Effect Interactions

Drug-Side Effect interactions were collected and integrated from two different sources, SIDER, and STITCH. Both databases were used while acquiring Drug-Side Effect Interaction data. General information about the relevant data banks and the method of obtaining data are explained in the following sections.

### 2.4.3.1 SIDER and STITCH

STITCH is a database that mainly uses String DB infrastructure, provides chemical interaction data, records drugs with its unique reference number system (SMILE), and shows their interactions.

On the other hand, SIDER is a database that primarily focuses on side effects and does this by subjecting the data obtained from articles and prospectuses to various criteria (MedDRA, ATC) and using Stitch references.

SIDER (Side Effect Resource) contains information on marketed medicines and their recorded adverse drug reactions. The information is extracted from public documents and package inserts. The available information includes side effect frequency, drug and side effect classifications, and links to further information, for example, drug-target relations. Version 4.1, released on October 21, 2015, was administrated on this thesis. This release version uses the MedDRA dictionary (version 16.1).

The MedDRA Concept Type data class is divided into two classes for presenting detailed information, LLT: Lowest Level Term and PT: Preferred Term.

According to the guidance document, all side effects are given in LLT. Additionally, in PT, each LLT has a PT equivalent. It is said that PT filtering is preferable because the LLT can be overly detailed at times. Both LLT and PT values were considered valuable to avoid data loss since we had already removed duplicate values from the data. When we analyze the data from this perspective, there are 163.206 PTs, 145,742 LLTs, and 901 unclassified entries. These LLTs are equivalent for most purposes and to the same PT. The following example can be given to the LLT, PT distinction.
i. C0235431 PT Blood creatinine increased
a. C0151578 LLT C0151578 Creatinine increased
b. C0235431 LLT C0235431 Blood creatinine increased
c. C0700225 LLT C0700225 Serum creatinine increased
d. C0858118 LLT C0858118 Plasma creatinine increased

### 2.4.4 Protein-Disease Interactions

In order to form the Protein Disease Interactions, the data obtained from the databases, about which information is given in the following section, were used. First, gene-protein interactions and gene-disease interactions were obtained for reference mapping. PDI raw data were created after these two interaction data were mapped as a gene-protein-disease network.

### 2.4.4.1 Gene - NIH under (NCBI (National Center for Biotechnology Information))

The whole Gene ID list available has been collected from the Gene, which is one of the NCBI Databases (Gene 2004).

Gene supplies gene-specific connections in the nexus of map, sequence, expression, structure, function, citation, and homology data. Unique identifiers are assigned to genes with defining sequences, genes with known map positions, and genes inferred from phenotypic information. These gene identifiers are used throughout NCBI's databases and tracked through updates of annotation. Gene includes genomes represented by NCBI Reference Sequences (or RefSeqs) and is integrated for indexing and query and retrieval from NCBI's Entrez and E-Utilities systems. Gene comprises sequences from thousands of distinct taxonomic identifiers, ranging from viruses to bacteria to eukaryotes. It represents chromosomes, organelles, plasmids, viruses, transcripts, and millions of proteins.

### 2.4.4.2 HGNC (HUGO Gene Nomenclature Committee)

The HGNC Gene ID (Nomenclature) content offered by HNGC has been used to understand and compare the nature of missing links and search for alternatives in areas where the Gene ID and or Gene Name data classes are not available. The relevant database is introduced in its resources as follows. (Tweedie et al. (2021))

HGNC is a non-profit making body jointly funded by the US National Human Genome Research Institute (NHGRI) and Wellcome (UK). They operate under the auspices of HUGO, with crucial policy advice from a Scientific Advisory Board (SAB), and they also consult with a team of specialist advisors who support specific gene family nomenclature issues. They collaborate with staff at other gene nomenclature resources, especially the MGNC and RGNC.

The HGNC is responsible for approving unique symbols and names for human loci, including protein-coding genes, ncRNA genes, and pseudogenes, allowing clear scientific communication. For each known human gene, HGNC approves a gene name and symbol (short-form abbreviation). All approved symbols are stored in the HGNC database, a curated online repository of HGNC-approved gene nomenclature, gene groups, and associated resources, including links to genomic, proteomic, and phenotypic information. Each symbol is unique, and they ensure that each gene is only given one approved gene symbol. It is necessary to provide a unique symbol for each gene so that they and others can talk about them, and this also facilitates electronic data retrieval from publications and databases. In preference, each symbol maintains parallel construction in different members of a gene family and can also be used in other species, especially other vertebrates, including mice. There is an already approved almost 43,000 symbols; around 19,000 are for protein-coding genes, and the remainder includes pseudogenes, non-coding RNAs, and genomic features.

### 2.4.4.3 DisGeNET

The DisGeNET database is vital in the thesis work, especially with the UMLS Concept ID from the data classes it contains. Due to the subject data class, both diseases and side effects can be mapped based on ID. In addition to getting rid of the adverse impacts of name-type naming, it is ensured that intersecting common records are not eliminated and disrupt the interaction prediction. The brief introductory information about him is as follows; DisGeNET is a discovery platform containing one of the largest publicly available collections of genes and variants associated with human diseases; it integrates data from expert-curated repositories, GWAS catalogs, animal models, and the scientific literature. Stored data are homogeneously annotated with controlled vocabularies and
community-driven ontologies. Additionally, several original metrics are provided to assist in prioritizing genotype-phenotype relationships.

The current version of DisGeNET (v7.0) contains 1,134,942 gene-disease associations, between 21,671 genes and 30,170 diseases, disorders, traits, and clinical or abnormal human phenotypes, and 369,554 variant-disease associations, between 194,515 variants and 14,155 diseases, traits, and phenotypes.

### 2.4.5 Drug-Disease Interactions

### 2.4.5.1 KEGG (Kyoto Encyclopedia of Genes and Genomes)

Although the KEGG database has its unique identification system and does not have the user-friendly interface used by other databases today, it has been used to provide some fundamental data for our thesis due to its bioinformatics elements and their interaction data. This database, which makes a difference, especially with Drug Disease Interaction data, is defined in its resources.

KEGG is a database resource for understanding high-level functions and utilities of the biological system, such as the cell, the organism, and the ecosystem, from genomic and molecular-level information. It is a computer representation of the biological system, consisting of molecular building blocks of genes and proteins (genomic information) and chemical substances (chemical information) that are integrated with the knowledge of molecular wiring diagrams of interaction, reaction, and relation networks (systems information). It also contains disease and drug information (health information) perturbations to the biological system.

KEGG is an integrated database resource consisting of sixteen databases shown, and they are broadly categorized into systems information, genomic information, chemical information, and health information.


Figure 2.4. KEGG data summary (https://www.genome.jp/kegg/kegg1a.html)

### 2.5 Matrix Factorization Method

In numerical analysis problems, the method of writing a given matrix as the product of two matrices with specific properties has been known as the decomposition terminus for a long time. For example, the LU decomposition method, which is a method of solving the system by writing the matrix of a linear system of equations as the product of the lower and upper triangular matrices, was proposed by Banachiewicz in 1938.

The development of data science towards the end of the 20th century led to the need to use the matrix factorization method in different ways for different problems. Paatero and Tapper (1994) suggested nonnegative matrix factorization.

Based on the fact that the matrix given in many problems is very sparse (that is, the value in only a few cells of the matrix is known), Hoyer (2004) examined this proposed method by adding a sparsity condition.

As used in this thesis, the Matrix factorization method was first explained by Simon Funk in 2006 in a blog post about the recommendation systems competition organized by Netflix. (Funk(2006)). The first serious scientific study describing this method for suggestion systems is by Salakhutdinov. and Mnih A (2008). The matrix factorization method for the first time by Gönen(2012) for the DTI estimation problem.

An M matrix can represent every graph on the computer. If there are $m$ drugs and $n$ side effects (or targets) in a DSE (or DTI) estimation problem, the size of the M matrix will be mxn . If there is an edge between Di drug and Sj (or Tj ) in the graph, one is written in the M matrix cell ( $\mathrm{i}, \mathrm{j}$ ); otherwise, zero is written. Let us consider the following example. (Figure 2.5)


Figure 2.5. DSE prediction example given by a bipartite graph

For this example, the matrix M is $4 \times 3$ dimensional and will look like this

$$
M=\left[\begin{array}{lll}
1 & 0 & 1 \\
0 & 1 & 0 \\
1 & 1 & 0 \\
0 & 1 & 0
\end{array}\right]
$$

M is a large and sparse matrix, which means that 1 s in the matrix are much less than 0 s .
The Matrix Factorization Method can be briefly described as follows:
Choosing k small positive integer, $0<\mathrm{a}<1,0<b<1$. It is necessary to find such L and R matrices of $m x k$ and kxn dimensions, respectively, so that the following function takes the minimum value:

$$
\begin{equation*}
\sum_{M_{i j}=1}\left[(L R)_{i j}-M_{i j}\right]^{2}+a\|L\|^{2}+b\|R\|^{2} \tag{1}
\end{equation*}
$$

Here $\|L\|$ and $\|R\|$ denote the norm of these matrices, and the norm of a matrix A is defined as follows:

$$
\begin{equation*}
\|A\|=\sqrt{\sum_{i, j} A_{i j}^{2}} \tag{2}
\end{equation*}
$$

The Matrix Factorization method can perform with the following steps:
Step 1. Small positive integer k and numbers a and b that meet the conditions $0<\mathrm{a}<1$, $0<b<1$, and a number e close to 0 are selected.

Step 2. The mxk and kxn sized L and R matrices are taken randomly.

Step 3. Calculating the $\mathrm{P}=\mathrm{LR}$ matrix.
Step 4. For each ( $\mathrm{i}, \mathrm{j}$ ) cell equal to 1 of the M matrix, the square of the difference between Pij and Mij is calculated, and these values are collected in an E variable.

Step 5. The values of a and b that meet the conditions $0<\mathrm{a}<1,0<\mathrm{b}<1$ are taken, and $\mathrm{E}+|a| L\left\|^{2}+b\right\| R \|^{2}$ is assigned to E .

Step 6. Searching for other $L$ and $R$ matrices that make the $E$ value smaller.
Step 7. If the absolute value of the difference between two consecutive values of $E$ is greater than e, go to the third step; otherwise, the algorithm stops working.

The matrix factorization method can be explained with a simple example. For instance, the following DSE prediction problem was given. (Figure 2.6)


Figure 2.6. A graph for the explanation of MFM

The matrix of this graph will be as follows:

$$
M=\left[\begin{array}{lll}
1 & 0 & 1 \\
0 & 1 & 0 \\
1 & 0 & 0
\end{array}\right]
$$

Let us take the $\mathrm{k}=1$ and $\mathrm{a}=\mathrm{b}=0.1$. Let $\mathrm{L}=\left[\begin{array}{l}1 \\ 0 \\ 1\end{array}\right]$ and $\mathrm{R}=\left[\begin{array}{lll}1 & 0 & 1\end{array}\right]$. Let us calculate the LR matrix.

LR obtained as,

$$
\mathrm{LR}=\left[\begin{array}{lll}
1 & 0 & 1 \\
0 & 0 & 0 \\
1 & 0 & 1
\end{array}\right]
$$

If we compare LR and matrix M, the places with 1 in the M matrix, we can see that only the value in cell $(2,2)$ is different. For these $L$ and $R$ matrices, we find the $E$ value $\mathrm{E}=1+0.1(1+1)+0.1(1+1)=1.4$

Now let us take $L=\left[\begin{array}{l}1 \\ 1 \\ 1\end{array}\right]$ and $\mathrm{R}=\left[\begin{array}{lll}1 & 1 & 1\end{array}\right]$. In this case, the LR matrix is obtained as;

$$
\mathrm{LR}=\left[\begin{array}{lll}
1 & 1 & 1 \\
1 & 1 & 1 \\
1 & 1 & 1
\end{array}\right]
$$

Since the matrix $M$ has all cells equal to 1 , this time, the $E$ value will be $\mathrm{E}=0.1(1+1+1)+0.1(1+1+1)=0.6$. No smaller value can be obtained for this example. This simple example concludes that every D1, D2, and D3 drug has S1, S2, and S3 side effects.

### 2.6 Non-Negative Matrix Tri-Factorization Method

Let us denote the unit matrix with I. For matrix A, if we denote the transpose of AT and matrix A, the matrix consists of the interchanges of rows and columns.

As an example, it $M=\left[\begin{array}{lll}2 & 1 & 3 \\ 4 & 2 & 1\end{array}\right]$ is, then $M^{T}=\left[\begin{array}{ll}2 & 4 \\ 1 & 2 \\ 3 & 1\end{array}\right]$ will be.
If $\mathrm{A} . \mathrm{AT}=\mathrm{I}$ for a matrix A , then the matrix A is called an orthogonal matrix as a definition.
For example, $A=\left[\begin{array}{rr}\frac{3}{5} & \frac{4}{5} \\ -\frac{4}{5} & \frac{3}{5}\end{array}\right]$ its matrix is an orthogonal matrix
If there are no negative numbers in the cells of the input matrix, such matrices are called non-negative matrices. In Ding et al.'s (2006) study, the matrix factorization method was developed. Let our input matrix be the non-negative matrix M with dimensions nxm. Let
us pick a small number, k . We are looking for $\mathrm{L}, \mathrm{S}$, and R matrices of nxk, kxk, and mxk dimensions, respectively,

$$
\begin{equation*}
\sum_{M_{i j}>0}\left[\left(L S R^{T}\right)_{i j}-M_{i j}\right]^{2} \tag{3}
\end{equation*}
$$

let the expression take the smallest possible value. Here $L$ and $R$ matrices are orthogonal matrices. This method is called the matrix tri-factorization method. If $\mathrm{n}=\mathrm{m}$ and matrix M is a symmetric matrix, then $\mathrm{L}=\mathrm{R}$.

## CHAPTER 3

## 3. MATERIALS AND METHODS

### 3.1 Acquisition of PPI Data

To acquire the PPI dataset, proceeded as follows;
Step 1. Downloaded String DB references for 20.375 Human proteins on UniProtKB
Step 2. Eliminated a total of 1.822 protein data lines without STRING reference numbers
Step 3. For the remaining 18.553 protein entry, the STRING reference numbers were edited as part of the database search requirement, clearing the organism code and other code expressions, 9606. and; i.e.

Step 4. This protein data was queried at the STRING database's lowest possible confidence level (0.15). Before this query, the protein data were converted into clusters of 1.800 members since the related database offers the possibility to query up to 2.000 entries within the technical possibilities.

Step 5. As a result, 561.330 PPI data were obtained, reference numbers were switched back to UniProt IDs, and scores were created. 100 PPI data had to be eliminated in the final stage because two different STRING cross-reference values were allocated for P11836 and Q9H714. Thus, the raw data of the PPI dataset was created.

As a result, we have the following raw data regarding the network we want to create as a result of the study;

Protein-Protein Interaction; a total of 561,330 scored relationships were obtained to form a Laplacian matrix with dimensions of $17,765 \times 18,002$ (X1: Protein, Y1: Protein), and the scores were above the 0.15 confidence interval, which is the lowest confidence level STRING could provide (when we consider the matrix dimensions only to the members with relations, the matrix dimensions). The numbers of all protein entries as classified reviewed and SwissProt are 20.376, but we must state that 1,823 protein entries do not contain a STRING reference, and 788 proteins score below 0.15 .

However, this raw data has been eliminated for finding the new predictions with an algorithm. The reasons for this process and the final numeric characters have been given in the results section.

### 3.2 Acquisition of DTI Data

Step 1. Drug-Target Protein interaction data extracted from literature, drug labels, and external data sources downloaded from DrugCentral DB. This raw data includes the following classes and contains a total of 19,379 rows of data; Drug Name, Struct ID, Target Name, Target Class, Accession No, Gene, Swiss-Prot, act_value, act_unit, act_type, act_comment, act_source, act_source_url, relation, MOA, MOA Source, MOA Source URL, action type, tdl, and Organism.

Step 2. Non-Homo sapiens organisms were eliminated from the raw data content first. (Remaining data 14,301, eliminated data 5.077)

Step 3. Uniprot and Swiss-Prot references were checked; there are no empty entries in these classes, so there is no elimination realized.

Step 4. At this stage, more than one UniProt ID belongs to a drug in the data content; in some drugs, these two different reference values, while in others, it reaches up to 55 values. Each interaction was converted into pairs containing singular information, yielding 15,457 rows of data, including redundant data.

Step 5. From the existing data, columns Struct ID, Target Name, Target Class, Gene, Swiss-Prot, act_value, act_unit, act_type, act_comment, act_source, act_source_url, relation, MOA, MOA Source, MOA Source URL, action type, tdl, and Organism classes have been removed. Duplicate entries were eliminated, resulting in DrugCentral-sourced data consisting of 15,347 lines.

Step 6. DrugBank data was analyzed and processed as the second step of dataset preparation. The downloaded data's existing DrugBank ID, Type, and UniProtName classifications were eliminated.

Step 7. The data, which includes a total of 21,626 lines, lines by parsing the data belonging to non-human organisms besides the human protein data although they are not reviewed (SwissProt), remaining data consists of 20,375. After the redundant data is eliminated, our DrugBank data consisting of 16,794 lines of unique data, is formed.

Step 8. Before merging data from both databases, it was examined to determine how many entries we got from which database and the number of those that were found in both databases and those that were not. According to this;
I. Number of Drugcentral specific DTIs: 4.508
II. Number of Drugbank specific DTIs: 3.836
III. Number of common DTIs registered on both databases: 27,178.

Step 9. Following the merging of Drugbank and Drugcentral data $(35,522)$, duplicate data was removed, and 28,522 rows of DTI data were available with data from both databases.

As a result, we have the following raw data regarding the network we want to create as a result of the study;

Drug-Target (Protein) Interaction; a total of 28,522 relationships that will take one value. When we consider the matrix dimensions only to the members with relations, the dimensions are $6.594 \times 3.265$ (X1:Drug, Y1:Protein)

However, this raw data includes drug names as a node reference and must be converted to Drugbank IDs. For that reason, raw data is mapped over IDs for quickly finding the new predictions with the algorithm. The steps of this process and final numeric characters have been given in the results section.

### 3.3 Acquisition of DSI Data

Drug Names x Stitch ID data downloaded from Sider DB and Stitch ID x ATC Code data are integrated. Then, only Stitch ID1 and Side Effect data were extracted from the table containing StitchID1, StitchID2, UMLS Concept, MedDRA Concept Type, MedDRA Term, and Side Effect data. Sider frequencies of side effects also provide data. However, they could not be used because they partly scored verbally and partly in numerical groups.

The use of two different Stitch IDs was researched in the data. Accordingly, a decision has been made to use it as a reference value and integrate Stitch ID > Side Effect > Drug Name. Stitch ID_1 CID1XXX format is used for flat compounds, while Stitch ID_2 CID0XXX represents stereo-specific compounds. E.g., CID100000085 stands for carnitine, while CID000010917 stands for L-carnitine. Since flat compound Stitch ID is used for all other reference tables in the database, the data column in CID0XXX format has been removed. In the last case, the data consisting of 309,849 lines were purified from repetitive entries. The Drug-Side Effect Interaction data consisting of 158.209 lines were obtained, so the third matrix to be used in the algorithm is completed.

Due to a suspicion of potential error in the side effect data compilation process, the Drug Name x Side Effect data was reviewed again.; The merge, elimination, and integration sequence at different stages are repeated. The number of duplications and their reasons can be explained as follows:

Step 1. The raw data from Sider is divided into LLT, PT, and Non according to their "meddra_concept_type."

Step 2. While the number of data in the LLT class is 145,742 , the classes Stitch_ID2(stereo-specific compound reference), umls_concept_ID, and meddra_term purged. Duplications from the table of Stitch_ID1 x Side Effects classes were eliminated. So we have 138,899 rows of unique data rows. (Number of Duplicated Data: 6,843)

Step 3. While the number of data in the PT class was 163.206 , the same operations were repeated in the previous item. As a result, we have 145,321 rows of unique data rows. (Number of Duplicated Data: 17,885)

Step 4. In the NON-class (without the meddra_concept_type classification), the number of data was 901 , and I repeated the same operations. As a result, we have 857 rows of unique data rows. (Number of Duplicate Data: 44)

At this stage, we believe that the factor that causes the data number to decrease due to duplications is eliminating the Stitch_ID2 class. Because one Stitch_ID1 (flat-compound) data versus more than one Stitch_ID2 data and Side Effect mapped, this ensures that the raw data is unique without the classes that which was eliminated, and as we eliminate the classes, only the redundant data after mapping in Stitch_ID1 x MedDRA Concept Type x Side Effect, causing elimination.

Step 5. All the data combined. In this intermediate data form of 285,077 rows, we have eliminated the distinctive class "meddra_concept type." After this process, when the duplication elimination is realized again, we have 163.221 unique data. The large number of duplications in this data I attributed with Stitch_ID1 x Side Effect classes to the fact that all side effects are given as LLT and also processed as PT, but in some cases, LLT is the same as PT. The following statement on the Sider download page is also for this; All side effects found on the labels are given as LLT.

Additionally, the PT is shown. There is at least one PT for every LLT, but sometimes the PT is the same as the LLT. LLTs are sometimes too detailed, and therefore you might want to filter for PT. (Number of Duplicate Data: 121,856)

Step 6. At the last stage, the Stitch_ID1 X Side Effect data match, consisting of 163.221 lines, with the DrugNames (Stitch_ID1 x DrugNames) data I obtained from the Stitch_ID1 reference point, again via Sider DB. Again, this final form was checked in the Drug Names x Side Effect classes for duplications. We got Side Effect data consisting of 158.209 unique lines. (Number of Duplicate Data: 5.012) At this stage, we think that the reason for the existing duplications may be more than one Stitch_ID1 definition for a drug name.

As a result, we have the following raw data regarding the network we want to create as a result of the study;

Drug-Side Effect Interaction; a total of 158.209 relations were gathered to be used in a relation matrix with dimensions of $1.345 \times 6.123$ (X1: Drug, Y1: Side Effect), and the value of 1 was obtained by using the data in the databases together when we apply the matrix dimensions only to the members with relations. This raw data only consists of drug and side effect names; for smooth and fast test runs of our code and algorithm, all of these nodes needed to be converted as IDs.

Like others, this raw data also has been eliminated for finding the new predictions with the algorithm. The reasons for this process and the final numeric characters have been given in the results section.

### 3.4 Acquisition of PDI Data

In creating the Protein Disease neighborhood matrix, Gene X Protein relationships should be obtained in the first step. Data collection and preparation processes carried out in this context are explained in the continuation of the subsection.

As a starting point, an attempt was made to reach all of the Gene ID references corresponding to proteins in the SwissProt (reviewed) class. Therefore, the Gene ID data of 1.518 entries did not exist in the Protein Gene Interactions data downloaded from UniProtKB in the first place. In the previous process, it was thought that this deficiency could be overcome with HGNC ID, but since HGNC-ID and Gene-ID data did not belong to the same class, it was necessary to develop a different approach. Within the framework of this approach, the following stages were followed;

In the first stage, UniProt ID / Gene Names / Gene ID / HGNC class data table was downloaded from UniProtKB; this data contains 20.376 protein entries, including all SwissProt class proteins.

When examined, there were 1.518 protein entries without Gene ID data, 190 without HGNC ID data, and 136 protein entries without Gene Name data. It was assumed that protein entries missing in GeneID data should contain at least one of these three data classes to be completed using other data references. So, 132 entries were identified in this table that had none of the Gene Names, Gene ID, and HGNC ID data in common; Due to the lack of reference data on these, they were excluded from the sample, and the remaining data of 20.244 lines continued to be examined. (When the random entries selected in the 132 screening sample are checked retrospectively in UniProtKB, it is seen that there is no record of the gene data.)

During the pre-processing, for 1.386 entries without Gene ID data, the tables are completed using Genes Names and HGNC ID references. For this purpose, first, all Homo sapiens gene data with organism code 9606 was obtained from NCBI-NIH / Gene DB, and all data classes except NCBI Gene ID / Nomenclature ID (HGNC) / Ensembl Gene ID / Synonyms and SwissProt Accession (UniProt ID) were eliminated. As such, 198.866 lines of data were available. After eliminating the 58.133 lines of data that did not correspond to Swissprot Accession, 140.733 rows of data were left. All data classes except NCBI Gene ID and Swissprot Accession were eliminated, and repetitive values for the remaining classes were eliminated, yielding 20.197 lines of unique UniProt ID / Gene ID data. Because there was more than one SwissProt ID equivalent for some Gene ID values, these data were combined into single matches, and a reference table of 20.301 rows and non-repeating values to be used for completion was created.

In the next step, the data obtained from UniProtKB and the data obtained from NCBI-NIH were mapped to complete the missing/missing links, and as a result of this process, only 124 UniProt ID data without Gene ID counterparts remained. Thanks to NCBI-NIH data, 1.262 missing links were resolved.

HGNC ID data and Gene Name data were checked for the remaining 124 UniProt ID entries without Gene ID data. It was observed that 37 entries did not have HGNC ID data, but all of them had Gene Name naming. A new mapping process was initiated over the HGNC ID X Gene ID link, and 87 more lost links were recovered. The remaining 37 missing links were manually searched and reviewed one by one on both NCBI NIH and UniProtKB, and a total of 11 more working references were found.

At the last stage, "This record has been withdrawn by NCBI because the model on which it was based was not predicted in later annotation" or "This record has been withdrawn by NCBI staff. By XM_006717347.3 which is not sufficient evidence to define a distinct gene", it has been determined that reference withdrawal was made for various reasons.

As a result, 20.542 rows of interaction data were obtained by eliminating 158 missing links and singularizing the Gene x Protein data with the remaining relationships. The prediction test will not be performed as a standalone matrix. In this data, the number of unique proteins present is 20.218, while the number of unique gene ids is 20.287.

In the second part of the study on Protein Disease Interactions, research was conducted within the scope of Gene Disease Interactions. DisGeNET, which has a short introductory content in the previous section, has been used as a data bank in this sense. The research and evaluation processes of the subject data are given below.
"Curated" Gene Disease Associations and "BeFree" Gene Disease Associations tables, containing relationships from different sources, were downloaded via DisGeNET. When the features of these tables are examined respectively, the data contained in the first one, UniProt, see that it is supported by expert-curated resources such as CGI, ClinGen, Genomics England Panel App, PsyGeNET, Orphanet, the HPO, and CTD. At the same time, the content found in the latter is extracted gene-disease associations from MEDLINE abstracts published between January 1970 and December 2019 using the BeFree system. We see that while negations of associations were detected using patterns and keywords.

The data classes that have been used and have DisGeNet DB are; geneID (NCBI Entrez Gene Identifier), gene symbol (Official Gene Symbol), diseaseID (UMLS concept unique identifier), disease name (Name of the disease), and evidence index. In particular, the "Evidence index" (EI) scoring was used as a distinguishing factor in evaluating the data. Because when the content of this data class is examined, the EI indicates the existence of contradictory results in publications supporting the gene/variant-disease associations. This index is computed for the sources BeFree and PsyGeNET by identifying the publications reporting an adverse finding on a particular VDA or GDA. The EI classification can be summarized as follows:
i. $\quad \mathrm{EI}=1$ indicates that all the publications support the GDA or the VDA
ii. EI $<1$ indicates that there are publications that assert that there is no association between the gene/variants and the disease.
iii. If the gene/variant has no EI value, the index has not been computed for this association.

The EI is computed as follows; where: Npubspositive is the number of publications supporting a GDA in BeFree or PsyGeNET, or a VDA in BeFree and Npubstotal, is the total number of publications in BeFree or PsyGeNET supporting that GDA, or in BeFree for VDAs

$$
\begin{equation*}
E I=\frac{N_{\text {pubs }_{\text {pozitive }}}}{N_{\text {pub }_{\text {toal }}}} \tag{4}
\end{equation*}
$$

Considering Evidence Index scoring and explanations, relationships classified as EI<1 in the BEFREE labeled data were excluded and eliminated. At the same time, there is no excluded data in the data labeled Curated.

Table 3.1. The distribution of data and number of interactions within the scope of EI

| $\#$ | El=1 | El<1 | No-EI | Total |
| :---: | :---: | :---: | :---: | :---: |
| Curated | 74.279 | 5.376 | 4.383 | 84.038 |
| BeFree | 791.871 | 54603 | 0 | 846.474 |

Additionally, source and score data classes are eliminated by DSI, DPI, disease type, disease class, diseaseSemanticType, YearInitial, YearFinal, NofPmids, NofSnps, and source and score data classes; they do not have a single classification system, and no data separation is made according to them.

Before these two different tagged relationships are combined, screened, and duplication checked, the Curated Gene Disease Association data consists of 84,038 rows that do not contain duplicate items. The BEFREE Gene Disease Association data consists of 846,474 rows that do not contain duplicate items. First, 54,603 relationships, BEFREE-labeled data with an EI value of less than one were excluded. As a result of combining the remaining relationships, 875,909 lines of Gene X Disease data were obtained. When it is combined the data belonging to these two different classes by adding the source information, since
they may have been registered more than once in different sources, it was determined that 41,374 relations were entered into the records twice, so a total of 20,687 records originating from BEFREE were excluded from the scope. As a result, a total of 855,222 lines of integrated and unique relationship data were obtained from these sources. The numerical properties of these relationships, for which we did not create any matrix on their own, appear as X1: 19.203 Gene-ID and Y1: 23.005 Disease-ID.

These two data sets, the stages of which were obtained in this way, were combined into a single data set as Protein Disease Interaction to be used in neighbor matrices and make new interaction estimations. Other operations are explained in the results section.

### 3.5 Acquisition of DDI Data

The last data set used in this thesis study, Drug X Disease Interactions, was prepared by KEGG, Drugbank, and DisGeNET databases. Compared to our other datasets, the following processes have been followed in order to progress with minimum loss in this dataset, which has very few interactions and nodes and is very valuable in this sense.

Working with the initial data set consisting of a total of 4,891 relationships on KEGG DB, which is one of the rare sources where the subject interactions can be found holistically, initially included 1,961 unique drugs and 544 unique disease entries. However, these data could not be linked with the data types in the interaction matrices created before due to the referencing system used by KEGG DB (Drug Format: D0123, Disease Format: H0123). In order to meaningfully link this unique referencing with other matrices retrospectively, the KEGG Drug ID entries, which form the first part of the matrix, were converted into Drugbank IDs. Using the data provided by the Drugbank database access, Drugbank ID X KEGG ID mapping of all available drugs was performed. Thanks to this mapping, 1,299 of the 1,961 unique drug entries could be referenced with the DrugbankID data.

As can be understood from the number of entries not found, there are several reasons why some of the KEGG Drug ID X Drugbank ID references are not responding; one of them is specified in a phrase that appears on the Drugbank screen while manually referencing; "this drug entry is a stub and has not been fully annotated. It is scheduled to be annotated soon". These entries are mainly traditional Japanese and Chinese therapeutic mixtures (specified as plant species in the contents of KEGG Entry) as listed in table 3.2.

Finally, in response to a disease entry, we would like to point out that KEGG DB has entered drugs in X and Y format due to the combined use of more than one drug in the clinic; these have also been made into single links. Therefore, the total number of relationships has been 4,948 .

Table 3.2. Traditional drugs on KEGG

| KEGG Disease ID | KEGG Drug ID | KEGG Drug Name | KEGG Disease Name |
| :---: | :---: | :---: | :---: |
| H01445 | D07002 | Daiobotampito | Acne vulgaris |
| H01445 | D06982 | Jumihaidokuto | Acne vulgaris |
| H01445 | D06938 | Keigairengyoto | Acne vulgaris |
| H01445 | D06950 | Keishibukuryogankayokuinin | Acne vulgaris |
| H01445 | D06996 | Seijobofuto | Acne vulgaris |
| H01445 | D07021 | Tokishakuyakusan extract (JP17) | Acne vulgaris |
| H01445 | D01996 | Tosufloxacin tosylate hydrate (JP17) | Acne vulgaris |
| H01631 | D03328 | Carperitide (USAN/INN) | Acute heart failure |
| H01360 | D06987 | Shoseiryuto extract (JP17) | Allergic rhinitis |
| H01632 | D01691 | Nipradilol (JAN/INN) | Angina pectoris |
| H00079 | D07030 | Bakumondoto extract (JP17) | Asthma |
| H00079 | D07004 | Daisaikoto extract (JP17) | Asthma |
| H00079 | D07005 | Daisaikotokyodaio | Asthma |
| H00079 | D01845 | Fudosteine (JP17/INN) | Asthma |
| H00079 | D06955 | Gokoto | Asthma |

Next, KEGG Drug Names were manually searched on DrugbankDB for the remaining 662 unique drug entries. Little progress has been made by mapping the KEGG Drug Name > Drugbank Drug Name, but very little data can be referenced in this way. During the current manual query processes, KEGG stores the Drug Name class as more than one (up to twelve in some drugs); an example of this situation is shared in table 3.3 below.

Table 3.3. Examples of KEGG drug names

| KEGG Drugld | KEGG Drug Name1 | KEGG Drug Name2 |
| :---: | :---: | :---: |
| D02598 | Infliximab (USAN/INN) | Infliximab (genetical recombination) (JAN) |
|  | KEGG Drug Name3 | KEGG Drug Name 4 |
|  | Infliximab (genetical recombination) [Infliximab biosimilar 1] (JAN) | Infliximab (genetical recombination) [Infliximab biosimilar 2] (JAN) |
|  | KEGG Drug Name5 | KEGG Drug Name6 |
|  | Infliximab (genetical recombination) [Infliximab biosimilar 3] (JAN) | Infliximab-dyyb |
|  | KEGG Drug Name7 | KEGG Drug Name8 |
|  | Infliximab-abda | Infliximab-axxq |
|  | KEGG Drug Name9 | KEGG Drug Name 10 |
|  | Remicade (TN) | Inflectra (TN) |

When searching by name on Drugbank, it has been seen that USAN-labeled names usually give high results, but JAN, INN, and JN17-labeled names have few responses. In addition, TN-labeled names are thought to be different brand drugs with the same active substance produced by different companies. Searches that did not respond to the first name were also tried with the second and third names to refer to them with the least possible loss, but as a result, the Drugbank IDs for 152 drugs could not be found. There is no doubt that the reasons mentioned above also have an impact on this issue.

KEGG Disease ID entries, which form the second part of the matrix, were converted to Disgenet Disease ID format. At this stage, "Disgenet Disease ID X Disgenet Disease Name X KEGG Disease Name X by KEGG Disease ID mapping, 2,094 of 4,948 relationship data were mapped in this way, but 2,854 relationships were exposed, and it was seen that they consisted of 330 unique diseases. Referencing these missing links was again carried out with manual controls. It is seen that the records entered as different diseases in the Disgenet and KEGG records, by their nature, actually contain only minor nuances. These are; are factors such as commas, hyphens, numbers, or inverted expressions that make mapping through text difficult. During the procedures, the disease names and the MeSH (Medical Subject Headings) data included in the KEGG data were used. MeSH data could also be used for mapping because both KEGG and Disgenet use this data, but this was not possible as Disgenetin does not presently have MeSH data inaccessible data tables. As a result, reference could not be made for only five diseases, and "KEGG Disease ID X KEGG Drug ID X Drugbank ID X Disgenet ID" data was created. After eliminating the unanswered relationships and duplicate entries from any reference point, the DrugX Disease data that will form the final neighborhood matrix consists of 3.742 Interactions and X1: 1.447 (Drug) X2: 517 (Disease) nodes.

As it will be explained in the Result section, no such relationship has been made about this data. In contrast, the relationships other than the nodes that do not have a common in some matrices are eliminated.

### 3.6 Proposed Model

Our objective function is as the following:

$$
\begin{equation*}
F\left(H_{1}, H_{2}, H_{3}, H_{4}, A_{12}, A_{23}, A_{24}, A_{34}\right)=\left\|R_{12}-H_{1} A_{12} H_{2}\right\|^{2}+\left\|R_{23}-H_{2} A_{23} H_{3}\right\|^{2}+\left\|R_{24}-H_{2} A_{24} H_{4}\right\|^{2}+\left\|R_{34}-H_{3} A_{34} H_{4}\right\|^{2} \tag{5}
\end{equation*}
$$

Our aim is to minimize this objective function under the constraint:

$$
\begin{gather*}
H_{1} \geq 0, H_{2} \geq 0, H_{3} \geq 0, H_{4} \geq 0  \tag{6}\\
H_{1}^{T} H_{1}=I, H_{2}^{T} H_{2}=I, H_{3}^{T} H_{3}=I, H_{4}^{T} H_{4}=I  \tag{7}\\
A_{12} \geq 0, A_{23} \geq 0, A_{24} \geq 0, A_{34} \geq 0 \tag{8}
\end{gather*}
$$

Here $R_{12}, R_{23}, R_{24}, R_{34}$ are the matrices with sizes $n_{1} x n_{2}, n_{2} x n_{3}, n_{2} x n_{4}, n_{3} x n_{4}$, respectively.
$H_{1}, H_{2}, H_{3}, H_{4}$ are non-negative orthogonal matrices with sizes $n_{1} x k_{1}, n_{2} x k_{2}, n_{3} x k_{3}, n_{4} x k_{4}$ , respectively.
$A_{12}, A_{23}, A_{24}, A_{34}$ are matrices with sizes $k_{1} x k_{2}, k_{2} x k_{3}, k_{2} x k_{4}, k_{3} x k_{4}$, respectively.

In the formula of objective function $F$ by the $\|S\|$ we denote the Frobenius Norm of a matrix.

$$
\begin{equation*}
S=\left[s_{i j}\right], 1 \leq i \leq m, 1 \leq j \leq n \tag{9}
\end{equation*}
$$

that is

$$
\begin{equation*}
\|S\|=\sqrt{\sum_{i=1}^{m} \sum_{j=1}^{n} s_{i j}^{2}} \tag{10}
\end{equation*}
$$

We use the random Acol initialization technique for initial values of the matrices $H_{1}, H_{2}, H_{3}, H_{4}$, which was introduced by Langville et al. (2006).

In this technique $H_{1}$ is initialized by averaging $p$ randomly chosen columns from $R_{12}$. Unlike this method, in random selection, the sparse $R_{12}$ matrix is tried to be obtained with the help of a dense $H_{1}$ matrix. The Acol method eliminates the disadvantage of random selection. The $H$ and $A$ matrices are calculated in each subsequent step with the help of the previous ones with the help of the following formulas:

$$
\begin{gather*}
H_{1(i, j)} \leftarrow H_{1(i, j)} \sqrt{\frac{\left(R_{12} H_{2} A_{12}^{T}\right)_{i, j}}{\left(H_{11} R_{12} H_{2} A_{12}^{T}\right)_{i, j}}}  \tag{11}\\
H_{2(i, j)} \leftarrow H_{2(i, j)} \sqrt{\frac{\left(R_{12}^{T} H_{1} A_{12}+R_{23} H_{3} A_{23}^{T}+R_{24} H_{4} A_{24}^{T}\right)_{i, j}}{\left(H_{22} R_{12}^{T} H_{1} A_{12}+H_{22} R_{23} H_{3} A_{23}^{T}+H_{22} R_{24} H_{4} A_{24}^{T}\right)_{i, j}}}  \tag{12}\\
H_{3(i, j)} \leftarrow H_{3(i, j)} \sqrt{\frac{\left(R_{23}^{T} H_{2} A_{23}+R_{34} H_{4} A_{34}^{T}\right)_{i, j}}{\left(H_{33} R_{23}^{T} H_{2} A_{23}+H_{33} R_{34} H_{4} A_{34}^{T}\right)_{i, j}}}  \tag{13}\\
H_{4(i, j)} \leftarrow H_{4(i, j)} \sqrt{\frac{\left(R_{24}^{T} H_{2} A_{24}+R_{34}^{T} H_{3} A_{34}\right)_{i, j}}{\left(H_{44} R_{24}^{T} H_{2} A_{24}+H_{44} R_{34}^{T} H_{3} A_{34}\right)_{i, j}}}  \tag{14}\\
A_{12(i, j)} \leftarrow A_{12(i, j)}^{\frac{\left(H_{1}^{T} R_{12} H_{2}\right)_{i, j}}{\left(H_{1}^{T} H_{1} A_{12} H_{2}^{T} H_{2}\right)_{i, j}}}  \tag{15}\\
A_{23(i, j)} \leftarrow A_{23(i, j)} \sqrt{\frac{\left(H_{2}^{T} R_{23} H_{3}\right)_{i, j}}{\left(H_{2}^{T} H_{2} A_{23} H_{3}^{T} H_{3}\right)_{i, j}}} \tag{16}
\end{gather*}
$$

$$
\begin{align*}
& A_{24(i, j)} \leftarrow A_{24(i, j)} \sqrt{\frac{\left(H_{2}^{T} R_{24} H_{4}\right)_{i, j}}{\left(H_{2}^{T} H_{2} A_{24} H_{4}^{T} H_{4}\right)_{i, j}}}  \tag{17}\\
& A_{34(i, j)} \leftarrow A_{34(i, j)} \sqrt{\frac{\left(H_{3}^{T} R_{34} H_{4}\right)_{i, j}}{\left(H_{3}^{T} H_{3} A_{34} H_{4}^{T} H_{4}\right)_{i, j}}} \tag{18}
\end{align*}
$$

where; $H_{11}=H_{1} H_{1}^{T}, H_{22}=H_{2} H_{2}^{T}, H_{33}=H_{3} H_{3}^{T}, H_{44}=H_{4} H_{4}^{T}$.
In our model, we include intra-data type relations, such as the Protein-Protein Interactions, with the aid of the $W_{3}$ Neighborhood matrix of the protein-protein bipartite graph. In a diagonal matrix, for each $i$ the degree of protein $i$ in the cell $(i, i)$ of the matrix, that is, the number of proteins with which it is associated is written. Let the matrix $D_{3}$ be the degrees matrix of this graph. With the help of $W_{3}$ and $D_{3}$ matrices, we construct the Laplacian matrix with the formula of $L_{3}=D_{3}-W_{3}$. After that, we add a new term to our objective function that corresponds to proteins-proteins interactions;

$$
\begin{align*}
& F\left(H_{1}, H_{2}, H_{3}, H_{4}, A_{12}, A_{23}, A_{24}, A_{34}, L_{3}\right)=\left\|R_{12}-H_{1} A_{12} H_{2}\right\|^{2}+\left\|R_{23}-H_{2} A_{23} H_{3}\right\|^{2}+\left\|R_{24}-H_{2} A_{24} H_{4}\right\|^{2}+ \\
& \left\|R_{34}-H_{3} A_{34} H_{4}\right\|^{2}+\operatorname{tr}\left(H_{3}^{T} L_{3} H_{3}\right) \tag{19}
\end{align*}
$$

Here, $\operatorname{tr}\left(H_{3}^{T} L_{3} H_{3}\right)$ is denoted the sum of the diagonal elements of the $H_{3}^{T} L_{3} H_{3}$.

## CHAPTER 4

## 4. RESULTS

A comprehensive study was carried out within this thesis to collect the available data from various biological databases in the broadest possible framework and loss to predict new interactions with the minor data. The numerical characteristics of the data frame that we have as a result of this first raw data collection stage are given in table 4.1 below.

Table 4.1. Characteristics of all raw data frame

| All Raw Data Frame |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| No. | Interaction Matrix Name | No. of Interactions | Dimension 1 | Dimension 2 | Data Type Dimension 1 | Data Type Dimension 2 |  |
| 1 | Protein / Protein Interaction | 561.330 | 17.765 (Protein) | 18.002 (Protein) | UniProtID | UniProtID |  |
| 2 | Protein (Target) / Drug Interaction | 28.522 | 3.265 (Protein) | 6.594 (Drug) | UniProtID | Drug Name |  |
| 3 | Protein (Gene) / Disease Interaction |  |  |  |  |  |  |
|  | 3.1 - Gene / Protein Interaction | 20.542 | 20.218 (Protein) | 20.287 (Gene) | UniProtID | Gene ID |  |
|  | 3.2 - Gene / Disease Interaction | 855.222 | 19.203 (Gene) | 23.005 (Disease) | Gene ID | Disease ID |  |
|  | Drug / Disease Interaction | 3.742 | 1.447 (Drug) | 517 (Disease) | Drugbank ID | UMLS Concept ID |  |
|  | Drug / Side Effect Interaction | 158.209 | 1.345 (Drug) | 6.123 (Side Effect) | Drug Name | Side Effect Name |  |

The integrated data, in which the new interaction estimation is performed with the NMTF algorithm, has been subjected to some eliminations. First of all, for the connection points of the dataset to be turned into neighborhood matrices, all protein data were converted to UniProt IDs, drug data to Drugbank IDs, and disease and side effect data to UMLS Concept IDs. Non-existent ports and interaction data from any of them had to be eliminated. In the continuation of this elimination process, a protein-based focus was carried out for the rapid operation of the algorithm, and protein entries were shared within the scope of Protein-Protein Interaction (Laplacian, L11 matrix), Target Protein-Drug Interaction (Relation, R23 matrix), Protein-Disease Interaction (R34 matrix) interactions. Relationships that do not exist are excluded.

The disease and side effect connection points are located in the Drug-Disease Interaction (R24) and Drug-Side Effect Interaction (R12) matrices and use the same identification system (UMLS Concept ID). As these two databases intersect, their areas in common on the raw data and relationships related to this are excluded from the scope, with no adverse effect on the estimation results. Finally, we mapped the existing Gene Protein relationships onto the Gene Disease relationships to create the Protein Disease Interaction (R34) matrix. Meanwhile, we excluded the relationships that the reference Gene link point did not respond to from our dataset. After evaluations, mapping, conversion of identification numbers, and elimination were completed, the NMTF algorithm was run. The final data frame and the characteristics are given in table 4.2 below.

Table 4.2. Characteristics of final data frame after eliminations

| All Data Frame / Final |  |  |  |  |  |  |  |
| :---: | :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| No. | Interaction Matrix Name | No. of Interactions | Dimension 1 | Dimension 2 | Data Type Dimension 1 | Data Type Dimension 2 |  |
| 1 | Protein / Protein Interaction | 156.765 | 3097 (Protein) | 15807 (Protein) | UniProtID | UniProtID |  |
| 2 | Protein (Target) / Drug Interaction | 26.977 | 3099 (Protein) | 6564 (Drug) | UniProtID | Drugbank ID |  |
| 3 | Protein (Gene) / Disease Interaction | 342.146 | 3098 (Protein) | 17034 (Disease) | UniProtID | UMLS Concept ID |  |
| 4 | Drug / Disease Interaction | 3.742 | 1447 (Drug) | 517 (Disease) | Drugbank ID | UMLS Concept ID |  |
| 5 | Drug / Side Effect Interaction | 42.209 | 1192 (Drug) | 3105 (Side Effect) | Drugbank ID | UMLS Concept ID |  |

As can be seen from the table, the number of proteins found in common in the relevant matrices is 3.097 . However, during the control tests, it was observed that some of the drug nodes could not find a response in the Drug Disease Interaction and Drug Side Effect Interaction interaction data; therefore, on the main graph created by the algorithm, the Target Protein Drug Interaction interaction table, in which the drug list is obtained, can be added to each one. Drug entries from two sub-datasets, which were found to be missing in this dataset, were added later, and virtual interactions were created. In order to make it easier to find the sources retrospectively when the results are received, an ID named OSK705 was given as a protein entry for the drug nodes coming from the Drug Disease sub-dataset. In contrast, an ID named OSK507 was made for the drug nodes coming from the drug nodes stemmed from the Drug Side Effect sub-dataset.

In addition, since some disease nodes are in the Drug Disease Interaction data but not in the Protein Disease Interaction data, they were added to the list of relations from which the disease node list was taken, and virtual responses were given. Next, it was checked with the relevant part of the code in which the NMTF method was applied, and the unintentional loss of any node or interaction data was prevented. In addition, as mentioned before, any additional loss in the Drug Disease Interaction data, which is very valuable, is prevented. In the last case, the data frame fitted to the algorithm and recognized according to the relevant part of the code has the following features; "There are 3.105 side effects, 6.584 drugs, 3.097 proteins, and 17.034 diseases, 42.209 links between side effects and drugs, 27.356 links between drugs and proteins, 342.163 links between proteins and diseases and 3.742 links between drugs and diseases."

As we are about to focus on link prediction between relation side effects and drugs, drugs and diseases, diseases and proteins, and proteins and proteins, it is essential to have a good understanding of these matrices.

The number of side effects associated with drugs varies a lot. While one side effect (C143060-Feeling Abnormal) is associated with 647 drugs, also one another side effect (C3665609 - Conjunctival Xerosis) is in interacted with only one drug (DB01193Acebutolol). We have similar variances, which can be better-understood thanks to the following plots.


Figure 4.1. Side effects are ranked according to their degree against drugs


Figure 4.2. Drugs are ranked according to their degree against proteins

According to Figure 4.2, one drug is associated with 302 proteins, DB12010 Fostamatinib. On the other hand, another drug "Lepirudin - DB00001, is only interaction with one protein, "Prothrombin," can be given as an example.


Figure 4.3. Drugs are ranked according to their degree against diseases

This boxplot also shows only 1.447 drugs among a 6.584 drug entry list since only 1.447 members interacted with the disease before prediction tests. The figure also shows that one drug, "Prednisolone," is associated with 80 Diseases, DB00860.


Figure 4.4. Proteins are ranked according to their degree against diseases

In this figure, one protein, "Tumor Necrosis Factor," is associated with 2.328 diseases, with a UniProt ID: P01374.


Figure 4.5. Proteins are ranked according to their degree
According to our interaction data, one protein, "Glyceraldehyde-3-phosphate dehydrogenase," with the ID of P04406, is associated with 214 other proteins on a weighted score, and Figure 4.5 shows this issue on a box plot.

### 4.1. Application of Non-Negative Tri Matrix Factorization Algorithm

Under the sub-title of the subject, the processes and actions carried out for interaction estimation with the NMTF method within the scope of the thesis study were examined. After transforming the data to fit the method that has been used, we describe the different optimizations made on the method, and then we show the main results. Accordingly, the processes are gathered in 4 parts; each part has an explanation regarding the processes and their results.

The implementation of the method was carried out using Python 3.7.9 and Microsoft Visual Studio Code as an application programming interface. The system configuration used during the application and tests is Intel Core i7-3630QM 2.40GHz CPU, and 16 GB RAM operates under Windows 10 Home Edition.

Before the application, the environment, methods, and methods used in the reference article were examined. The necessary adaptations were made for the data set that is the subject of the thesis.

### 4.2. Interaction Matrices, Masking the Data Matrices and Initialization

First, the packages that need to be used in the method are acquired. Python libraries/packages used in the method are; "sklearn," "matplotlib," "tqdm," "scipy," "seaborn," "pandas," and "numpy."

Initially, our interaction data was heterogeneously located in different text files, with the files named DrugsToDiseases.txt, DrugsToProteins.txt, DrugsToSideEffects.txt, ProteinsToDiseases.txt, and ProteinsToProteins.txt. Based on the content of the files listed, the following matrices were obtained;
$R_{12}$ : Inter-Association between the Drugs and Side Effects,
$R_{23}$ : Inter-Association between the Drugs and Proteins,
$R_{24}$ : Inter-Association between the Drugs and Diseases,
$R_{34}$ : Inter-Association between the Proteins and Diseases,
$W_{3}\left(L_{3}\right)$ : Intra-Associations among Proteins.
A separate class was used to obtain the matrices from the text files we have, and in the content of this class, "network" is invoked to interpret data and transform it into neighborhood matrices easily. Again, among these processes, functions are defined to load the data by showing the address and creating the required matrix of the loaded data. The data to be predicted for interaction is gathered under a single graph named G. This graph contains all nodes related to the problem and connections between nodes. The related graph can be represented by the figure below.

| Graph G <br> Nodes X Nodes | Side Effects | Drugs | Proteins | Diseases |
| :---: | :---: | :---: | :---: | :---: |
| Side Effects |  | R12 Interactions |  |  |
| Drugs |  |  | R23 Interactions | R24 Interactions |
| Proteins |  |  |  | R34 Interactions |
| Diseases |  |  |  |  |

Figure 4.6. Representative nodes and connections on graph G


Figure 4.7. Relations matrices of data

A validation set is created by transforming the interaction data into related graphs and neighborhood matrices. This set of data is used to test the NMTF algorithm.

For simplicity's sake, a random matrix M10 is first created with the same size R12 containing $10 \%$ empty elements and $90 \%$ zeros. The indexes of the null items in this matrix correspond to the items of the validation set.

A $M$ matrix of the exact dimensions as the $R_{12}$ matrix, such as $n_{1} x n_{2}$, was created to validate the proposed model. This is a binary type matrix with only ten percent of the matrix elements having a value of 1 . The locations of the one values in the $M$ matrix were chosen randomly. Then, with the help of the $M$ matrix, the $R_{12_{-} \text {train }}$ matrix was created with the following formula.

$$
R_{12 \_ \text {train }}= \begin{cases}R_{12}[i, j], & \text { if } M[i, j]=0  \tag{20}\\ 0, & \text { otherwise }\end{cases}
$$

Then, we applied the NMTF algorithm to our model by replacing the $R_{12}$ matrix $R_{12 \_ \text {train }}$. After the application, we converted the obtained $R_{12_{-} \text {found }}$ matrix into a binary $\bar{R}_{12}$ found matrix by choosing a specific threshold value and comparing this matrix's elements with the appropriate elements of the $R_{12}$ matrix. There are four situations here.

Situation 1. If the formal elements of both matrices, namely $R_{12}$ and $\bar{R}_{12}$ found matrices, are 1 , this is genuinely positive. Let the number of such cases be $a$.

Situation 2. The false positives are represented here. If only the appropriate element of the $\bar{R}_{12}$ found matrix is 1 . Let the number of these states be $b$.

Situation 3. If the appropriate elements of both matrices, namely $R_{12}$ and $\bar{R}_{12}$ found matrices, are 0 , it is the case of a true negative; let the number of these states be $c$

Situation 4. If only the appropriate element of the $R_{12}$ matrix is 1 , it is a case of false negatives. Let the number of these states be $d$

With the help of these cases, we used two metrics:

$$
\begin{equation*}
\text { Recall }=\frac{a}{a+d} \tag{21}
\end{equation*}
$$

$$
\begin{equation*}
\text { Precision }=\frac{a}{a+b} \tag{22}
\end{equation*}
$$

Naturally, these values will vary depending on the threshold value selected. We have plotted the precision-recall graph in the improvements section for all the scenarios and different models we have covered, changing the threshold value from 0 to 1 . In addition, we used the Average Precision Score (APS) metric as a metric that expresses the area under this graph. The APS formula for this chart can be defined as follows:

$$
\begin{equation*}
A P S=\sum_{i=1}^{n}(\operatorname{Recall}(i)-\operatorname{Recall}(i-1)) \text { Precision }(i) \tag{23}
\end{equation*}
$$

Here, for example, $a /(a+d)$ the ratio is marked for the $i$ threshold value selected with Recall(i).

After creating and importing the data and validation set in a suitable format, we started tuning our NMTF model.

The initialization of the NMTF algorithm includes four different types of initialization in the reference article and the master's thesis. The library for running the "spherical kmeans" type, one of these four methods, has been eliminated as it is no longer available in the current version of Python. The other three initialization methods with naively selected parameters were compared, and the results given in the figure below were obtained.


Figure 4.8. Average precision scores of initialization methods

As can be interpreted from the figure, among "random," "acol," and "kmeans," acol type initialization was chosen to be used in the next steps of the thesis study. The performance taken according to the Average Precision Score (APS) curves was considered in making this decision. Random type initiation because its performance is lower than others under a specific iteration; On the other hand, kmeans was excluded because it uses more system resources and runs slower than others. One iteration takes 55 seconds under kmeans while 11 seconds is required for one iteration with an acol, since kmeans initialization method needs a clustering phase at the start. Acol type initiation was preferred because it works fast and gives relatively high APS in relatively few iterations. Following this selection, attempts were made to reach the optimum number of iterations, limited to 500 , within the K value scenarios in the table below. The optimum number of iterations was determined for each scenario.

Table 4.3. Test scenarios for optimum iterations

| Optimum Iteration Test Scenarios |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Type | Test Scheme | K1 | K2 | K3 | K4 | MB_Init | Maximum <br> Iteration |
| Acol | Scenario 1 | 25 | 35 | 125 | 125 | 1 | 500 |
| Acol | Scenario 2 | 40 | 20 | 70 | 40 | 1 | 500 |
| Acol | Scenario 3 | 50 | 75 | 250 | 250 | 1 | 500 |
| Acol | Scenario 4 | 100 | 150 | 500 | 500 | 1 | 500 |
| Acol | Scenario 5 | 150 | 225 | 750 | 750 | 1 | 500 |

All given test scenarios have been tested. The results given in the graphs below have been interpreted and compared. The phase of determining the hyperparameters has been passed with the optimum iteration numbers determined here. The values in Table 4.4 were used in the optimum latent factor tests, which will be explained in the next section.


Figure 4.9. Test scenario 1: APS-Loss with initial values


Figure 4.10. Test scenario 2: APS-Loss with initial values


Figure 4.11. Test scenario 3: APS-Loss with initial values


Figure 4.12. Test scenario 4: APS-Loss with initial values


Figure 4.13. Test scenario 5: APS-Loss with initial values

Since test scenario number 5 performed very poorly when the results were evaluated and required a very high number of iterations, the subsequent optimum latent factor tests were made within the scope of correct result development and interaction estimation stages. Therefore, the operations were continued with the remaining four scenarios.

Table 4.4. Optimum iteration numbers per scenario

| Optimum Iteration Test Scenarios |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Type | K1 | K2 | K3 | K4 | MB_Init | Maximum Iteration | APS* | Average Loss* | Optimum Iteration Number |
| Acol | 25 | 35 | 125 | 125 | 1 | 500 | 0.410 | 0.015 | 250 |
| Acol | 40 | 20 | 70 | 40 | 1 | 500 | 0.392 | 0.015 | 375 |
| Acol | 50 | 75 | 250 | 250 | 1 | 500 | 0.400 | 0.014 | 200 |
| Acol | 100 | 150 | 500 | 500 | 1 | 500 | 0.380 | 0.016 | 120 |
| Acol | 150 | 225 | 750 | 750 | 1 | 500 | 0.330 | 0.011 | 500 |
| *Average Precision Scores and Average Losses have been given as aproximate values |  |  |  |  |  |  |  |  |  |

### 4.3. Analysis of Parameters (Latent Factor Tests) and Stop Criterion

The parameters that determine the model we are considering the variables are; $k_{1}, k_{2}, k_{3}, k_{4}$ It is helpful to reiterate that these variables are included in the $H$ and $A$ matrices dimensions described in the solution method. For example, the dimensions of the matrix
$H_{1}$ are $n_{1} x k_{1}$. Again, as can be seen from the formulas described in the solution method, the $H \quad A$ matrices affect the values of the $R_{12}, R_{23}, R_{24}, R_{34}$ matrices that we are trying to estimate, but this effect can be direct or indirect. For example, the $H_{1}$ matrix directly affects only the creation of the $R_{12}$ matrix, so it can be said that the matrix on which the value of the $k_{1}$ variable directly affects is the $R_{12}$ matrix. The $H_{2}$ matrix is used to determine the $R_{12} \quad R_{23} \quad R_{24}$ matrices; that is, the $k_{2}$ variable directly affects the values of these three matrices.

In this thesis, parameter analysis was carried out with the following method. First of all, various experiments were carried out using randomly different values. In addition to the results of these experiments, the studies of $\operatorname{Abay}(2020)$ and $\operatorname{Dissez}(2019)$ were also presented. Five different scenarios were created for parameter tests. Afterward, for each scenario, $k_{2}, k_{3}, k_{4}$ values were kept constant at the values while the value of the $k_{1}$ variable in the scenario was changed at certain intervals, provided that the value in the scenario was within the trial range. The absolute error in the formation of the $R_{12}$ matrix, which this variable directly affects, was calculated for each case.

The $k_{1}$ value, which causes the least margin of error found, was taken as the first parameter value in this scenario, and the analysis of the $k_{2}$ variable was started. During this analysis, the values of the $k_{1}, k_{3}, k_{4}$ variables were kept constant following the scenario. In contrast, the $k_{2}$ variable was changed at a specific interval, provided that its value in the scenario was within the range. The absolute errors in the estimations $R_{23}$ and $R_{24}$ matrices were calculated for each case. If at least two of these errors take the smallest value for the same $k_{2}$ value, this $k_{2}$ value is selected to continue the scenario. If these errors took their minimum values for a different $k_{2}$ value, this scenario continued with the smallest of these $k_{2}$ values. The values of the other $k_{3}, k_{4}$ variables were calculated similarly. The scenarios discussed and their results are presented in the tables below. Our error formula is:

Let $\hat{A}=\left(\hat{a}_{i j}\right)$ be a prediction matrix of the matrix $A=\left(a_{i j}\right)$ with size $m x n$. Then the absolute mean error is calculated by the formula:

$$
\begin{equation*}
\text { Error }=\frac{\sum_{i=1}^{m} \sum_{j=1}^{n}\left|\hat{a}_{i j}-a_{i j}\right|}{m \cdot n} \tag{24}
\end{equation*}
$$

Scenario 1. In this scenario, it is taken as $k_{1}=25, k_{2}=35, k_{3}=125, k_{4}=125$, and we will call it the $(25,35,125,125)$ scenario for short. Here, the $k_{1}$ variable was changed in ten
total steps by increasing its value by 25 at each step in the range of 25 to 250 , and the results in Table 4.5 were obtained.

Table 4.5. Determining the $k_{1}$ value of scenario 1

| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $R_{12}$ |
| :---: | :---: | :---: | :---: | :---: |
| 25 | 35 | 125 | 125 | 0,003107 |
| 50 | 35 | 125 | 125 | 0,003110 |
| 75 | 35 | 125 | 125 | 0,003106 |
| 100 | 35 | 125 | 125 | 0,003112 |
| 125 | 35 | 125 | 125 | 0,003109 |
| 150 | 35 | 125 | 125 | 0,003113 |
| 175 | 35 | 125 | 125 | 0,003110 |
| 200 | 35 | 125 | 125 | 0,003108 |
| $\mathbf{2 2 5}$ | 35 | 125 | 125 | $\mathbf{0 , 0 0 3 1 0 3}$ |
| 250 | 35 | 125 | 125 | 0,003110 |

In scenario 1 (table 4.5), the optimum value of the $k_{1}$ variable was found to be 225 . As this is the lowest error rate calculated, other experiments are continued with this value.

The value of the $k_{2}$ variable is determined based on the values of $k_{1}=225$ $k_{3}=125, k_{4}=125$ that were kept constant, and the value of the $k_{2}$ variable was raised from 35 to 350 by increments of increasing its value by 35 in each step, and the results are presented in Table 4.6.

Table 4.6. Determining the $k_{2}$ value of scenario 1

| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $R_{12}$ | Error $R_{23}$ | Error $R_{24}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 225 | $\mathbf{3 5}$ | 125 | 125 | $\mathbf{0 , 0 0 3 1 0 6}$ | 0,001808 | $\mathbf{0 , 0 0 0 0 4 6}$ |
| 225 | 70 | 125 | 125 | 0,003125 | 0,001856 | 0,000052 |
| 225 | 105 | 125 | 125 | 0,003128 | 0,001859 | 0,000051 |
| 225 | 140 | 125 | 125 | 0,003126 | 0,001892 | 0,000051 |
| 225 | 175 | 125 | 125 | 0,003121 | 0,001885 | 0,000048 |
| 225 | 210 | 125 | 125 | 0,003117 | 0,001804 | 0,000050 |
| 225 | 245 | 125 | 125 | 0,003109 | $\mathbf{0 , 0 0 1 7 6 8}$ | 0,000048 |
| 225 | 280 | 125 | 125 | 0,003114 | 0,001837 | 0,000049 |
| 225 | 315 | 125 | 125 | 0,003122 | 0,001889 | 0,000049 |
| 225 | 350 | 125 | 125 | 0,003117 | 0,001831 | 0,000048 |

In this scenario, the variable's value was determined as 35 , and in the following experiments, this value was used.

Next, to determine the value of the $k_{3}$ variable, the values of $k_{1}=225, k_{2}=35, k_{4}=125$ were kept constant by the scenario, and the value of the $k_{3}$ variable was changed in the range of 75 to 165 by increments of ten, for ten steps, as presented below in Table 4.7.

Table 4.7. Determining the $k_{3}$ value of scenario 1

| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $\boldsymbol{R}_{\mathbf{1 2}}$ | Error $R_{23}$ | Error $R_{34}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 225 | 35 | $\mathbf{7 5}$ | 125 | $\mathbf{0 , 0 0 3 1 0 3}$ | 0,001743 | 0,006987 |
| 225 | 35 | 85 | 125 | 0,003107 | $\mathbf{0 , 0 0 1 7 4 1}$ | 0,006984 |
| 225 | 35 | 95 | 125 | 0,003108 | 0,001780 | 0,006987 |
| 225 | 35 | 105 | 125 | 0,003107 | 0,001766 | 0,006986 |
| 225 | 35 | 115 | 125 | 0,003110 | 0,001796 | 0,006983 |
| 225 | 35 | 125 | 125 | 0,003108 | 0,001834 | 0,006984 |
| 225 | 35 | 135 | 125 | 0,003109 | 0,001775 | 0,006988 |
| 225 | 35 | 145 | 125 | 0,003117 | 0,001814 | 0,006979 |
| 225 | 35 | 155 | 125 | 0,003107 | 0,001811 | 0,006987 |
| 225 | 35 | 165 | 125 | 0,003117 | 0,001758 | $\mathbf{0 , 0 0 6 9 7 8}$ |

The value of the $k_{3}$ was determined as 75 according to the rule described above, and the scenario was continued with this value.

In order to determine the value of the $k_{4}$ variable, the values of $k_{1}=225, k_{2}=35$ and $k_{3}$ $=75$ were kept constant following the scenario. The value of the $k_{4}$ variable was changed in the range of 65 to 200 by 15 increments in each step, with ten steps. The results are listed in Table 4.8.

Table 4.8. Determining the $k_{4}$ value of scenario 1

| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $\boldsymbol{R}_{12}$ | Error $R_{23}$ | Error $R_{34}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 225 | 35 | 75 | 65 | 0,003096 | 0,000047 | 0,006991 |
| 225 | 35 | 75 | 80 | 0,003097 | 0,000046 | 0,006984 |
| 225 | 35 | 75 | $\mathbf{9 5}$ | 0,003103 | $\mathbf{0 , 0 0 0 0 4 6}$ | 0,006987 |
| 225 | 35 | 75 | 110 | 0,003107 | 0,000047 | 0,006982 |
| 225 | 35 | 75 | 125 | 0,003105 | 0,000047 | 0,006985 |
| 225 | 35 | 75 | 140 | $\mathbf{0 , 0 0 3 0 9 4}$ | 0,000048 | 0,006987 |
| 225 | 35 | 75 | 155 | 0,003110 | 0,000049 | $\mathbf{0 , 0 0 6 9 8 1}$ |
| 225 | 35 | 75 | 170 | 0,003095 | 0,000048 | 0,006987 |
| 225 | 35 | 75 | 185 | 0,003108 | 0,000051 | 0,006985 |
| 225 | 35 | 75 | 200 | 0,003095 | 0,000048 | 0,006985 |

Finally, the value of the $k_{4}$ variable was determined as 95 according to the rule described above, and the scenario was continued with this value.

All scenarios given in the table below have been run as explained in the methods section. The best latent factor results stated have been reached and used in the analysis. The resulting error rates are given below, except for the first scenario.

Regarding scenario 2 , the value of the $k_{1}, k_{2}, k_{3}, k_{4}$ variables were determined as 30 , 10,40 , and 20 , respectively, and the scenario tests were continued with these values. For scenario 3 , the value of the $k_{1}, k_{2}, k_{3}, k_{4}$ variables were determined as $100,25,150$, and 150 , respectively, and the scenario tests were continued with these values. As a last and fourth scenario, according to the rule described before, the value of the $k_{1}, k_{2}, k_{3}$, $k_{4}$ variables were determined as $40,250,425,450$, respectively, and the scenario tests were continued with these values.

Table 4.9. Determining the $k_{1}, k_{2}, k_{3}, k_{4}$ values of scenario 2

| $k_{1}$ |  | $k_{2}$ | $k_{3}$ | $k_{4}$ |  | Error $\boldsymbol{R}_{12}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 10 |  | 20 | 70 |  |  | 0,003069 |
| 20 |  | 20 | 70 |  |  | 0,003064 |
| 30 |  | 20 | 70 |  |  | 0,003064 |
| 40 |  | 20 | 70 |  |  | 0,003067 |
| 50 |  | 20 | 70 |  |  | 0,003066 |
| 60 |  | 20 | 70 |  |  | 0,003070 |
| 70 |  | 20 | 70 |  |  | 0,003064 |
| 80 |  | 20 | 70 |  |  | 0,003075 |
| 90 |  | 20 | 70 |  |  | 0,003071 |
| 100 |  | 20 | 70 |  |  | 0,003076 |
| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $\boldsymbol{R}_{12}$ | Error $R_{23}$ | Error $R_{24}$ |
| 30 | 10 | 70 | 40 | 0,003062 | 0,001641 | 0,000044 |
| 30 | 20 | 70 | 40 | 0,003064 | 0,001671 | 0,000045 |
| 30 | 30 | 70 | 40 | 0,003066 | 0,001673 | 0,000046 |
| 30 | 40 | 70 | 40 | 0,003074 | 0,001741 | 0,000045 |
| 30 | 50 | 70 | 40 | 0,003080 | 0,001769 | 0,000048 |
| 30 | 60 | 70 | 40 | 0,003070 | 0,001724 | 0,000048 |
| 30 | 70 | 70 | 40 | 0,003075 | 0,001793 | 0,000047 |
| 30 | 80 | 70 | 40 | 0,003083 | 0,001833 | 0,000047 |
| 30 | 90 | 70 | 40 | 0,003081 | 0,001777 | 0,000050 |
| 30 | 100 | 70 | 40 | 0,003078 | 0,001862 | 0,000049 |
| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $\boldsymbol{R}_{12}$ | Error $R_{23}$ | Error $R_{34}$ |
| 30 | 10 | 40 | 40 | 0,003062 | 0,001627 | 0,006989 |
| 30 | 10 | 50 | 40 | 0,003063 | 0,001657 | 0,006988 |
| 30 | 10 | 60 | 40 | 0,003064 | 0,001674 | 0,006990 |
| 30 | 10 | 70 | 40 | 0,003067 | 0,001705 | 0,006988 |
| 30 | 10 | 80 | 40 | 0,003079 | 0,001713 | 0,006986 |
| 30 | 10 | 90 | 40 | 0,003072 | 0,001713 | 0,006988 |
| 30 | 10 | 100 | 40 | 0,003070 | 0,001742 | 0,006989 |
| 30 | 10 | 110 | 40 | 0,003078 | 0,001732 | 0,006984 |
| 30 | 10 | 120 | 40 | 0,003070 | 0,001762 | 0,006986 |
| 30 | 10 | 1 | 40 | 0,003080 | 0,001780 | 0,006986 |
| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $\boldsymbol{R}_{12}$ | Error $R_{23}$ | Error $R_{34}$ |
| 30 | 10 | 40 | 10 | 0,003062 | 0,000044 | 0,006989 |
| 30 | 10 | 40 | 20 | 0,003062 | 0,000044 | 0,006989 |
| 30 | 10 | 40 | 30 | 0,003062 | 0,000044 | 0,006990 |
| 30 | 10 | 40 | 40 | 0,003061 | 0,000044 | 0,006988 |
| 30 | 10 | 40 | 50 | 0,003061 | 0,000044 | 0,006987 |
| 30 | 10 | 40 | 60 | 0,003062 | 0,000045 | 0,006988 |
| 30 | 10 | 40 | 70 | 0,003062 | 0,000044 | 0,006987 |
| 30 | 10 | 40 | 80 | 0,003062 | 0,000045 | 0,006988 |
| 30 | 10 | 40 | 90 | 0,003063 | 0,000046 | 0,006990 |
| 30 | 10 | 40 | 100 | 0,003063 | 0,000045 | 0,006990 |

Table 4.10. Determining the $k_{1}, k_{2}, k_{3}, k_{4}$ values of scenario 3

| $k_{1}$ |  | $k_{2}$ | $k_{3}$ | $k_{4}$ |  | Error $\boldsymbol{R}_{12}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 20 |  | 25 | 150 | 150 |  | 0,003092 |
| 30 |  | 25 | 150 | 150 |  | 0,003099 |
| 40 |  | 25 | 150 | 150 |  | 0,003098 |
| 50 |  | 25 | 150 | 150 |  | 0,003103 |
| 60 |  | 25 | 150 | 150 |  | 0,003103 |
| 70 |  | 25 | 150 | 150 |  | 0,003098 |
| 80 |  | 25 | 150 | 150 |  | 0,003096 |
| 90 |  | 25 | 150 | 150 |  | 0,003096 |
| 100 |  | 25 | 150 | 150 |  | 0,003092 |
| 110 |  | 25 | 150 | 150 |  | 0,003101 |
| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $\boldsymbol{R}_{12}$ | Error $R_{23}$ | Error $R_{24}$ |
| 100 | 25 | 150 | 150 | 0,003093 | 0,001815 | 0,000049 |
| 100 | 50 | 150 | 150 | 0,003092 | 0,001812 | 0,000050 |
| 100 | 75 | 150 | 150 | 0,003104 | 0,001907 | 0,000052 |
| 100 | 100 | 150 | 150 | 0,003095 | 0,001854 | 0,000055 |
| 100 | 125 | 150 | 150 | 0,003091 | 0,001791 | 0,000053 |
| 100 | 150 | 150 | 150 | 0,003096 | 0,001892 | 0,000052 |
| 100 | 175 | 150 | 150 | 0,003097 | 0,001874 | 0,000054 |
| 100 | 200 | 150 | 150 | 0,003084 | 0,001830 | 0,000050 |
| 100 | 225 | 150 | 150 | 0,003088 | 0,001818 | 0,000050 |
| 100 | 250 | 150 | 150 | 0,003086 | 0,001801 | 0,000050 |
| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $\boldsymbol{R}_{12}$ | Error $R_{23}$ | Error $R_{34}$ |
| 100 | 25 | 150 | 150 | 0,003086 | 0,001790 | 0,006980 |
| 100 | 25 | 175 | 150 | 0,003089 | 0,001787 | 0,006976 |
| 100 | 25 | 200 | 150 | 0,003096 | 0,001831 | 0,006972 |
| 100 | 25 | 225 | 150 | 0,003098 | 0,001795 | 0,006976 |
| 100 | 25 | 250 | 150 | 0,003092 | 0,001819 | 0,006973 |
| 100 | 25 | 275 | 150 | 0,003095 | 0,001827 | 0,006962 |
| 100 | 25 | 300 | 150 | 0,003095 | 0,001829 | 0,006963 |
| 100 | 25 | 325 | 150 | 0,003094 | 0,001795 | 0,006961 |
| 100 | 25 | 350 | 150 | 0,003097 | 0,001804 | 0,006956 |
| 100 | 25 | 375 | 150 | 0,003094 | 0,001808 | 0,006957 |
| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $R_{12}$ | Error $R_{23}$ | Error $R_{34}$ |
| 100 | 25 | 150 | 150 | 0,003090 | 0,000047 | 0,006980 |
| 100 | 25 | 150 | 175 | 0,003080 | 0,000048 | 0,006983 |
| 100 | 25 | 150 | 200 | 0,003084 | 0,000047 | 0,006973 |
| 100 | 25 | 150 | 225 | 0,003095 | 0,000048 | 0,006973 |
| 100 | 25 | 150 | 250 | 0,003094 | 0,000049 | 0,006979 |
| 100 | 25 | 150 | 275 | 0,003080 | 0,000048 | 0,006976 |
| 100 | 25 | 150 | 300 | 0,003089 | 0,000048 | 0,006977 |
| 100 | 25 | 150 | 325 | 0,003089 | 0,000048 | 0,006980 |
| 100 | 25 | 150 | 350 | 0,003088 | 0,000049 | 0,006973 |
| 100 | 25 | 150 | 375 | 0,003089 | 0,000049 | 0,006974 |

Table 4.11. Determining the $k_{1}, k_{2}, k_{3}, k_{4}$ values of scenario 4

| $k_{1}$20 |  | $\frac{k_{2}}{250}$ | $k_{3}$ | $k_{4}$ |  | $\begin{gathered} \text { Error } \boldsymbol{R}_{12} \\ \hline 0,003117 \\ \hline \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | 425 | 450 |  |  |
| 40 |  | 250 | 425 | 450 |  | 0,003107 |
| 60 |  | 250 | 425 | 450 |  | 0,003108 |
| 80 |  | 250 | 425 | 450 |  | 0,003108 |
| 100 |  | 250 | 425 | 450 |  | 0,003116 |
| 120 |  | 250 | 425 | 450 |  | 0,003114 |
| 140 |  | 250 | 425 | 450 |  | 0,003113 |
| 160 |  | 250 | 425 | 450 |  | 0,003126 |
| 180 |  | 250 | 425 | 450 |  | 0,003132 |
| 200 |  | 250 | 425 | 450 |  | 0,003128 |
| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $\boldsymbol{R}_{12}$ | Error $R_{23}$ | Error $R_{24}$ |
| 40 | 75 | 425 | 450 | 0,003115 | 0,001855 | 0,000055 |
| 40 | 100 | 425 | 450 | 0,003123 | 0,001918 | 0,000054 |
| 40 | 125 | 425 | 450 | 0,003114 | 0,001844 | 0,000052 |
| 40 | 150 | 425 | 450 | 0,003107 | 0,001909 | 0,000052 |
| 40 | 175 | 425 | 450 | 0,003112 | 0,001891 | 0,000052 |
| 40 | 200 | 425 | 450 | 0,003100 | 0,001845 | 0,000053 |
| 40 | 225 | 425 | 450 | 0,003111 | 0,001845 | 0,000052 |
| 40 | 250 | 425 | 450 | 0,003096 | 0,001800 | 0,000051 |
| 40 | 275 | 425 | 450 | 0,003088 | 0,001849 | 0,000051 |
| 40 | 300 | 425 | 450 | 0,003109 | 0,001879 | 0,000051 |
| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $\boldsymbol{R}_{12}$ | Error $R_{23}$ | Error $R_{34}$ |
| 40 | 250 | 400 | 450 | 0,003105 | 0,001829 | 0,006973 |
| 40 | 250 | 425 | 450 | 0,003107 | 0,001820 | 0,006969 |
| 40 | 250 | 450 | 450 | 0,003110 | 0,001859 | 0,006959 |
| 40 | 250 | 475 | 450 | 0,003101 | 0,001863 | 0,006955 |
| 40 | 250 | 500 | 450 | 0,003105 | 0,001845 | 0,006955 |
| 40 | 250 | 525 | 450 | 0,003101 | 0,001860 | 0,006954 |
| 40 | 250 | 550 | 450 | 0,003103 | 0,001827 | 0,006957 |
| 40 | 250 | 575 | 450 | 0,003111 | 0,001856 | 0,006954 |
| 40 | 250 | 600 | 450 | 0,003104 | 0,001848 | 0,006953 |
| 40 | 250 | 625 | 450 | 0,003110 | 0,001820 | 0,006951 |
| $k_{1}$ | $k_{2}$ | $k_{3}$ | $k_{4}$ | Error $\boldsymbol{R}_{12}$ | Error $R_{23}$ | Error $R_{34}$ |
| 40 | 250 | 425 | 400 | 0,003099 | 0,000052 | 0,006975 |
| 40 | 250 | 425 | 425 | 0,003100 | 0,000052 | 0,006970 |
| 40 | 250 | 425 | 450 | 0,003096 | 0,000052 | 0,006974 |
| 40 | 250 | 425 | 475 | 0,003101 | 0,000051 | 0,006970 |
| 40 | 250 | 425 | 500 | 0,003108 | 0,000052 | 0,006964 |
| 40 | 250 | 425 | 525 | 0,003108 | 0,000051 | 0,006967 |
| 40 | 250 | 425 | 550 | 0,003101 | 0,000051 | 0,006957 |
| 40 | 250 | 425 | 575 | 0,003104 | 0,000052 | 0,006962 |
| 40 | 250 | 425 | 600 | 0,003099 | 0,000052 | 0,006953 |
| 40 | 250 | 425 | 625 | 0,003107 | 0,000054 | 0,006954 |

Table 4.12. All scenarios tried for k value determination and minimum latent factors

| K Determination Scenarios |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Scenario | K1 | K2 | K3 | K4 | Maximum Iteration | Best K1 | Best K2 | Best K3 | Best K4 |
| 1 | K 1.1 | 35 | 125 | 125 | 250 | 225 |  |  |  |
|  | 25 | K 2.1 | 125 | 125 | 250 |  | 35 |  |  |
|  | 25 | 35 | K 3.1 | 125 | 250 |  |  | 75 |  |
|  | 25 | 35 | 125 | K 4.1 | 250 |  |  |  | 95 |
| 2 | K 1.2 | 20 | 70 | 40 | 375 | 30 |  |  |  |
|  | 40 | K 2.2 | 70 | 40 | 375 |  | 10 |  |  |
|  | 40 | 20 | K 3.2 | 40 | 375 |  |  | 40 |  |
|  | 40 | 20 | 70 | K 4.2 | 375 |  |  |  | 20 |
| 3 | K 1.3 | 75 | 250 | 250 | 200 | 100 |  |  |  |
|  | 50 | K 2.3 | 250 | 250 | 200 |  | 25 |  |  |
|  | 50 | 75 | K 3.3 | 250 | 200 |  |  | 150 |  |
|  | 50 | 75 | 250 | K 4.3 | 200 |  |  |  | 150 |
| 4 | K 1.4 | 150 | 500 | 500 | 120 | 40 |  |  |  |
|  | 100 | K 2.4 | 500 | 500 | 120 |  | 250 |  |  |
|  | 100 | 150 | K 3.4 | 500 | 120 |  |  | 425 |  |
|  | 100 | 150 | 500 | K4.4 | 120 |  |  |  | 450 |

The optimum iteration numbers and the best values of the constructed test scenarios have been determined up to this stage. APS Loss graphs were again obtained within these determined parameters for all four scenarios, and the results are given in Tables 4.14-17 below.


Figure 4.14. Test scenario 1: APS-Loss with values after k tests


Figure 4.15. Test scenario 2: APS-Loss with values after k tests


Figure 4.16. Test scenario 3: APS-Loss with values after k tests


Figure 4.17. Test scenario 4: APS-Loss with values after k tests

A stop criterion is needed for our algorithm, which deactivates the remaining iterations, if any, under these conditions;
i. Stop after a defined and fixed number of iterations;
ii. Use a stop criterion based on the loss.

Our stop criterion determined as $\varepsilon=0.02$, and formula is;

$$
\begin{equation*}
\frac{\left|F\left(G^{(n)}\right)-F\left(G^{(n+1)}\right)\right|}{F\left(G^{(n)}\right)}<\varepsilon \tag{25}
\end{equation*}
$$

### 4.4. Improvements of Scenario Models and Comparison of APS

Following the finding of the latent factor values that show the optimum error rate within the scope of the four scenarios in question, the development of the scenarios as models and the drawing of the APS values that they can take according to the latest situation and the precision-recall graphs were used as the decision-making step before the interaction test.

Table 4.13. Comparison of APSs regarding test scheme variations

| Test Schemes | Variations | K Values for Improvements |  |  |  | Optimum <br> Iteration <br> Number | APS (Before Improvements) * | APS (After Improvements) * |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | K1 | K2 | K3 | K4 |  |  |  |
| Scenario 1 | Variation 1.1 (Model 1) | 200 | 35 | 50 | 90 | 250 | 0.410 | 0.530 |
|  | Variation 1.2 (Model 2) | 225 | 35 | 125 | 125 |  |  | 0.530 |
|  | Variation 1.3 (Model 3) | 225 | 35 | 75 | 95 |  |  | 0.540 |
| Scenario 2 | Variation 2.1 (Model 1) | 40 | 20 | 70 | 20 | 375 | 0.392 | 0.460 |
|  | Variation 2.2 (Model 2) | 50 | 20 | 50 | 30 |  |  | 0.470 |
|  | Variation 2.3 (Model 3) | 30 | 10 | 40 | 20 |  |  | 0.440 |
| Scenario 3 | Variation 3.1 (Model 1) | 100 | 50 | 100 | 100 | 200 | 0.400 | 0.390 |
|  | Variation 3.2 (Model 2) | 50 | 25 | 50 | 50 |  |  | 0.400 |
|  | Variation 3.3 (Model 3) | 100 | 25 | 150 | 150 |  |  | 0.400 |
| Scenario 4 | Variation 4.1 (Model 1) | 100 | 150 | 500 | 500 | 120 | 0.380 | 0.570 |
|  | Variation 4.2 (Model 2) | 70 | 200 | 435 | 475 |  |  | 0.560 |
|  | Variation 4.3 (Model 3) | 40 | 250 | 425 | 450 |  |  | 0.540 |
| *Average Precision Scores have been given as aproximate values |  |  |  |  |  |  |  |  |

At this stage, based on the latent factor values obtained in the previous step, trials were made under three new variations for each designated scenario. As a result of 12 tests performed, APS developments were recorded, and precision-recall graphics were obtained. The relevant variation of the scenario with the most significant improvement was determined as the final parameter reference for the interaction test.

Accordingly, the relevant variations of the optimum latent factor values, their values, and the final APS results are given in the table above. At the same time, the Precision / Recall and Maximum APS performances of the models are shown in the following figures.


Figure 4.18. Maximum APS and precision-recall graph of test scenario 1


Figure 4.19. Maximum APS and precision-recall graph of test scenario 2


Figure 4.20. Maximum APS and precision-recall graph of test scenario 3


Figure 4.21. Maximum APS and precision-recall graph of test scenario 4

### 4.5. Prediction Results (Novel Interactions)

As a final result, all estimation results were obtained under related variation of the fourth scenario under maximum iteration of 120 and $k_{1}=100, k_{2}=150, k_{3}=500, k_{4}=500$. The 25 highest scoring interaction predictions are shown for each relation type. All prediction results are based on ID but are referenced with their names.Table 4.14. Top 27 scored novel drug - side effect relationship predictions

| Drug Name | (Drug ID) | Side Effect | (UMLS Concept ID) | Ranking Score |
| :---: | :---: | :---: | :---: | :---: |
| sertraline | DB01104 | Infection | C0009450 | 1,2623 |
| olanzapine | DB00334 | Vision blurred | C0347232 | 1,1592 |
| paliperidone | DB01267 | Hyperhidrosis | C0020458 | 1,1363 |
| valproate | DB00313 | Shock | C0036974 | 1,094 |
| bortezomib | DB00188 | Dry mouth | C0043352 | 1,0938 |
| oxaliplatin | DB00526 | Feeling abnormal | C1443060 | 1,0586 |
| donepezil | DB00843 | Palpitations | C0030252 | 1,0568 |
| sitaxsentan | DB06268 | Musculoskeletal discomfort | C0948594 | 1,0532 |
| fluvoxamine | DB00176 | Mediastinal disorder | C0025061 | 1,0507 |
| capecitabine | DB01101 | Nervousness | C0027769 | 1,0101 |
| ropinirole | DB00268 | Sweating | C0038990 | 0,9947 |
| posaconazole | DB01263 | Tension | C0233494 | 0,9892 |
| progesterone | DB00396 | Dysgeusia | C0013378 | 0,9482 |
| clomipramine | DB01242 | Oedema peripheral | C0085649 | 0,9387 |
| paroxetine | DB00715 | Abdominal distension | C0000731 | 0,9147 |
| lamotrigine | DB00555 | Urethral disorder | C0041969 | 0,9132 |
| 5-ASA | DB00244 | Hypoaesthesia | C0020580 | 0,896 |
| tramadol | DB00193 | Face oedema | C0542571 | 0,8898 |
| moxifloxacin | DB00218 | Weight decreased | C0043096 | 0,8766 |
| carbamazepine | DB00564 | Discomfort | C0234215 | 0,8651 |
| citalopram | DB00215 | Blood creatinine increased | C0235431 | 0,8569 |
| risperidone | DB00734 | Liver function test abnormal | C0151766 | 0,843 |
| aripiprazole | DB01238 | Abnormal vision | C3665386 | 0,8394 |
| fentanyl | DB00813 | Alanine aminotransferase increased | C0151905 | 0,8305 |
| fluoxetine | DB00472 | Aspartate aminotransferase increased | C0151904 | 0,7877 |
| pregabalin | DB00230 | Drowsiness | C0013144 | 0,7779 |
| doxorubicin | DB00997 | Disturbance in sexual arousal | C0855242 | 0,7633 |
|  |  |  |  |  |

Table 4.15. Top 34 scored novel drug-protein relationship predictions

| Drug ID | Drug Name | UniProt ID | Protein | Ranking Score |
| :---: | :---: | :---: | :---: | :---: |
| DB00734 | Risperidone | P08183 | ATP-dependent translocase | 0,1538 |
| DB00715 | Paroxetine | P08183 | ATP-dependent translocase | 0,1485 |
| DB01238 | Aripiprazole | Q13085 | Acetyl-CoA carboxylase 1 | 0,1462 |
| DB00285 | Venlafaxine | P35348 | Alpha-1A adrenergic receptor | 0,1371 |
| DB00472 | Fluoxetine | P08183 | ATP-dependent translocase | 0,1365 |
| DB00273 | Topiramate | P35348 | Alpha-1A adrenergic receptor | 0,1353 |
| DB00413 | Pramipexole | P35348 | Alpha-1A adrenergic receptor | 0,1351 |
| DB00215 | Citalopram | Q13085 | Acetyl-CoA carboxylase 1 | 0,1310 |
| DB01156 | Bupropion | P18089 | Alpha-2B adrenergic receptor | 0,1287 |
| DB00813 | Fentanyl | P18089 | Alpha-2B adrenergic receptor | 0,1247 |
| DB00997 | Doxorubicin | P18089 | Alpha-2B adrenergic receptor | 0,1188 |
| DB00230 | Pregabalin | P28223 | 5-hydroxytryptamine receptor 2A | 0,1116 |
| DB00230 | Pregabalin | P31645 | Sodium-dependent serotonin transporter | 0,1108 |
| DB01238 | Aripiprazole | Q16539 | Mitogen-activated protein kinase 14 | 0,1059 |
| DB01238 | Aripiprazole | P35354 | Prostaglandin G/H synthase 2 | 0,1058 |
| DB01104 | Sertraline | P14416 | Dopamine D2 receptor | 0,1051 |
| DB00537 | Ciprofloxacin | P14416 | Dopamine D2 receptor | 0,1049 |
| DB00413 | Pramipexole | P20309 | Muscarinic acetylcholine receptor M3 | 0,1012 |
| DB00734 | Risperidone | P23975 | Sodium-dependent noradrenaline transporter | 0,1007 |
| DB00734 | Risperidone | P07858 | Cathepsin B | 0,0984 |
| DB00715 | Paroxetine | P07858 | Cathepsin B | 0,0979 |
| DB00193 | Tramadol | P00533 | Epidermal growth factor receptor | 0,0976 |
| DB00193 | Tramadol | P28223 | 5-hydroxytryptamine receptor 2A | 0,0959 |
| DB00215 | Citalopram | P07550 | Beta-2 adrenergic receptor | 0,0952 |
| DB00472 | Fluoxetine | P01375 | Tumor necrosis factor | 0,0946 |
| DB00215 | Citalopram | Q02318 | Sterol 26-hydroxylase, mitochondrial | 0,0945 |
| DB00268 | Ropinirole | P00533 | Epidermal growth factor receptor | 0,0942 |
| DB00268 | Ropinirole | P31645 | Sodium-dependent serotonin transporter | 0,0942 |
| DB00230 | Pregabalin | P07550 | Beta-2 adrenergic receptor | 0,0929 |
| DB00734 | Risperidone | Q01959 | Sodium-dependent dopamine transporter | 0,0928 |
| DB00176 | Fluvoxamine | P20309 | Muscarinic acetylcholine receptor M3 | 0,0927 |
| DB00996 | Gabapentin | P20309 | Muscarinic acetylcholine receptor M3 | 0,0926 |
| DB00230 | Pregabalin | Q02318 | Sterol 26-hydroxylase, mitochondrial | 0,0923 |
| DB00285 | Venlafaxine | P01375 | Tumor necrosis factor | 0,0922 |

Table 4.16. Top 27 scored novel drug-disease relationship predictions

| Drug ID | Drug Name | UMLS Concept ID | Disease Name | Ranking Score |
| :---: | :---: | :---: | :---: | :---: |
| DB01238 | Aripiprazole | C0017636 | Glioblastoma | 0,0202 |
| DB01156 | Bupropion | C0006142 | Malignant neoplasm of breast | 0,0201 |
| DB01238 | Aripiprazole | C0011849 | Diabetes Mellitus | 0,0194 |
| DB01238 | Aripiprazole | C0235974 | Pancreatic carcinoma | 0,0191 |
| DB01101 | Capecitabine | C0678222 | Breast Carcinoma | 0,0188 |
| DB00472 | Fluoxetine | C0027627 | Neoplasm Metastasis | 0,0185 |
| DB00413 | Pramipexole | C0376358 | Malignant neoplasm of prostate | 0,0184 |
| DB00734 | Risperidone | C0242379 | Malignant neoplasm of lung | 0,0182 |
| DB00230 | Pregabalin | C0242379 | Malignant neoplasm of lung | 0,0181 |
| DB01156 | Bupropion | C2239176 | Liver carcinoma | 0,0181 |
| DB00586 | Diclofenac | C2239176 | Liver carcinoma | 0,0181 |
| DB01156 | Bupropion | C0027627 | Neoplasm Metastasis | 0,0180 |
| DB00586 | Diclofenac | C0006826 | Malignant Neoplasms | 0,0180 |
| DB00334 | Olanzapine | C2239176 | Liver carcinoma | 0,0180 |
| DB00268 | Ropinirole | C0009402 | Colorectal Carcinoma | 0,0179 |
| DB00273 | Topiramate | C2239176 | Liver carcinoma | 0,0178 |
| DB00783 | Estradiol | C0006142 | Malignant neoplasm of breast | 0,0176 |
| DB00215 | Citalopram | C1621958 | Glioblastoma Multiforme | 0,0175 |
| DB01165 | Ofloxacin | C2239176 | Liver carcinoma | 0,0175 |
| DB00997 | Doxorubicin | C0017636 | Glioblastoma | 0,0174 |
| DB00188 | Bortezomib | C0006826 | Malignant Neoplasms | 0,0174 |
| DB00813 | Fentanyl | C0006826 | Malignant Neoplasms | 0,0174 |
| DB00193 | Tramadol | C0242379 | Malignant neoplasm of lung | 0,0174 |
| DB00537 | Ciprofloxacin | C0376358 | Malignant neoplasm of prostate | 0,0173 |
| DB00997 | Doxorubicin | C0699791 | Stomach Carcinoma | 0,0173 |
| DB01024 | Mycophenolic acid | C2239176 | Liver carcinoma | 0,0173 |
| DB01229 | Paclitaxel | C0376358 | Malignant neoplasm of prostate | 0,0172 |

Table 4.17. Top 34 scored novel protein-disease relationship predictions

| UniProt ID | Protein Name | UMLS Concept ID | Disease | Ranking Score |
| :---: | :---: | :---: | :---: | :---: |
| P15692 | Vascular endothelial growth factor A | C0006142 | Malignant neoplasm of breast | 1,8379 |
| P01375 | Tumor necrosis factor (Cachectin) | C0376358 | Malignant neoplasm of prostate | 1,8344 |
| 000329 | Phosphatidylinositol 4,5-bisphosphate 3kinase catalytic subunit delta isoform | C0006142 | Malignant neoplasm of breast | 1,8147 |
| P28482 | Mitogen-activated protein kinase 1 | C0006826 | Malignant Neoplasms | 1,7833 |
| P48736 | Phosphatidylinositol 4,5-bisphosphate 3kinase catalytic subunit gamma isoform | C0678222 | Breast Carcinoma | 1,7755 |
| P14780 | Matrix metalloproteinase-9 | C0006826 | Malignant Neoplasms | 1,7581 |
| P37231 | Peroxisome proliferator-activated receptor gamma | C0678222 | Breast Carcinoma | 1,6979 |
| P14780 | Matrix metalloproteinase-10 | C1269955 | Tumor Cell Invasion | 1,6944 |
| P15692 | Vascular endothelial growth factor A | C1269955 | Tumor Cell Invasion | 1,6181 |
| P05231 | Interleukin-12 | C0007131 | Non-Small Cell Lung Carcinoma | 1,5643 |
| P03372 | Estrogen receptor | C0009402 | Colorectal Carcinoma | 1,5319 |
| P05231 | Interleukin-13 | C0600139 | Prostate carcinoma | 1,5263 |
| P35354 | Prostaglandin G/H synthase 2 | C1621958 | Glioblastoma Multiforme | 1,5261 |
| P10415 | Apoptosis regulator Bcl-2 | C2239176 | Liver carcinoma | 1,5220 |
| P14780 | Matrix metalloproteinase-14 | C0242379 | Malignant neoplasm of lung | 1,5170 |
| P35354 | Prostaglandin G/H synthase 2 | C0002395 | Alzheimer's Disease | 1,5011 |
| P35354 | Prostaglandin G/H synthase 2 | C1306460 | Primary malignant neoplasm of lung | 1,4856 |
| P37231 | Peroxisome proliferator-activated receptor gamma | C0376358 | Malignant neoplasm of prostate | 1,4723 |
| P05231 | Interleukin-17 | C0017636 | Glioblastoma | 1,4686 |
| P42345 | Serine/threonine-protein kinase mTOR | C0009402 | Colorectal Carcinoma | 1,4567 |
| P42574 | Caspase-3 | C0006142 | Malignant neoplasm of breast | 1,4446 |
| P05231 | Interleukin-20 | C0025202 | melanoma | 1,4395 |
| P42574 | Caspase-4 | C0678222 | Breast Carcinoma | 1,4391 |
| P14780 | Matrix metalloproteinase-15 | C0600139 | Prostate carcinoma | 1,4351 |
| P35354 | Prostaglandin G/H synthase 2 | C0235974 | Pancreatic carcinoma | 1,4258 |
| P14780 | Matrix metalloproteinase-17 | C0684249 | Carcinoma of lung | 1,4056 |
| P28482 | Mitogen-activated protein kinase 6 | C0017636 | Glioblastoma | 1,4015 |
| P05231 | Interleukin-22 | C0011849 | Diabetes Mellitus | 1,3761 |
| P05231 | Interleukin-23 | C0027819 | Neuroblastoma | 1,3568 |
| P01579 | Interferon gamma | C0009402 | Colorectal Carcinoma | 1,3554 |
| Q16665 | Hypoxia-inducible factor 1-alpha | C2239176 | Liver carcinoma | 1,3441 |
| P02768 | Albumin | C2239176 | Liver carcinoma | 1,3368 |
| 000329 | Phosphatidylinositol 4,5-bisphosphate 3kinase catalytic subunit delta isoform | C1621958 | Glioblastoma Multiforme | 1,3179 |
| P05019 | Insulin-like growth factor I | C0009402 | Colorectal Carcinoma | 1,3097 |

## CHAPTER 5

## 5. DISCUSSION AND CONCLUSION

This study aims to predict unknown relationships in biological data by leveraging documented protein-protein, drug-target, gene-disease, and drug-side effect associations. The biological datasets are first obtained from UniProt, String, Stitch, Sider, Drugbank, Drugcentral, DisGENET, and KEGG databases, and their relationships are extracted and re-formatted as multiple pairwise relationship matrices.

Related databases were analyzed, and drug-side effects, drugs- diseases, drugs-proteins, proteins-proteins, and proteins-diseases interaction data were obtained and integrated into a single data frame. The subject data frame is modeled with a large graph representing them all. This graph is a combination of five bipartite graphs. The matrices representing drug-side effects, drugs- diseases, drugs-proteins, proteins-proteins, and proteins-diseases relationships are built by removing each bipartite graph's neighborhood matrices forming the model graph.

Using $90 \%$ of the matrix representing the drug-side effects relationships, ten-fold crosstrain matrices were created, and the NMTF algorithm was applied to obtain new interaction estimates. New interactions with the best 250 score values were obtained in each neighborhood matrix, while interpretation and literature research was done for the top results.

First, new predictions were checked retrospectively. Their existence was checked in the interactions already present in the data used; in this context, all predictions belong to interactions whose existence was not recorded by the databases before. In addition, it was rechecked whether there was any entry shared between side effects and diseases; if no common items were found, and the data that originally had a common UMLS Concept ID in the dataset was eliminated. When the R12 matrix new interaction predictions are examined, it is seen that the IDs of some side effects are not found in the DisGeNET database. This is because the side effect data is sourced from the SIDER database, and the records it contains are taken from public documents and package inserts.

The scores alone are not meaningful and insufficient to explain the reliability of the new estimates obtained in this study. Subject scores were used for ranking purposes.

The score ranges of the new predictions did vary. The scores were > 1 in R12 and R34 matrices. However, these values were between 0 and 1 in the R23 and R24 matrices. The reason for this is that the matrices have relatively different sparsity levels and dimensions. A protein-based focus was made while creating the data frame that is thought to affect these score ranges, so editing the same data frame on a drug basis and running the re-
estimation algorithm can completely change the estimates and the related scores. This issue may be the subject of future studies.

Table 5.1. Sparsity and density rates of relation matrices

| Relation Matrix | Total Present <br> Interactions | Dimension 1 | Dimension 2 | Density Rate | Sparsity Rate |
| :---: | :---: | :---: | :---: | :---: | :---: |
| R12 | 42.209 | 3.105 | 6.564 | 0,002071 | 0,997929 |
| R23 | 26.977 | 6.564 | 3.097 | 0,001327 | 0,998673 |
| R24 | 3.742 | 6.564 | 17.034 | 0,000033 | 0,999967 |
| R34 | 342.146 | 3.097 | 17.034 | 0,006486 | 0,993514 |

Certain nodes such as Aripiprazole are observed to be encountered more frequently. We can expect that testing the matrices forming the data frame with the algorithm one by one may lead to different results and estimations.

Olanzapine is an active ingredient that includes a type of atypical antipsychotic drug group approved for use in treating schizophrenia and bipolar disorder. As a result of this thesis, it was estimated that the drugs whose active ingredient is olanzapine have side effects such as blurred vision. The study also reported by Serrano and Maldonado (2021) that olanzapine can cause blurred vision when taken in overdoses.

Paliperidone is an atypical antipsychotic. It is mainly used to treat schizophrenia and schizoaffective disorder. As a result of the study in this thesis, it was estimated that this drug might have side effects such as excessive sweating (hyperhidrosis). In Rus et al. (2015) and Kokalj et al. (2016) studies, it has also been reported that this drug has side effects.

Valproate is a medication primarily used to treat epilepsy and bipolar disorder and prevent migraine headaches. Our results have estimated that this drug may have a shock as a side effect. Kumar (2022) also reported that he observed the shock side effect of this drug in children, even fatally, in his clinical studies.

Donepezil is a medicine used to treat Alzheimer's type dementia. It is known to provide minor benefits in cases with mental function and the ability to function. Our matrix analysis estimated that this drug might have palpitation as a side effect in this thesis. This observation has also been presented in the studies of Tanaka et al. (2009), Morris et al. (2021), and Hoffman and Bloemer (2021).

Venlafaxine is an antidepressant drug of the serotonin-norepinephrine reuptake inhibitor class. It is used to treat major depressive disorder, generalized anxiety disorder, panic
disorder, and social phobia. It can also be used for chronic pain. In this thesis, it was predicted that this drug might also be effective on $\alpha 1 \mathrm{~A}$-adrenergic receptors. The exact prediction was also made in Salvi et al. (2016) study using the regression analysis method.

Citalopram is a serotonin reuptake inhibitor (SSRI). It is the most selective molecule with the highest specificity for serotonin. It is one of the rare antidepressants that are effective in the behavioral problems of Alzheimer's disease. Here we have predicted that this drug may affect the Acetyl-CoA carboxylase 1 protein, which is also reported in experimental studies by Visco et (2018).

Pregabalin is a medication used to treat epilepsy, neuropathic pain, fibromyalgia, restless legs syndrome, and generalized anxiety disorder. In this thesis, it was predicted that this drug might affect the 5 -hydroxytryptamine receptor 2A. In the study of Hallak et al. (2019), the role of muscarinic and serotonergic-2A receptors in the antinociceptive effect of pregabalin was investigated.

Aripiprazole is recommended and used in the treatment of schizophrenia and bipolar disorder. It is used as adjunctive therapy in the treatment of major depressive disorder and psychotic disorders. It was predicted that this drug could also be used in Glioblastoma disease. Glioblastoma is a primary malignant brain tumor that can occur in the brain or spinal cord. This tumor is the most common brain tumor and the most difficult to treat. Forno et al. (2020) reported using this drug at low doses for Glioblastoma disease in their study. In the study by Suziki et al. (2019), Brexpiprazole was reported as a new antipsychotic drug for depression and schizophrenia, which is prepared on the basis of the drug Aripiprazole and is also effective for glioblastoma. Additionally, Aripiprazole was estimated to be helpful in the treatment of pancreatic cancer. It was also reported in the study of Suziki et al. (2016) that this drug can be used in pancreatic cancer.

Bupropion is an atypical antidepressant used to treat the major depressive disorder and support smoking cessation. In this thesis, it was predicted that this drug could be used to treat malignant breast tumors. In the study of Mathias et al. (2006), it was stated that this drug is used to treat breast cancer.

Capecitabine is a chemotherapy drug used to treat breast cancer, stomach cancer, and colorectal cancer. In this thesis, it was predicted that this drug could also be used to treat breast carcinoma. Breast carcinoma is the metastatic form of breast cancer. Curigliano et al. (2022) reported that they used this drug on breast carcinoma patients in their clinical studies and obtained successful results.

Vascular endothelial growth factor (VEGF) is active in angiogenesis, vasculogenesis, and endothelial cell growth and induces endothelial cell proliferation, promotes cell migration, inhibits apoptosis, and induces permeabilization of blood vessels. In this thesis, it was predicted that this protein could also take part in breast cancer mechanisms. Yoshiji et al. (1996) study suggests that VEGF is an essential angiogenic factor in human breast cancer via gene expression.

Tumor necrosis factor (cachectin) protein is related to the TNF gene. Cytokine binds to TNFRSF1A/TNFR1 and TNFRSF1B/TNFBR. It is mainly secreted by macrophages and can induce cell death of certain tumor cell lines. It is a potent pyrogen causing fever by direct action or by stimulation of interleukin- 1 secretion and is implicated in the induction of cachexia. Under certain conditions, it can stimulate cell proliferation and induce cell differentiation. In this thesis, it was predicted that this protein could be an interaction with prostate cancer. Nakashima et al. (1998) also suggest that with their article, tumor necrosis factor may be one of the factors contributing to the complex syndrome of cachexia in patients with prostate cancer.

Overall, the optimized model is accomplished large-scale prediction of pairwise relationships between proteins, drugs, diseases, and side effects. We obtained new predictions for drug-side effect, drug-disease, drug-target protein, and gene/proteindisease interactions. When the top 250 predictions with the highest scores are retrospectively investigated, we have found that several of the prediction is validated in the literature. We hope that this thesis study's results will help life-scientists plan experimental work by providing preliminary sets of biological associations.

We would like to emphasize that the matrices, the inputs of the algorithm used, are extremely sparse. This creates an obstacle to obtaining more successful results. In the future, it can be tried to obtain results by first separating these matrices into denser submatrices and applying the NMTF algorithm to the submatrices.

## REFERENCES

Abay, G. (2020). Biological data integration and relation prediction by matrix factorization (Master's Thesis, METU Informatics Institute).

Ar, Y. (2020). An initialization method for the latent vectors in probabilistic matrix factorization for sparse datasets. Evolutionary Intelligence, 13(2), 269-281.

Ceddia, G., Pinoli, P., Ceri, S., and Masseroli, M. (2020). Matrix factorization-based technique for drug repurposing predictions. IEEE journal of biomedical and health informatics, 24(11), 3162-3172.

Chen, Y. Z., and Ung, C. Y. (2001). Prediction of potential toxicity and side effect protein targets of a small molecule by a ligand-protein inverse docking approach. Journal of Molecular Graphics and Modelling, 20(3), 199-218.

Curigliano, G., Mueller, V., Borges, V., Hamilton, E., Hurvitz, S., Loi, S., ... \& Winer, E. (2022). Tucatinib versus placebo added to trastuzumab and capecitabine for patients with pretreated HER2+ metastatic breast cancer with and without brain metastases (HER2CLIMB): final overall survival analysis. Annals of Oncology, 33(3), 321-329.

Devarajan, K. (2008). Nonnegative matrix factorization: An analytical and interpretive tool in computational biology. PLoS Computational Biology, 4(7), e1000029.

Dimitri, G. M., and Lió, P. (2017). DrugClust: a machine learning approach for drugs side effects prediction. Computational biology and chemistry, 68, 204-210.

Ding, C., Li, T., Peng, W., and Park, H. (2006). Orthogonal nonnegative matrix tfactorizations for clustering. In Proceedings of the 12th ACM SIGKDD international conference on Knowledge discovery and data mining , pp. 126-135.

Dissez, G., Ceddia, G., Pinoli, P., Ceri, S., and Masseroli, M. (2019). Drug repositioning predictions by non-negative matrix tri-factorization of integrated association data. In Proceedings of the 10th ACM International Conference on Bioinformatics, Computational Biology and Health Informatics, 25-33.

Ehrlich, P. (1877). Beiträge zur Kenntniss der Anilinfärbungen und ihre Verwendung in der mikroskopischen Technik. Archiv für Mikroskopische Anatomie, 13, 263-277

Forno, F., Maatuf, Y., Boukeileh, S., Dipta, P., Mahameed, M., Darawshi, O., Priel, A., Valverde A. M. and Tirosh, B. (2020). Aripiprazole cytotoxicity coincides with activation of the unfolded protein response in human hepatic cells. Journal of Pharmacology and Experimental Therapeutics, 374(3), 452-461.

Funk S. (2006). Netflix Update: Try This at Home.
Gao KY, Fokoue A, Luo H, et al. (2018). Interpretable drug target prediction using deep neural representation. In: Proceedings of the Twenty-Seventh International Joint Conference on Artificial Intelligence, IJCAI, July 13-19, Stockholm, Sweden, 3371-3377.

Gene [Internet]. Bethesda (MD): National Library of Medicine (US), National Center for Biotechnology Information; 2004 - [cited 202225 04]. Available from: https://www.ncbi.nlm.nih.gov/gene/

Gilson, MK, Liu T, Baitaluk M, Nicola G, Hwang L, and Chong J. (2016). Bindingdb in 2015: A public database for medicinal chemistry, computational chemistry and systems pharmacology. Nucleic acids research, 44(D1):D1045-D1053.

Gönen, M. (2012). Predicting drug-target interactions from chemical and genomic kernels using Bayesian matrix factorization. Bioinformatics, 28(18), 2304-2310.

Gunther S, Kuhn M, Dunkel M, Campillos M, Senger C, Petsalaki E, Ahmed J, Urdiales EG, Gewiess A, Jensen LJ, Schneider R, Skoblo R, Russell RB, Bourne PE, Bork $P$ and Preissner R. (2008). Supertarget and matador: resources for exploring drugtarget relationships. Nucleic Acids Res. 36(Database issue), 919-922. doi:10.1093/nar/gkm862

Hallak, M., Balci, H., Günaydın, C., \& Bilge, S. S. (2019). The role of muscarinic and serotonergic-2A receptors in the antinociceptive effect of pregabalin. Physiology and Pharmacology, 23(4), 302-308

Hardoon, D. R., and Shawe-Taylor, J. (2011). Sparse canonical correlation analysis. Machine Learning, 83(3), 331-353.

Hoffman, L., \& Bloemer, J. (2021). Side effects of drugs used in the treatment of Alzheimer's disease. In Side Effects of Drugs Annual (Vol. 43, pp. 71-77). Elsevier.

Hoyer, P. O. (2004). Non-negative matrix factorization with sparseness constraints. Journal of machine learning research, 5(9).

Jahid, M. J., and Ruan, J. (2013). An ensemble approach for drug side effect prediction. In 2013 IEEE International Conference on Bioinformatics and Biomedicine, pp. 440-445.

Kanehisa, M., Goto, S., Furumichi, M., Tanabe, M., and Hirakawa, M. (2010). KEGG for representation and analysis of molecular networks involving diseases and drugs. Nucleic Acids Res. 38, D355-D360.

Kanehisa M, Goto S, Hattori M, Aoki-Kinoshita KF, Itoh M, Kawashima S, Katayama T, Araki M and Hirakawa M. (2006). From genomics to chemical genomics: new developments in kegg. Nucleic Acids Res. 34(suppl 1), 354-357.

Kokalj, A., Rijavec, N., \& Tavčar, R. (2016). Case Report: Delirium with anticholinergic symptoms after a combination of paliperidone and olanzapine pamoate in a patient known to smoke cannabis: an unfortunate coincidence. BMJ Case Reports, 2016.

Kumar, U. A. Study of Comparing the Efficacy of Intravenous Levetiracetam Versus Intravenous Valproate inthe Management of Refractory Status Epilepticus in Children. European Journal of Molecular \& Clinical Medicine, 9(03), 2022.

Langley J.N. (1905). On the reaction of cells and of nerve-endings to certain poisons, chiefly as regards the reaction of striated muscle to nicotine and to curari. $J$ Physiol. 33 (4-5), 374-413.

Langville, A. N., Meyer, C. D., Albright, R., Cox, J., and Duling, D. (2006). Initializations for the nonnegative matrix factorization. In Proceedings of the twelfth ACM SIGKDD international conference on knowledge discovery and data mining, 2326.

Li, S. Z., Hou, X. W., Zhang, H. J., and Cheng, Q. S. (2001). Learning spatially localized, parts-based representation. In Proceedings of the 2001 IEEE Computer Society Conference on Computer Vision and Pattern Recognition. CVPR (Vol. 1, pp. I-I). IEEE.

Liu, M., Wu, Y., Chen, Y., Sun, J., Zhao, Z., Chen, X. W. et al. (2012). Large-scale prediction of adverse drug reactions using chemical, biological, and phenotypic properties of drugs. Journal of the American Medical Informatics Association, 19(e1), e28-e35.

Luo, Y., Liu, Q., Wu, W., Li, F., and Bo, X. (2014). Predicting drug side effects based on link prediction in bipartite network. In 2014 7th International Conference on Biomedical Engineering and Informatics, 729-733. IEEE.

Mathias, C., Mendes, C. C., de Sena, E. P., de Moraes, E. D., Bastos, C., Braghiroli, M. I., Nunez G., Athanazio R., Alban L., Moore and H. C. F. and Giglio, A. (2006).

An open-label, fixed-dose study of bupropion effect on sexual function scores in women treated for breast cancer. Annals of Oncology, 17(12), 1792-1796.

Morris, R., Luboff, H., Jose, R. P., Eckhoff, K., Bu, K., Pham, M., ... \& Cheng, F. (2021). Bradycardia due to donepezil in adults: Systematic analysis of FDA adverse event reporting system. Journal of Alzheimer's Disease, 81(1), 297-307.

Nakashima, J., Tachibana, M., Ueno, M., Miyajima, A., Baba, S., \& Murai, M. (1998). Association between tumor necrosis factor in serum and cachexia in patients with prostate cancer. Clinical Cancer Research, 4(7), 1743-1748.

Nguyen, T., Le, H., Quinn, T. P., Le, T., and Venkatesh, S. (2020). Predicting drug-target binding affinity with graph neural networks. BioRxiv, 684662.

Öztürk H, Olmez EO, Özgür A. (2016). A comparative study of smiles-based compound similarity functions for drug target interaction prediction. BMC Bioinform, 17, 128.

Öztürk H, Özgür A, Olmez EO. (2018). Deepdta: deep drug-target binding affinity prediction. Bioinformatics, 34(17): i821-i829.

Paatero, P and Tapper, U. (1994). Positive matrix factorization: A non-negative factor model with optimal utilization of error estimates of data values. Environmetrics, 5, 111-126.

Pauwels, E., Stoven, V., and Yamanishi, Y. (2011). Predicting drug side-effect profiles: a chemical fragment-based approach. BMC Bioinformatics, 12(1), 169.

Pehkonen, P., Wong, G., and Törönen, P. (2005). Theme discovery from gene lists for identification and viewing of multiple functional groups. BMC Bioinformatics, 6, 1-18.

Piñero J., Ramírez-Anguita J. M., Saüch-Pitarch J., Ronzano F., Centeno E., Sanz F., and Furlong L. I., (2020). The DisGeNET knowledge platform for disease genomics: 2019 update, Nucleic Acids Research, 48(D1), D845-D855.

Pinoli, P., Ceddia, G., Ceri, S., \& Masseroli, M. (2021). Predicting drug synergism by means of non-negative matrix tri-factorization. IEEE/ACM Transactions on Computational Biology and Bioinformatics.

Rus, S. G., Iborte, A. S., \& Abad, M. B. (2015). Tolerability of Paliperidone in Inpatients. European Psychiatry, 30, 1619.

Salakhutdinov, R. R. and Mnih A. (2008). Probabilistic matrix factorization. In Advances in neural information processing systems, 1257-1264.

Salvi, V., Mencacci, C., \& Barone-Adesi, F. (2016). H1-histamine receptor affinity predicts weight gain with antidepressants. European Neuropsychopharmacology, 26(10), 1673-1677.

Schomburg I., Chang A., Ebeling C., Gremse M., Heldt C., Huhn G. and Schomburg D. (2004). Brenda, the enzyme database: updates and major new developments. Nucleic Acids Res. 32(suppl 1), 431-433.

Schwarzenberg-Czerny, A. (1995). On matrix factorization and efficient least squares solution. Astronomy and Astrophysics Supplement Series. 110, 405-410.

Serrano, W. C., \& Maldonado, J. (2021). The Use of Physostigmine in the Diagnosis and Treatment of Anticholinergic Toxicity After Olanzapine Overdose: Literature Review and Case Report. Journal of the Academy of Consultation-Liaison Psychiatry, 62(3), 285-297.

Suzuki, S., Okada, M., Kuramoto, K., Takeda, H., Sakaki, H., Watarai, H., Sanomachi, T. Seino, S., Yoshioka,T. and Kitanaka, C. (2016). Aripiprazole, an antipsychotic and partial dopamine agonist, inhibits cancer stem cells and reverses chemoresistance. Anticancer research, 36(10), 5153-5161.

Suzuki, S., Yamamoto, M., Sanomachi, T., Togashi, K., Sugai, A., Seino, S.,Yoshioka T., Kitanaka, C. and Okada, M. (2019). Brexpiprazole, a serotonin-dopamine activity modulator, can sensitize glioma stem cells to osimertinib, a third-generation EGFR-TKI, via survivin reduction. Cancers, 11(7), 947.

Tanaka, A., Koga, S., \& Hiramatsu, Y. (2009). Donepezil-induced adverse side effects of cardiac rhythm: 2 cases report of atrioventricular block and Torsade de Pointes. Internal Medicine, 48(14), 1219-1223.

The UniProt Consortium, UniProt: the universal protein knowledgebase in 2021 (2021). Nucleic Acids Research. 49(D1), D480-D489.

Tweedie S, Braschi B, Gray KA, Jones TEM, Seal RL, Yates B and Bruford EA. Genenames.org: the HGNC and VGNC resources in 2021 (2021). Nucleic Acids Res. PMID: 33152070 PMCID: PMC7779007 DOI: 10.1093/nar/gkaa980

UniProt Consortium, T. (2018). UniProt: the universal protein knowledgebase. Nucleic Acids Research. https://doi.org/10.1093/nar/gky092

Visco, D. B., Manhaes-de-Castro, R., Chaves, W. F., Lacerda, D. C., da Conceição Pereira, S., Ferraz-Pereira, K. N., \& Toscano, A. E. (2018). Selective serotonin reuptake inhibitors affect structure, function and metabolism of skeletal muscle: a systematic review. Pharmacological Research, 136, 194-204.

Wang X, Liu Y, Lu F, et al.(2020). Dipeptide frequency of word frequency and graph convolutional networks for dta prediction. Front Bioeng Biotechnol, 8, 267.

Wang L, You Z-H, Chen X, et al. (2018). A computational-based method for predicting drug-target interactions by using stacked autoencoder deep neural network. J Comput Biol. 25(3), 361-373.

Wen M, Zhang Z, Niu S, Sha H, Yang R, Yun Y and Lu H. Deep learning-based drugtarget interaction prediction. (2017). J Proteome Res, 16(4), 1401-1409.

Wishart DS, Knox C, Guo AC, Cheng D, Shrivastava S, Tzur D, Gautam B, and Hassanali M. (2008). Drugbank: a knowledgebase for drugs, drug actions and drug targets. Nucleic Acids Res. 36(suppl 1), 901-906.

Yang, Z., and Michailidis, G. (2016). A non-negative matrix factorization method for detecting modules in heterogeneous omics multi-modal data. Bioinformatics, 32(1), 1-8.

Yamanishi Y, Araki M, Gutteridge A, Honda W, and Kanehisa M. (2008). Prediction of drug-target interaction networks from the integration of chemical and genomic spaces. Bioinformatics. 24(13), 232-240.

Yamanishi, Y., Pauwels, E., and Kotera, M. (2012). Drug side-effect prediction based on the integration of chemical and biological spaces. Journal of Chemical Information and Modeling, 52(12), 3284-3292.

Ye, H., Liu, Q., and Wei, J. (2014). Construction of drug network based on side effects and its application for drug repositioning. PloS one, 9(2), e87864.

Yoshiji, H., Gomez, D. E., Shibuya, M., \& Thorgeirsson, U. P. (1996). Expression of vascular endothelial growth factor, its receptor, and other angiogenic factors in human breast cancer. Cancer Research, 56(9), 2013-2016.

Zeng Y, Chen X., Luo Y., Li X., and Peng D. (2021). Deep drug-target binding affinity prediction with attention block. Briefings in Bioinformatics. bbab117.

Zhang, Y., Lei, X., Fang, Z., and Pan, Y. (2020). CircRNA-disease associations prediction based on metapath2vec++ and matrix factorization. Big Data Mining and Analytics. 3(4), 280-291.

Zhang, W., Liu, F., Luo, L., and Zhang, J. (2015). Predicting drug side effects by multilabel learning and ensemble learning. BMC bioinformatics, 16(1), 1-11.

Zhao, X., Chen, L., Guo, Z. H., and Liu, T. (2019). Predicting drug side effects with compact integration of heterogeneous networks. Current Bioinformatics, 14(8), 709-720.

Zhao, H., Zheng, K., Li, Y., and Wang, J. (2021). A novel graph attention model for predicting frequencies of drug-side effects from multi-view data. Briefings in Bioinformatics, 22(6), bbab239.

Zhao L., Wang J., Pang L., Liu Y., and Zhang L. (2020). Gansdta: Predicting drug-target binding affinity using gans. Frontiers in Genetics, 10,1243.

Žitnik M. , Janjić V., Larminie C., Zupan B., and Pržulj N. (2013). Discovering diseasedisease associations by fusing systems-level molecular data. Scientific reports 3 , 3202.

Žitnik, M., Nam E. A., Dinh C., Kuspa A., Shaulsky G., and Zupan B. (2015). Gene prioritization by compressive data fusion and chaining. PLoS computational biology 11(10), e1004552.

## APPENDIX

## APPENDIX A

## A. 1 Modified Codes of NMTF

## A.1.1. Part 1

```
"""
This code is a modified version of the code created by
gaetanddissez
@author of the modification: Onur Savaş KARTLI
Original code was retrieved from Dissez et al. (2019)
This file load create a loader class to import the data
from txt files and create required matrices for our
problem.
In order to run the code, you must have a folder named data
and you must have txt files with appropriate names in this
folder.
In order to run the code, you must also have an empty
folder named tmp.
This is the first code you have to run and you only have to
run it once.
"""
#First we load the packages we need
from scipy import sparse
import numpy as np
#These two classes are implemented in the repository
from load_data_NMTF import loader
#While using a server to run this notebook, it can be
necessary to limit the number of threads
import os
```

```
os.environ["MKL_NUM_THREADS"] = "5"
os.environ["NUMEXPR_NUM_THREADS"] = "5"
os.environ["OMP_NUM_THREADS"] = "5"
Os.environ["OPENBLAS_NUM_THREADS"] = "5"
os.environ["VECLIB MA}XIM\overline{UMM THREADS"] = "5"
#f_labelsdrugs = 'D
f_sideeffectsdrugs = 'DrugsToSideEffects.txt'
f_drugsproteins = 'DrugsToProteins.txt'
#f_proteinspathways = 'ProteinsToPathways.txt'
f_proteinsdiseases = 'ProteinsToDiseases.txt'
f_drugsdiseases = 'DrugsToDiseases.txt'
f_protprot = 'ProteinsToProteins.txt'
#f_pathpath = 'PathwaysToPathways.txt'
load = loader(f_sideeffectsdrugs,
                    f drugsproteins,
                    f_proteinsdiseases,
                    f_drugsdiseases,
                    f_protprot)
#R12, R23, R34, R25, W3= load.association matrices()
R12, R23, R34, R24, W3,proteins,drugs,diseases, sideeffects
= load.association_matrices()
d3 = np.array(W3.sum(axis=0))
D3 = sparse.diags(d3[0], 0)
L3 = D3 - W3 #laplacian matrix of intra-protein links
R12=sparse.csc_matrix(R12)
R23=sparse.csc_matrix(R23)
R34=sparse.csc_matrix(R34)
R24=sparse.csc_matrix(R24)
W3=sparse.csc_matrix(W3)
L3=sparse.csc_matrix(L3)
sparse.save_npz('./tmp/R12.npz', R12)
sparse.save_npz('./tmp/R23.npz', R23)
sparse.save_npz('./tmp/R34.npz', R34)
sparse.save_npz('./tmp/R24.npz', R24)
sparse.save_npz('./tmp/W3.npz', W3)
sparse.save_npz('./tmp/L3.npz', L3)
print("Sparce matrices are created")
```


## A.1.2. Load Data

```
"""
This code is a modified version of the code created by
gaetanddissez
@author of the modification: Onur Savaş KARTLI
Original code was retrieved from Dissez et al. (2019)
This file load create a loader class to import the data
from txt files and create required matrices for our problem
In order to run the code, you must have a folder named data
and you must have txt files with appropriate names in this
folder.
You do not need to run this code specifically, it will be
called and run where necessary.
"""
#We use networkx as a way to interpret the data and to
transform it easily through adjacency matrices
import networkx as nx
class loader:
\#we initialize the loader by giving the paths to the
files.
    def __init__(self, f_drugssideeffects, f_drugsproteins,
f_proteinsdiseases, f_drugsdiseases, f_protprot):
        self.drugssideeffects_file = './data/' +
f_drugssideeffects
        self.drugsproteins_file = './data/' +
f_drugsproteins
        self.proteinsdiseases_file = './data/' +
f_proteinsdiseases
        self.drugsdiseases_file = './data/' +
f_drugsdiseases
        self.intraprot_file = './data/' + f_protprot
    # self.intrapath_file = './data/' + f_pathpath
    #Then we can use this method to return the needed
matrices
    def association matrices(self):
```

```
    drug_set = set()
    protein_set = set()
    with open(self.intraprot_file, "r") as pp:
    for line in pp:
        (protein, protein1, ww) =
line.strip().split("\t")
                protein_set.add(protein)
    pp.close()
    proteins = list(protein_set)
    proteins.sort()
    pl=len(proteins)
    ff=open("./data/proteins.txt","w")
    for hh in range(pl):
        Temp="%s\n"%(proteins[hh])
        ff.write (Temp)
    ff.close()
    with open(self.drugsproteins_file, "r") as dp:
        for line in dp:
        (drug, protein) = line.strip().split("\t")
        drug_set.add(drug)
    dp.close()
    drugs = list(drug_set)
    drugs.sort()
    pl=len(drugs)
    ff=open("./data/drugs.txt","w")
    for hh in range(pl):
        Temp="%s\n"%(drugs[hh])
        ff.write(Temp)
    ff.close()
    disease_set = set()
    with open(self.proteinsdiseases_file, "r") as pd:
        for line in pd:
        (protein1, disease) =
line.strip().split("\t")
            disease_set.add(disease)
    pd.close()
diseases = list(disease_set)
diseases.sort(
```

```
    #TODO: check that the loaded proteins list are
coherent (same for drugs and diseases)
    pl=len(diseases)
    ff=open("./data/diseases.txt","w")
    for hh in range(pl):
        Temp="%s\n"%(diseases[hh])
        ff.write(Temp)
    ff.close()
    with open(self.drugssideeffects_file, "r") as f:
        SideEffectToDrug = [element.strip().split('\t')
for element in f.readlines()]
        sideeffects = [i[1] for i in SideEffectToDrug
if i[0] in drugs]
    f.close()
    sideeffects = list(set(sideeffects))
    sideeffects.sort() #list of sideeffects, sorted in
the alphabetical order
    edges12 = [(link[0], link[1]) for link in
SideEffectToDrug] #edges12 contains edges between drugs and
sideeffects
    pl=len(sideeffects)
    ff=open("./data/sideeffects.txt","w")
    for hh in range(pl):
        Temp="%s\n"%(sideeffects[hh])
        ff.write(Temp)
    ff.close()
    with open(self.drugsproteins_file, "r") as f:
        data_graph = [element.split() for element in
f.readlines()]
    f.close()
    edges23 = [(element[0],element[1]) for element in
data_graph] #edges23 contains edges between drugs and
proteins
    with open(self.proteinsdiseases_file, "r") as f:
        data_graph = [element.split() for element in
f.readlines()]
    f.close()
```

edges34 = [(element[0],element[1]) for element in data_graph] \#edges34 contains edges between proteins and diseases
with open(self.drugsdiseases_file, "r") as f: data_graph $=$ [element.split() for element in f.readlines()]
f.close()
edges24 = [(element[0],element[1]) for element in data_graph] \#edges24 contains edges between drugs and diseases
w3 =
nx.adjacency_matrix(nx.read_weighted_edgelist(self.intrapro t_file, nodetype=str), nodelist=proteins)
$\mathrm{G}=\mathrm{nx}$. Graph ()
G.add_nodes_from(sideeffects)
G.add_nodes_from(proteins)
G.add_nodes_from(diseases)
G.add_nodes_from(drugs)
G.add edges from(edges12)
G.add_edges_from(edges23)
G.add_edges_from(edges34)
G.add_edges_from(edges24)

R = nx.adjacency_matrix(G, nodelist=sideeffects +
drugs + proteins + diseases)
n_drugs $=$ len(drugs)
n_proteins = len(proteins)
n_sideeffects = len(sideeffects)
n_diseases = len(diseases)
R12 = R[:n_sideeffects,
n_sideeffects:(n_drugs+n_sideeffects)]
R23 $=$ R[ $\bar{n} \_$sideeffects: (n_drugs+n_sideeffects),
(n_drugs+n_sideeffects):(n_drugs+n_sideeffects+n_proteins)]
R3 $\overline{4}=$
R[(n_drugs+n_sideeffects):(n_drugs+n_sideeffects+n_proteins ),
(n_drugs+n_sideeffects+n_proteins):(n_drugs+n_sideeffects+n _proteins+n_diseases)]

R24 = R[n_sideeffects:(n_drugs+n_sideeffects), (n_drugs+n_sideeffects+n_proteins):]
return R12, R23, R34, R24, W3, proteins, drugs, diseases, sideeffects

## A.1.3. Method NMTF

```
"""
This code is a modified version of the code created by
gaetanddissez
@author of the modification: Onur Savaş KARTLI
Original code was retrieved from Dissez et al. (2019)
"""
import numpy as np
import sklearn.metrics as metrics
#from spherecluster import SphericalKMeans
from sklearn.cluster import KMeans
from scipy import sparse
class NMTF:
    #First load and convert to numpy arrays the data
    R12 = sparse.load_npz('./tmp/R12.npz').toarray()
    R23 = sparse.load_npz('./tmp/R23.npz').toarray()
    R34 = sparse.load_npz('./tmp/R34.npz').toarray()
    R24 = sparse.load_npz('./tmp/R24.npz').toarray()
    W3 = sparse.load_npz('./tmp/W3.npz').toarray()
    #W4 = sparse.load_npz('./tmp/W4.npz').toarray()
    L3 = sparse.load_npz('./tmp/L3.npz').toarray()
    #L4 = sparse.load_npz('./tmp/L4.npz').toarray()
    #Those matrices are called Degree matrices
    D3 = L3 + W3
    #D4 = L4 + W4
    #eps is a constant needed experimentally in update
rules to make sure that the denominator is never null
    eps=1e-8
    n1, n2 = R12.shape
    n3, n4 = R34.shape
```

```
\#n4 = R24.shape[1]
```

\#n4 = R24.shape[1]
def update(self, A, num, den):
def update(self, A, num, den):
return A*(num / (den + NMTF.eps))**0.5
return A*(num / (den + NMTF.eps))**0.5
vupdate = np.vectorize(update)
vupdate = np.vectorize(update)
def __init__(self, init_method, parameters, mask):
self.init_method = init_method
self.K = parameters
self.M = mask
self.iter = 0
def initialize(self):
self.R12_train = np.multiply(NMTF.R12, self.M)
if self.init_method == 'random':
"""Random}\mathrm{ uniform"""
self.G1 = np.random.rand(NMTF.n1, self.K[0])
self.G2 = np.random.rand(NMTF.n2, self.K[1])
self.G3 = np.random.rand(NMTF.n3, self.K[2])
self.G4 = np.random.rand(NMTF.n4, self.K[3])
\# self.G5 = np.random.rand(NMTF.n5, self.K[4])
\#if self.init_method == 'skmeans':
"""spherical k-means"""
\#Sperical k-means clustering is done on the
initial data
\# skm1 = SphericalKMeans(n_clusters=self.K[O])
\# skm1.fit(self.R12_train.transpose())
\# skm2 = SphericalKMeans(n_clusters=self.K[1])
\# skm2.fit(self.R12_train)
\# skm3 = SphericalKMeans(n_clusters=self.K[2])
\# skm3.fit(NMTF.R23)
\# skm4 = SphericalKMeans(n_clusters=self.K[3])
\# skm4.fit(NMTF.R34)
\# skm5 = SphericalKMeans(n_clusters=self.K[4])
\# skm5.fit(NMTF.R24)
\#Factor matrices are initialized with the
center coordinates
\# self.G1 = skm1.cluster_centers_.transpose()

```
```


# self.G2 = skm2.cluster_centers_.transpose()

# self.G3 = skm3.cluster_centers_.transpose()

# self.G4 = skm4.cluster_centers_.transpose()

# self.G5 = skm5.cluster_centers_.transpose()

if self.init_method == 'acol':
"""random ACOL"""
\#We will "shuffle" the columns of R matrices
and take the mean of k batches
Num1 = np.random.permutation(NMTF.n2)
Num2 = np.random.permutation(NMTF.n1)
Num3 = np.random.permutation(NMTF.n2)
Num4 = np.random.permutation(NMTF.n3)
Num5 = np.random.permutation(NMTF.n2)
G1 = []
for l in np.array_split(Num1, self.K[0]):
G1.append(np.mean(self.R12_train[:,l], axis
= 1))
self.G1 = np.array(G1).transpose()
G2 = []
for l in np.array_split(Num2, self.K[1]):
G2.append(np.mean(self.R12_train.transpose()[:,l], axis =
1))
self.G2 = np.array(G2).transpose()
G3 = []
for l in np.array_split(Num3, self.K[2]):
G3.append(np.mean(NMTF.R23.transpose()[:,l], axis = 1))
self.G3 = np.array(G3).transpose()
G4 = []
for l in np.array_split(Num4, self.K[3]):
G4.append(np.mean(NMTF.R34.transpose()[:,l], axis = 1))
self.G4 = np.array(G4).transpose()
G5 = []
for l in np.array_split(Num5, self.K[4]):
G5.append(np.mean(NMTF.R24.transpose()[:,l], axis = 1))

```
```

    self.G5 = np.array(G5).transpose()
    if self.init_method == 'kmeans':
    """k-means with clustering on previous item"""
    #As for spherical k-means, factor matrices will
    be initialized with the centers of clusters.
km1 = KMeans(n_clusters=self.K[0], n_init =
10).fit_predict(self.R12_train.transpose())
km2 = KMeans(n_clusters=self.K[1], n_init =
10).fit_predict(self.R12 třain)
km3 = KMeans(n_clusters=self.K[2], n_init =
10).fit_predict(self.R23)
km4 = KMeans(n_clusters=self.K[3], n_init =
10).fit_predict(self.R34)
\# km5 = KMeans(n_clusters=self.K[4], n_init =
10).fit_predict(self.R24)
self.G1 =
np.array([np.mean([self.R12_train[:,i] for i in
range(len(km1)) if km1[i] == p], axis = O) for p in
range(self.K[0])]).transpose()
self.G2 = np.array([np.mean([self.R12 train[i]
for i in range(len(km2)) if km2[i] == p], axis = 0) for p
in range(self.K[1])]).transpose()
self.G3 = np.array([np.mean([self.R23[i] for i
in range(len(km3)) if km3[i] == p], axis = 0) for p in
range(self.K[2])]).transpose()
self.G4 = np.array([np.mean([self.R34[i] for i
in range(len(km4)) if km4[i] == p], axis = 0) for p in
range(self.K[3])]).transpose()
\# self.G5 = np.array([np.mean([self.R24[i] for i
in range(len(km5)) if km5[i] == p], axis = 0) for p in
range(self.K[4])]).transpose()
self.S12 =
np.linalg.multi_dot([self.G1.transpose(), self.R12_train,
self.G2])
self.S23 =
np.linalg.multi_dot([self.G2.transpose(), self.R23,
self.G3])
self.S34 =
np.linalg.multi_dot([self.G3.transpose(), self.R34,
self.G4])

```
```

        self.S24=
    np.linalg.multi_dot([self.G2.transpose(), self.R24,
self.G4])
def iterate(self):
\#These following lines compute the matrices needed
for our update rules
Gt2G2 = np.dot(self.G2.transpose(), self.G2)
G2Gt2 = np.dot(self.G2, self.G2.transpose())
G3Gt3 = np.dot(self.G3, self.G3.transpose())
Gt3G3 = np.dot(self.G3.transpose(), self.G3)
G4Gt4 = np.dot(self.G4, self.G4.transpose())
R12G2 = np.dot(self.R12_train, self.G2)
R23G3 = np.dot(NMTF.R23, self.G3)
R34G4 = np.dot(NMTF.R34, self.G4)
R24G4 = np.dot(NMTF.R24, self.G4)
W3G3 = np.dot(NMTF.W3, self.G3)
\#W4G4 = np.dot(NMTF.W4, self.G4)
D3G3 = np.dot(NMTF.D3, self.G3)
\#D4G4 = np.dot(NMTF.D4, self.G4)
G3Gt3D3G3 = np.dot(G3Gt3, D3G3)
\#G4Gt4D4G4 = np.dot(G4Gt4, D4G4)
G3Gt3W3G3 = np.dot(G3Gt3, W3G3)
\#G4Gt4W4G4 = np.dot(G4Gt4, W4G4)
R12G2St12 = np.dot(R12G2, self.S12.transpose())
G1G1tR12G2St12 = np.linalg.multi_dot([self.G1,
self.G1.transpose(), R12G2St12])
Rt12G1S12 =
np.linalg.multi_dot([self.R12_train.transpose(), self.G1,
self.S12])
G2Gt2Rt12G1S12 = np.dot(G2Gt2, Rt12G1S12)
R23G3St23 = np.dot(R23G3, self.S23.transpose())
G2Gt2R23G3St23=np.dot(G2Gt2, R23G3St23)
Rt23G2S23=
np.linalg.multi_dot([NMTF.R23.transpose(),self.G2,
self.S23])
G3Gt3Rt23G2S23=np.dot(G3Gt3,Rt23G2S23)
R34G4St34=np.dot(R34G4, self.S34.transpose())
G3Gt3R34G4St34=np.dot(G3Gt3,R34G4St34)
Rt34G3S34=
np.linalg.multi_dot([NMTF.R34.transpose(),self.G3,
self.S34])

```
```

        G4Gt4Rt34G3S34 = np.dot(G4Gt4,Rt34G3S34)
    Rt24G2S24 =
    np.linalg.multi_dot([NMTF.R24.transpose(), self.G2,
self.S24])
G4G4tRt24G2S24 = np.linalg.multi_dot([self.G4,
self.G4.transpose(), Rt24G2S24])
R24G4St24 = np.dot(R24G4, self.S24.transpose())
G2Gt2R24G4St24 = np.dot(G2Gt2, R24G4St24)
Gt1R12G2 = np.dot(self.G1.transpose(),R12G2)
Gt2R23G3 = np.dot(self.G2.transpose(),R23G3)
Gt3R34G4 = np.dot(self.G3.transpose(),R34G4)
Gt2R24G4 = np.dot(self.G2.transpose(), R24G4)
Gt1G1S12Gt2G2 =
np.linalg.multi_dot([self.G1.transpose(), self.G1,
self.S12, Gt2G2])
Gt2G2S23Gt3G3 = np.linalg.multi_dot([Gt2G2,
self.S23, Gt3G3])
Gt3G3S34Gt4G4 = np.linalg.multi_dot([Gt3G3,
self.S34, self.G4.transpose(), self.G4])
Gt2G2S24Gt4G4 = np.linalg.multi_dot([Gt2G2,
self.S24, self.G4.transpose(), self.G4])
\#Here factor matrices are updated.
self.G1 = NMTF.vupdate(self, self.G1, R12G2St12, G1G1tR12G2St12)
self.G2 = NMTF.vupdate(self, self.G2, Rt12G1S12 + R23G3St23 + R24G4St24, G2Gt2Rt12G1S12 + G2Gt2R23G3St23 + G2Gt2R24G4St24)
self.G3 = NMTF.vupdate(self, self.G3, Rt23G2S23 + R34G4St34 + W3G3 + G3Gt3D3G3, G3Gt3Rt23G2S23 + G3Gt3R34G4St34 + G3Gt3W3G3 + D3G3)
self.G4 = NMTF.vupdate(self, self.G4, Rt24G2S24+Rt34G3S34, G4G4tRt24G2S24+G4Gt4Rt34G3S34)
\#self.G5 = NMTF.vupdate(self, self.G5, Rt25G2S25, G5G5tRt25G2S25)
self.S12 = NMTF.vupdate(self, self.S12, Gt1R12G2, Gt1G1S12Gt2G2)
self.S23 = NMTF.vupdate(self, self.S23, Gt2R23G3, Gt2G2S23Gt3G3)
self.S34 = NMTF.vupdate(self, self.S34, Gt3R34G4, Gt3G3S34Gt4G4)
self.S24 = NMTF.vupdate(self, self.S24, Gt2R24G4, Gt2G2S24Gt4G4)

```
```

    self.iter += 1
    def validate(self, metric='aps'):
    n, m = NMTF.R12.shape
    R12_found = np.linalg.multi_dot([self.G1, self.S12,
    self.G2.transpose()])
R12_2 = []
R12_found_2 = []
\#We first isolate the validation set and the
corresponding result
for i in range(n):
for j in range(m):
if self.M[i, j] == 0:
R12_2.append(NMTF.R12[i, j])
R12_found_2.append(R12_found[i, j])
\#We can asses the quality of our output with APS or
AUROC score
if metric == 'auroc':
fpr, tpr, threshold = metrics.roc_curve(R12_2,
R12_found_2)
return metrics.auc(fpr, tpr)
if metric == 'aps':
return metrics.average_precision_score(R12_2,
R12_found_2)
def loss(self):
Gt3L3G3 = np.linalg.multi_dot([self.G3.transpose(),
NMTF.L3, self.G3])
\#Gt4L4G4 =
np.linalg.multi_dot([self.G4.transpose(), NMTF.L4,
self.G4])
J = np.linalg.norm(self.R12_train -
np.linalg.multi_dot([self.G1, self.\overline{S}12,
self.G2.transpose()]), ord='fro')**2
J += np.linalg.norm(NMTF.R23 -
np.linalg.multi_dot([self.G2, self.S23,
self.G3.transpose()]), ord='fro')**2
J += np.linalg.norm(NMTF.R34 -
np.linalg.multi_dot([self.G3, self.S34,
self.G4.transpose()]), ord='fro')**2

```
```

    J += np.linalg.norm(NMTF.R24 -
    np.linalg.multi_dot([self.G2, self.S24,
self.G4.transpose()]), ord='fro')**2
J += np.trace(Gt3L3G3)
return J
def __repr__(self):
return 'Model NMTF with (k1, k2, k3, k4, k5)=({},
{}, {}, {}, {}) and {} initialization'.format(self.K[0],
self.K[1], self.K[2], self.K[3], self.K[4],
self.init method)

```

\section*{A.1.4. Part 2}
```

" " "
This code is a modified version of the code created by
gaetanddissez
@author of the modification: Onur Savaş KARTLI
Original code was retrieved from Dissez et al. (2019)
"""
\#First we load the packages we need
import sklearn.metrics as metrics
import matplotlib.pyplot as plt
from tqdm import tqdm_notebook
from scipy import sparse
import seaborn as sns
import pandas as pd
import numpy as np
\#These two classes are implemented in the repository
from load_data_NMTF import loader
from method_NMTF import NMTF
\#While using a server to run this notebook, it can be
necessary to limit the number of threads
import os
os.environ["MKL_NUM_THREADS"] = "5"
Os.environ["NUMEXPR_NUM_THREADS"] = "5"
os.environ["OMP_NUM_THREADS"] = "5"
os.environ["OPEN}BLA\overline{S_NUM_THREADS"] = "5"

```
```

os.environ["VECLIB_MAXIMUM_THREADS"] = "5"
\#f_labelsdrugs = 'DrugsToSideEffects.txt'
f_sideeffectsdrugs = 'DrugsToSideEffects.txt'
f_drugsproteins = 'DrugsToProteins.txt'
\#f_proteinspathways = 'ProteinsToPathways.txt'
f_proteinsdiseases = 'ProteinsToDiseases.txt'
f_drugsdiseases = 'DrugsToDiseases.txt'
f_protprot = 'ProteinsToProteins.txt'
\#f_pathpath = 'PathwaysToPathways.txt'
load = loader(f_sideeffectsdrugs,
f_drugsproteins,
f_proteinsdiseases,
f_drugsdiseases,
f_protprot)
\#R12, R23, R34, R25, W3= load.association_matrices()
R12, R23, R34, R24, W3,proteins,drugs,diseases, sideeffects
= load.association_matrices()
d3 = np.array(W3.sum(axis=0))
D3 = sparse.diags(d3[0], 0)
L3 = D3 - W3 \#laplacian matrix of intra-protein links
bar = np.sum(R12.toarray(), axis=1)
bar.sort()
rbar = bar[::-1]
X = np.arange(len(rbar))
plt.rcParams["figure.figsize"] = (300,100)
plt.bar(X, rbar)
plt.xlabel('Side Effects')
plt.ylabel('Number of associated Drugs')
plt.show()
bar = np.sum(R23.toarray(), axis=1)
bar.sort()
rbar = bar[::-1]
X = np.arange(len(rbar))
plt.rcParams["figure.figsize"] = (300,100)
plt.bar(X, rbar)
plt.xlabel('Drugs')
plt.ylabel('Number of associated Proteins')
plt.show

```
```

bar = np.sum(R24.toarray(), axis=1)
bar.sort()
rbar = bar[::-1]
X = np.arange(len(rbar))
plt.rcParams["figure.figsize"] = (300,100)
plt.bar(X, rbar)
plt.xlabel('Drugs')
plt.ylabel('Number of associated Diseases')
plt.show()
bar = np.sum(R34.toarray(), axis=1)
bar.sort()
rbar = bar[::-1]
X = np.arange(len(rbar))
plt.rcParams["figure.figsize"] = (300,100)
plt.bar(X, rbar)
plt.xlabel('Proteins')
plt.ylabel('Number of associated Diseases')
plt.show()
bar = np.sum(W3.toarray(), axis=1)
bar.sort()
rbar = bar[::-1]
X = np.arange(len(rbar))
plt.rcParams["figure.figsize"] = (300,100)
plt.bar(X, rbar)
plt.xlabel('Proteins')
plt.ylabel('Number of associated Proteins')
plt.show()
inter_sd = np.count_nonzero(R12.toarray())
inter_dp = np.count_nonzero(R23.toarray())
inter_pd = np.count_nonzero(R34.toarray())
inter_dd = np.count_nonzero(R24.toarray())
print\overline{('There are {} side effects, {} drugs, {} proteins and}
{} diseases'.format(R12.shape[0], R12.shape[1],
R23.shape[1], R34.shape[1]))
print('There are {} links between side effects and
drugs'.format(inter_sd))
print('There are {} 'links between drugs and
proteins'.format(inter_dp))
print('There are {} links between proteins and
diseases'.format(inter_pd))
print('There are {} links between drugs and
diseases'.format(inter_dd))

```
```

M10 = np.random.binomial(1, 0.9, size=R12.shape)
np.save('./tmp/M10', M10)

```

\section*{A.1.5. Part 3 (Initialization)}
```

"""
This code is a modified version of the code created by
gaetanddissez
@author of the modification: Onur Savaş KARTLI
Original code was retrieved from Dissez et al. (2019)
This is the third code you have to run
"""
import os
import time
os.environ["MKL_NUM_THREADS"] = "5"
Os.environ["NUMEXPR_NUM_THREADS"] = "5"
os.environ["OMP_NUM_THREADS"] = "5"
os.environ["OPEN}BLA\overline{S_NUM_THREADS"] = "5"
os.environ["VECLIB_MA}XIM\overline{UM_THREADS"] = "5"
from method_NMTF import NMTF
import numpy as np
M10 = np.load('./tmp/M10.npy')
K={}
K['acol'] = [30, 10, 40, 20, 40]
max_iter = 500
nb_init = 1
INIT = ['acol']
seconds=time.time()
local_time = time.ctime(seconds)
print("Local time:", local_time)
for init in INIT:
print(init)
nmtf = NMTF(init, K[init], M1O)

```
```

    loss, aps = np.zeros((nb_init, max_iter//10)),
    np.zeros((nb_init, max_iter///10))
for i in range(nb_init):
print(i)
seconds=time.time()
local_time = time.ctime(seconds)
print("Local time:", local_time)
nmtf.initialize()
for p in range(max iter):
seconds=time.time()
local_time = time.ctime(seconds)
print("Local time:", local_time)
print(p)
nmtf.iterate()
if p % 10 == 0:
loss[i, p//10], aps[i, p//10] =
nmtf.loss(), nmtf.validate()
result = [loss, aps]
np.save('./tmp/initialization_' + init, result)

```

\section*{A.1.6. Part 4}
```

| | |
This code is a modified version of the code created by
gaetanddissez
@author of the modification: Onur Savaş KARTLI
Original code was retrieved from Dissez et al. (2019)
This is the fourth code you have to run
|||
\#First we load the packages we need
import sklearn.metrics as metrics
import matplotlib.pyplot as plt
from tqdm import tqdm_notebook
from scipy import sparse
import seaborn as sns
import pandas as pd
import numpy as np
import csv
import time
\#These two classes are implemented in the repository

```
```

from load_data_NMTF import loader
from method_NMTF import NMTF
\#While using a server to run this notebook, it can be
necessary to limit the number of threads
import os
os.environ["MKL_NUM_THREADS"] = "5"
os.environ["NUMEXPR_NUM_THREADS"] = "5"
os.environ["OMP_NUM_THREADS"] = "5"
os.environ["OPENBLAS_NUM_THREADS"] = "5"
os.environ["VECLIB MAXIMUM THREADS"] = "5"
\#f_labelsdrugs = 'D
f_sideeffectsdrugs = 'DrugsToSideEffects.txt'
f_drugsproteins = 'DrugsToProteins.txt'
\#\overline{f}_proteinspathways = 'ProteinsToPathways.txt'
f_proteinsdiseases = 'ProteinsToDiseases.txt'
f_drugsdiseases = 'DrugsToDiseases.txt'
f_protprot = 'ProteinsToProteins.txt'
\#f_pathpath = 'PathwaysToPathways.txt'
load = loader(f_sideeffectsdrugs,
f_drugsproteins,
f_proteinsdiseases,
f_drugsdiseases,
f_protprot)
\#R12, R23, R34, R25, W3, W4 = load.association_matrices()
R12, R23, R34, R24, W3,proteins,drugs,diseases, sideeffects
= load.association_matrices()
d3 = np.array(W3.sum(axis=0))
D3 = sparse.diags(d3[0], 0)
L3 = D3 - W3 \#laplacian matrix of intra-protein links
max_iter = 500
M10 = np.load('./tmp/M10.npy')
INIT = ['acol']
plt.rcParams["figure.figsize"] = (15,8)
for init in INIT:
[loss, aps] = np.load('./tmp/initialization_' + init +
'.npy')
X = np.arange(1, max_iter, 10)
df = pd.DataFrame(aps, columns = X).melt()

```
```

    sns.lineplot(x="variable", y="value", data=df, ci='sd',
    label = init)
plt.xlabel('Iterations')
plt.ylabel('Average Precision Score (APS)')
plt.show()
R12 = NMTF.R12
n, m = R12.shape
c_iter=int(max_iter/10)
X1 = np.arange(1, max_iter, 10)
X=np.array(XI)
aa=np.array(loss)/(n*m)
bb=np.array (aps)
a=np.arange(c_iter)
a=a.astype(float)
b=np.arange(c_iter)
b=b. astype(float)
for i in range(c_iter):
a[i]=aa[0][i]
for i in range(c_iter):
b [i] =bb[0][i]
plt.rcParams["figure.figsize"] = (7,5)
fig, ax1 = plt.subplots()
color = 'tab:red'
ax1.set_xlabel('Iterations')
axl.set_ylabel('Average Loss', color=color)
ax1.plot(X, a, color=color)
axl.tick_params(axis='y', labelcolor=color)
ax2 = ax1.twinx() \# instantiate a second axes that shares
the same x-axis
color = 'tab:blue'
ax2.set_ylabel('Average Precision Score', color=color) \#
we already handled the x-label with axl
ax2.plot(X, b, color=color)
ax2.tick_params(axis='y', labelcolor=color)
fig.tight_layout() \# otherwise the right y-label is
slightly clipped
plt.axvline(x=1, color='k', linestyle = ':')
plt.show()

```

\section*{A.1.7. Part 5 (Improvements)}
```

|||
This code is a modified version of the code created by
gaetanddissez
@author of the modification: Onur Savaş KARTLI
Original code was retrieved from Dissez et al. (2019)
This is the fifth code you have to run
"""
import os
os.environ["MKL_NUM_THREADS"] = "5"
os.environ["NUMEXPR_NUM_THREADS"] = "5"
os.environ["OMP_NUM_THREADS"] = "5"
os.environ["OPENBBLAS NUM THREADS"] = "5"
os.environ["VECLIB_MAXXIMÜM_THREADS"] = "5"
from method_NMTF import NMTF
import numpy as np
import time
"""
MODEL 1: Acol init, bad parameters, max_iter
MODEL 2: change init to skmeans
MODEL 3: but good parameters
MODEL 4: perfect
"""
\#Create once and for all models the mask matrix and the
associated R12_r which will be approximated
M10 = np.load('./tmp/M10.npy')
R12_train = np.multiply(NMTF.R12, M10)
max_iter = 260
K_bad = [40, 20, 70, 20, 300]
K_bad_2 = [50, 20, 50, 30, 100]
K_good = [30, 10, 40, 20,100]
nmtf1 = NMTF('acol', K bad, M10)
nmtf2 = NMTF('acol', K__bad_2, M10)
nmtf34 = NMTF('acol', 珑_good, M10)
nmtf1.initialize()
nmtf2.initialize()
nmtf34.initialize()

```
```

\#model 1
seconds=time.time()
local_time = time.ctime(seconds)
print("Local time:", local_time)
print(nmtf1)
while nmtfl.iter < max_iter:
nmtf1.iterate()
R12_found_1 = np.linalg.multi__dot([nmtf1.G1, nmtf1.S12,
nmtf1.G2.transpose()])
np.save('./tmp/R12_found_1', R12_found_1)
print(nmtf1.validate())
seconds=time.time()
local_time = time.ctime(seconds)
print("Local time:", local_time)
\#model 2
print(nmtf2)
seconds=time.time()
local_time = time.ctime(seconds)
print("Local time:", local_time)
while nmtf2.iter < max_iter:
nmtf2.iterate()
R12_found_2 = np.linalg.multi_dot([nmtf2.G1, nmtf2.S12,
nmtf2.G2.transpose()])
np.save('./tmp/R12_found_2', R12_found_2)
print(nmtf2.validate())
seconds=time.time()
local time = time.ctime(seconds)
print("Local time:", local_time)
\#model 3 \& 4
print(nmtf34)
seconds=time.time()
local_time = time.ctime(seconds)
print("Local time:", local_time)
not_done = True
loss_old = nmtf34.loss()
while nmtf34.iter < max_iter:
nmtf34.iterate()
if not_done:
loss_new = nmtf34.loss()
CRIT = abs((loss_new - loss_old) / loss_new)
if CRIT < 2e-2:
not_done = False
R12_found_4 = np.linalg.multi_dot([nmtf34.G1,
nmtf34.S12, nmtf34.G2.transpose() ])

```
```

                        np.save('./tmp/R12_found_4', R12_found_4)
                        print(nmtf34.validate())
    loss_old = loss_new
    print(nmtf34.validate())
seconds=time.time()
local_time = time.ctime(seconds)
print("Local time:", local_time)
R12_found_3 = np.linalg.multi_dot([nmtf34.G1, nmtf34.S12,
nmtf34.G2.transpose()])
seconds=time.time()
local_time = time.ctime(seconds)
print("Local time:", local_time)
np.save('./tmp/R12_found_3'', R12_found_3)
Error1=0.0
Error2=0.0
Error3=0.0
Error4=0.0
for i in range(NMTF.n1):
for j in range(NMTF.n2):
Error1=Error1+abs(NMTF.R12_train[i][j]-
R12_found_1[i][j])
Error2=Error2+abs(NMTF.R12_train[i][j]-
R12_found_2[i][j])
Error3=Error3+abs(NMTF.R12_train[i][j]-
R12_found_3[i][j])
Error4=Error4+abs(NMTF.R12_train[i][j]-
R12_found_4[i][j])
Error1=Error1/(NMTF.n1*NMTF.n2)
Error2=Error2/(NMTF.n1*NMTF.n2)
Error3=Error3/(NMTF.n1*NMTF.n2)
Error4=Error4/(NMTF.n1*NMTF.n2)
print('Error1=', Error1)
print('Error2=', Error2)
print('Error3=', Error3)
print('Error4=', Error4)

```

\section*{A.1.8. Part 6}
```

|||
This code is a modified version of the code created by
gaetanddissez
@author of the modification: Onur Savaş KARTLI
Original code was retrieved from Dissez et al. (2019)
This is the sixth code you have to run
||!
\#First we load the packages we need
import sklearn.metrics as metrics
import matplotlib.pyplot as plt
from tqdm import tqdm_notebook
from scipy import sparse
import seaborn as sns
import pandas as pd
import numpy as np
import csv
import time
\#These two classes are implemented in the repository
from load_data_NMTF import loader
from method_NMTF import NMTF
\#While using a server to run this notebook, it can be
necessary to limit the number of threads
import os
os.environ["MKL_NUM_THREADS"] = "5"
os.environ["NUMEXPR_NUM_THREADS"] = "5"
os.environ["OMP_NUM_THREADS"] = "5"
os.environ["OPENBLAS_NUM_THREADS"] = "5"
Os.environ["VECLIB_MAXIMUM_THREADS"] = "5"
\#f_labelsdrugs = 'DrugsToSideEffects.txt'
f_sideeffectsdrugs = 'DrugsToSideEffects.txt'
f_drugsproteins = 'DrugsToProteins.txt'
\#f_proteinspathways = 'ProteinsToPathways.txt'
f_proteinsdiseases = 'ProteinsToDiseases.txt'
f drugsdiseases = 'DrugsToDiseases.txt'
f_protprot = 'ProteinsToProteins.txt'
\#f_pathpath = 'PathwaysToPathways.txt'
load = loader(f_sideeffectsdrugs,
f_drugsproteins,
f_proteinsdiseases,

```
```

    f_drugsdiseases,
    f_protprot)
    \#R12, R23, R34, R25, W3, W4 = load.association_matrices()
R12, R23, R34, R24, W3,proteins,drugs,diseases, sideeffects
= load.association_matrices()
d3 = np.array(W3.sum(axis=0))
D3 = sparse.diags(d3[0], 0)
L3 = D3 - W3 \#laplacian matrix of intra-protein links
plt.rcParams["figure.figsize"] = (10,7)
M10 = np.load('./tmp/M10.npy')
R12 = NMTF.R12
n, m = R12.shape
for mi in range(4):
R12_found = np.load('./tmp/R12_found_' + str(mi+1) +
'.npy')
R12_2 = []
R12_found_2 = []
for i in range(n):
for j in range(m):
if M10[i, j] == 0:
R12_2.append(R12[i, j])
R12_found_2.append(R12_found[i, j])
precision, recall, _ =
metrics.precision_recall_curve(R12_2, R12_found_2)
aps = metrics.average_precision_score(R12_2,
R12_found_2)
plt.plot(recall, precision, label="Model " + str(mi+1)
+", APS= %0.2f" % aps)
base_precision = np.count_nonzero(R12_2) / len(R12_2)
\#plt.axhline(base_precision, color='grey',
linestyle='dashed', label = "random classifier, APS =
%O.2f" % base_precision)
plt.xlim([0, 1])
plt.ylim([0, 1])
plt.xlabel('recall')

```
```

plt.ylabel('precision')
plt.legend()
plt.show()

```

\section*{A.1.9. Part 7 (Prediction)}
```

|||
This code is a modified version of the code created by
gaetanddissez
@author of the modification: Onur Savaş KARTLI
Original code was retrieved from Dissez et al. (2019)
This is the seventh code you have to run
|||
\#First we load the packages we need
import sklearn.metrics as metrics
import matplotlib.pyplot as plt
from tqdm import tqdm_notebook
from scipy import sparse
import seaborn as sns
import pandas as pd
import numpy as np
import csv
import time
\#These two classes are implemented in the repository
from load_data_NMTF import loader
from method_NMTF import NMTF
\#While using a server to run this notebook, it can be
necessary to limit the number of threads
import os
os.environ["MKL_NUM_THREADS"] = "5"
os.environ["NUMEXPR_NUM_THREADS"] = "5"
os.environ["OMP_NUM_THRE\overline{ADS"] = "5"}
os.environ["OPEN\overline{BLAS_NUM_THREADS"] = "5"}
os.environ["VECLIB_MAXIMUM_THREADS"] = "5"
\#f_labelsdrugs = 'D
f_sideeffectsdrugs = 'DrugsToSideEffects.txt'
f_drugsproteins = 'DrugsToProteins.txt'
\#f_proteinspathways = 'ProteinsToPathways.txt'
f_proteinsdiseases = 'ProteinsToDiseases.txt'

```
```

f_drugsdiseases = 'DrugsToDiseases.txt'
f_protprot $=$ 'ProteinsToProteins.txt'
\#f_pathpath = 'PathwaysToPathways.txt'
load = loader(f_sideeffectsdrugs,
f_drugsproteins,
f_proteinsdiseases,
f_drugsdiseases,
f_protprot)
\#R12, R23, R34, R25, W3, W4 = load.association_matrices()
R12, R23, R34, R24, W3,proteins,drugs,diseases, sideeffects
= load.association_matrices()
\# pn indicates number of predictions
pn=100
d3 = np.array(W3.sum(axis=0))
D3 = sparse.diags (d3[0], 0)
L3 = D3 - W3 \#laplacian matrix of intra-protein links
n, m = NMTF.R12.shape
M = np.ones ( $(\mathrm{n}, \mathrm{m})$ )
$K=[30,10,40,20,100]$
nmtf_final = NMTF('acol', K, M)
$J=[]$
epsilon $=2 e-2$
nmtf_final.initialize()
J. append (nmtf_final.loss())
for i in range(30):
nmtf_final.iterate()
J.append(nmtf_final.loss())
if ((J[-2] - J[-1]) / J[-1]) < epsilon:
break
np.save('./tmp/R12_final',
np.linalg.multi_dot([nmtf_final.G1, nmtf_final.S12,
nmtf_final.G2.transpose()]))
np.sāve('./tmp/R24_final',
np.linalg.multi_dot([nmtf_final.G2, nmtf_final.S24,
nmtf_final.G4.transpose()]))
np.save('./tmp/R23_final',
np.linalg.multi_dot([nmtf_final.G2, nmtf_final.S23,
nmtf_final.G3.transpose()]))

```
```

np.save('./tmp/R34_final',
np.linalg.multi_dot([nmtf_final.G3, nmtf_final.S34,
nmtf_final.G4.transpose()]))
R12 = sparse.load_npz('./tmp/R12.npz').toarray()
R24 = sparse.load_npz('./tmp/R24.npz').toarray()
R23 = sparse.load_npz('./tmp/R23.npz').toarray()
R34 = sparse.load_npz('./tmp/R34.npz').toarray()
R12_found = np.load('./tmp/R12_final.npy')
R24_found = np.load('./tmp/R24_final.npy')
R23_found = np.load('./tmp/R23_final.npy')
R34_found = np.load('./tmp/R34_final.npy')
n1, m1 = R12.shape
n2, m2 = R24.shape
n3, m3 = R23.shape
n4, m4 = R34.shape
new_links_R12 = np.multiply(np.ones((n1, m1)) - R12,
R12_found)
new_links_R24 = np.multiply(np.ones((n2, m2)) - R24,
R24 found)
new_links_R23 = np.multiply(np.ones((n3, m3)) - R23,
R23_found)
new_links_R34 = np.multiply(np.ones((n4, m4)) - R34,
R34_found)
index_new_links_R12 = np.argsort(new_links_R12.flatten())
ff=open("R12_prediction.txt","w")
for i in range(1, pn+1):
Temp="%s %s
%.4f\n"%(drugs[index_new_links_R12[-i]%
m1],sideeffects[index_new_links_R12[-i]//
m1],new_links_R12[index_new_links_R12[-i] // m1,
index_new_links_R12[-i] % ml])
ff.write(Temp)
ff.close()
print('R12 prediction is finished')
ff=open("R24 prediction.txt","w")

```
```

Val=np.zeros (pn+1)
In1=np.zeros((pn+1), dtype=int)
In2=np.zeros((pn+1), dtype=int)
for gi in range(n2):
for $\mathrm{gj}^{\mathrm{i}}$ in range(m2):
$t \mathrm{t}=0$
$\mathrm{gk}=\mathrm{pn}-1$
av=new_links_R24[gi][gj]
while av>Val[gk] and gk>0:
$t t=1$
$\operatorname{In} 1[g k+1]=\operatorname{In} 1[g k]$
$\operatorname{In} 2[g k+1]=\operatorname{In} 2[g k]$
Val[gk+1]=Val[gk]
$g k=g k-1$
if $t t>0$ :
In1 $[g k+1]=g i$
$\operatorname{In} 2[g k+1]=g j$
Val[gk+1]=av
if av>Val[0]:
In1[1]=In1[0]
$\operatorname{In} 2[1]=\operatorname{In} 2[0]$
Val[1]=Val[0]
In1[0]=gi
In2[0]=gj
Val[0]=av
for i in range(pn):
Temp="\%s \%s
$\% .4 f \backslash n " \%(d r u g s[\ln 1[i]]$, diseases[In2[i]], Val[i])
ff.write (Temp)
ff.close()
print('R24 prediction is finished')
ff=open("R23_prediction.txt","w")
Val=np.zeros (pn+1)
In1=np.zeros((pn+1), dtype=int)
In2=np.zeros((pn+1), dtype=int)
for $g i$ in range(n3):
for $g j$ in range (m3):
$t t=0$
gk=pn-1
av=new_links_R23[gi][gj]
while av>Val[gk] and gk>0:

```
```

            tt=1
            In1[gk+1]=In1[gk]
            In2[gk+1]=In2[gk]
            Val[gk+1]=Val[gk]
            gk=gk-1
    if tt>0:
            In1[gk+1]=gi
            In2[gk+1]=gj
            Val[gk+1]=av
    if av>Val[0]:
        In1[1]=In1[0]
        In2[1]=In2[0]
        Val[1]=Val[0]
        In1[0]=gi
        In2[0]=gj
        Val[0]=av
    for i in range(pn):
Temp="%s %s
%.4f\n"%(drugs[In1[i]],proteins[In2[i]],Val[i])
ff.write(Temp)
ff.close()
print('R23 prediciton is finished')
ff=open("R34_prediction.txt","w")
Val=np.zeros(pn+1)
In1=np.zeros((pn+1), dtype=int)
In2=np.zeros((pn+1), dtype=int)
for gi in range(n4):
for gj in range(m4):
tt=0
gk=pn-1
av=new_links_R34[gi][gj]
while av>Val[gk] and gk>0:
tt=1
In1[gk+1]=In1[gk]
In2[gk+1]=In2[gk]
Val[gk+1]=Val[gk]
gk=gk-1
if tt>0:
In1[gk+1]=gi
In2[gk+1]=gj
Val[gk+1]=av

```
```

